

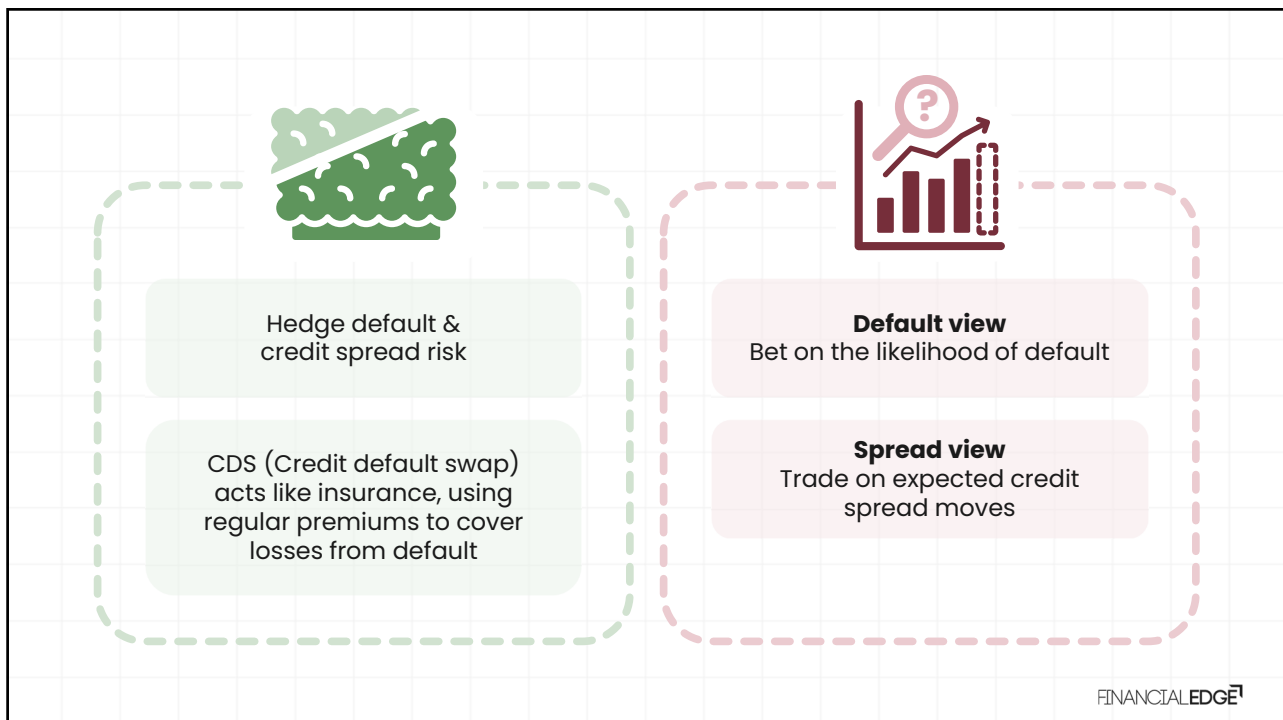
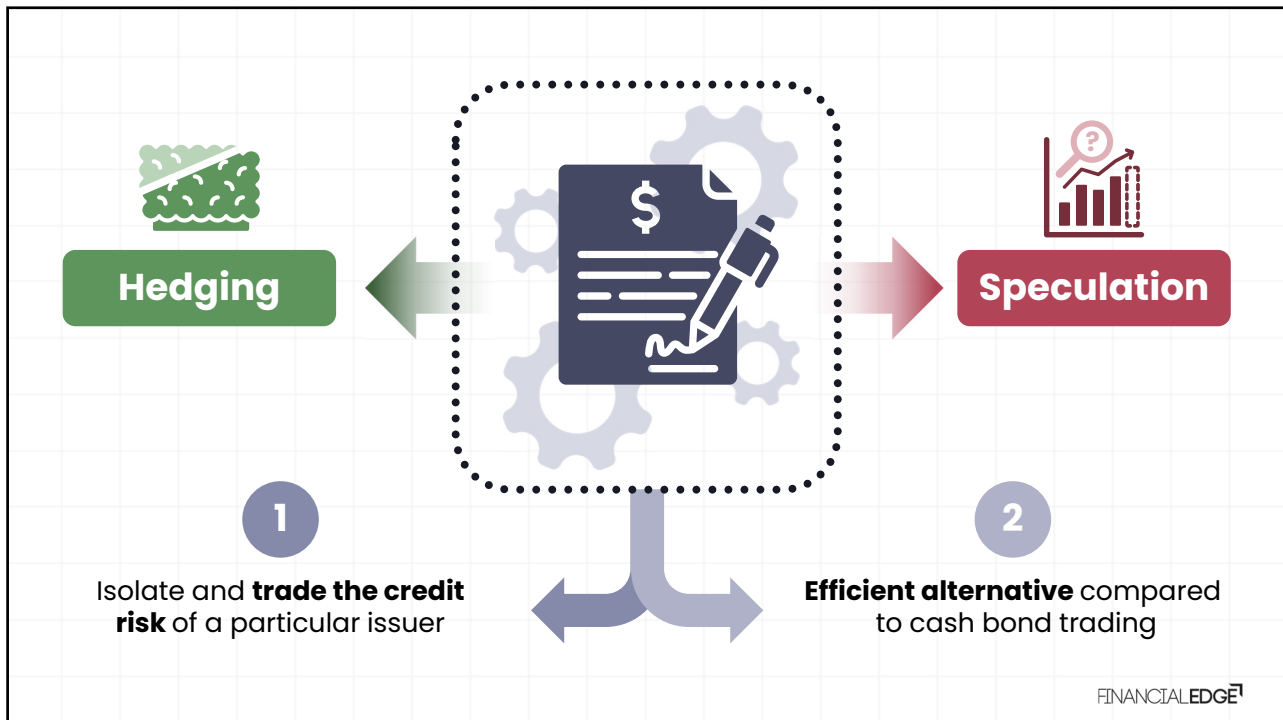


# Credit Derivatives

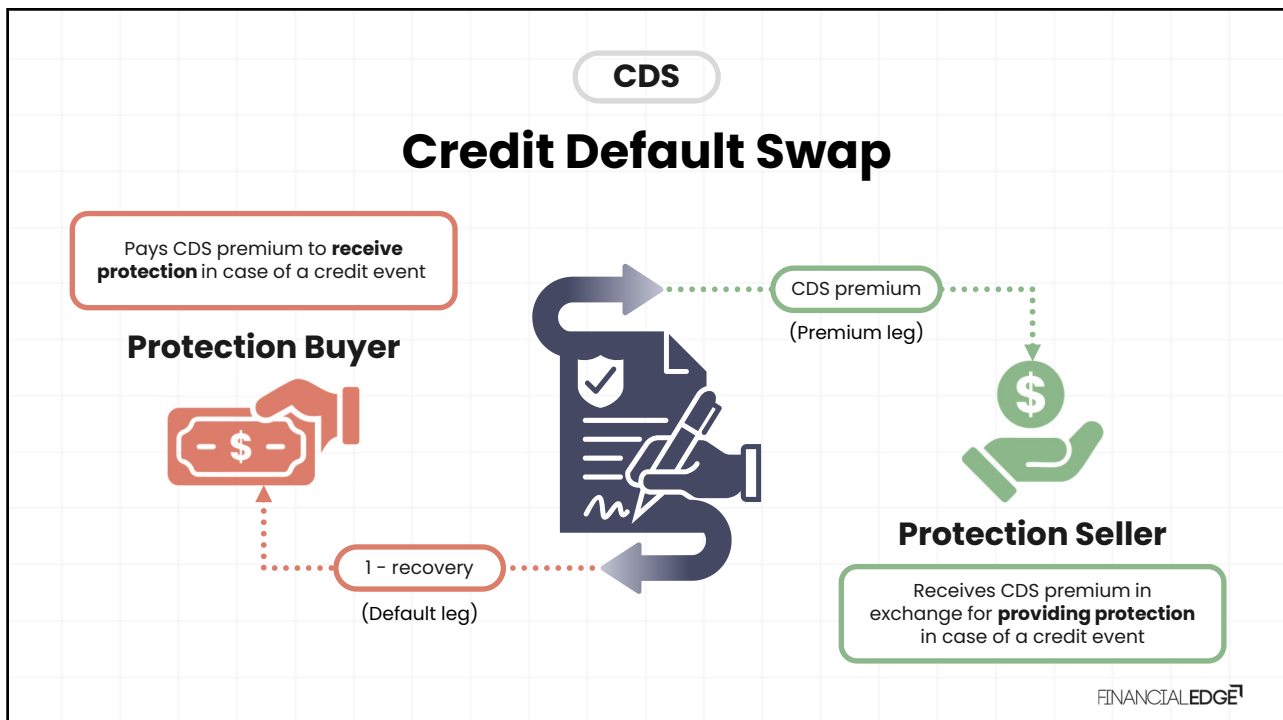
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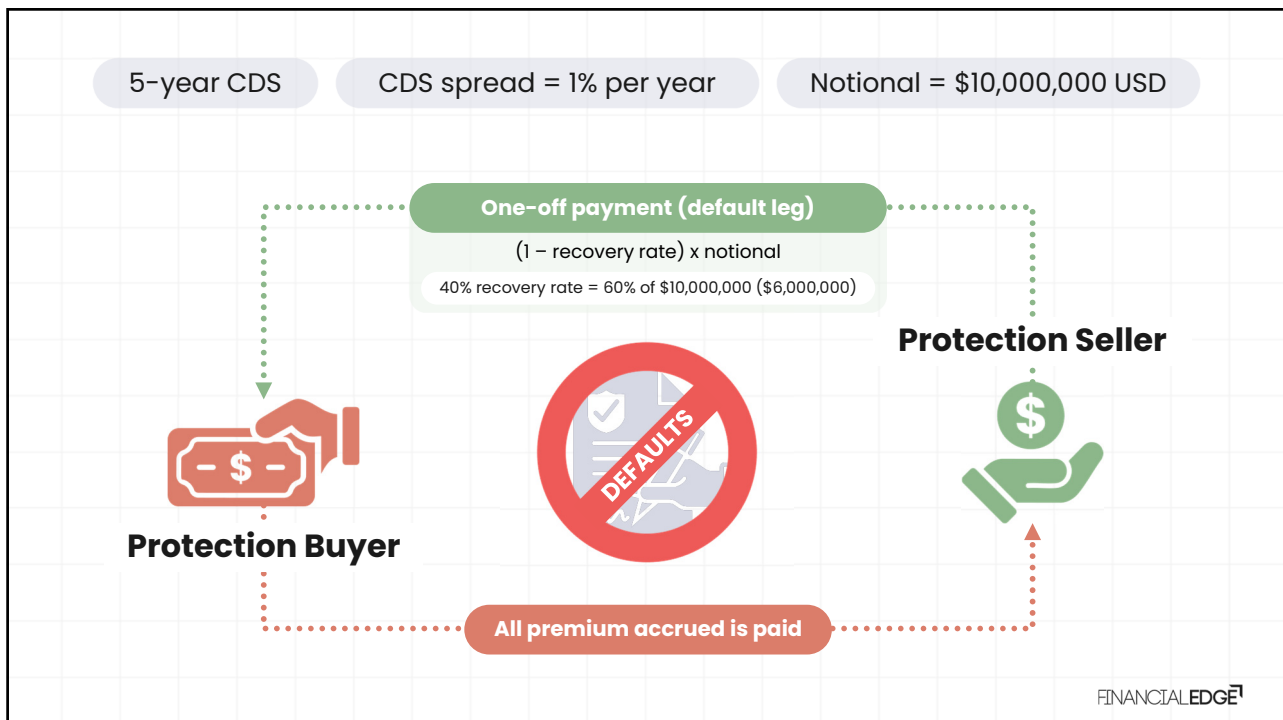
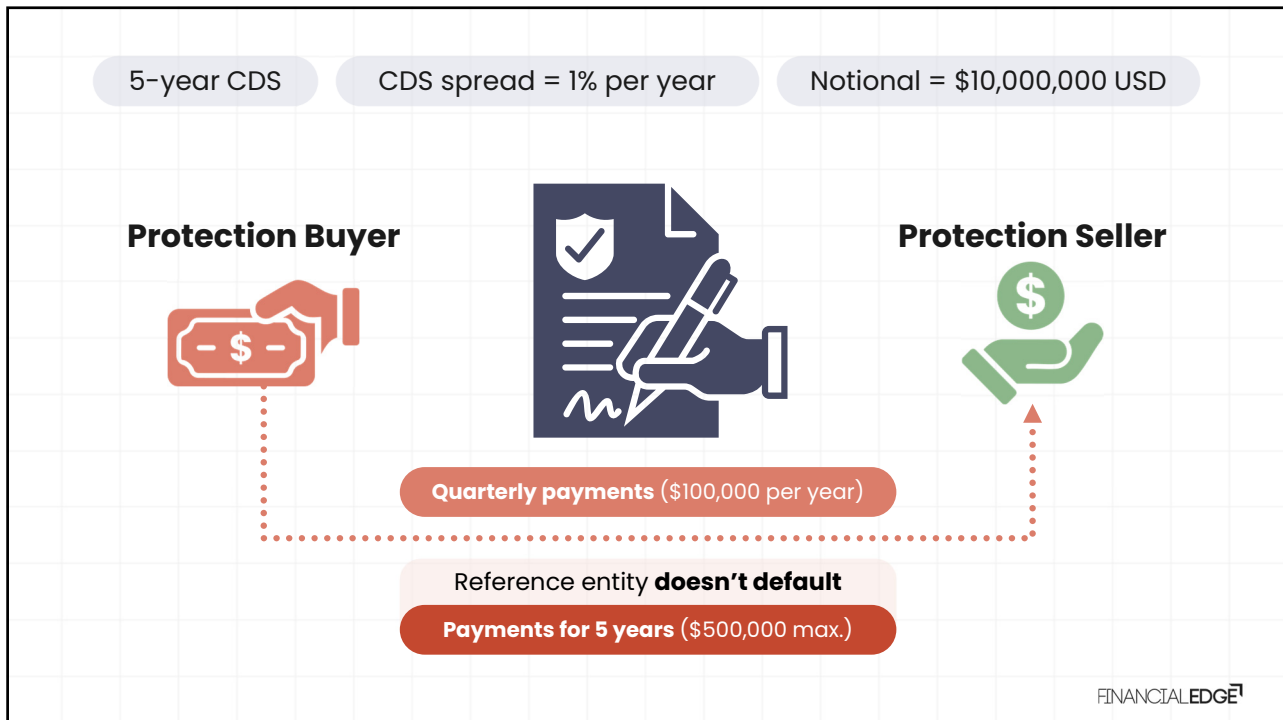
## Credit Derivatives Overview

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# Single Name Credit Default Swap (CDS)

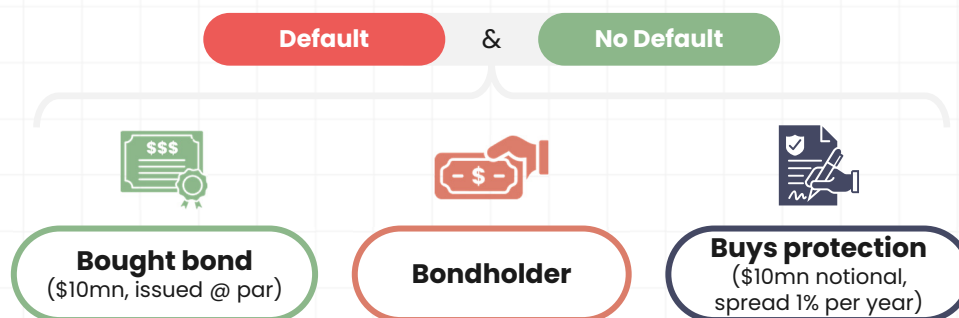
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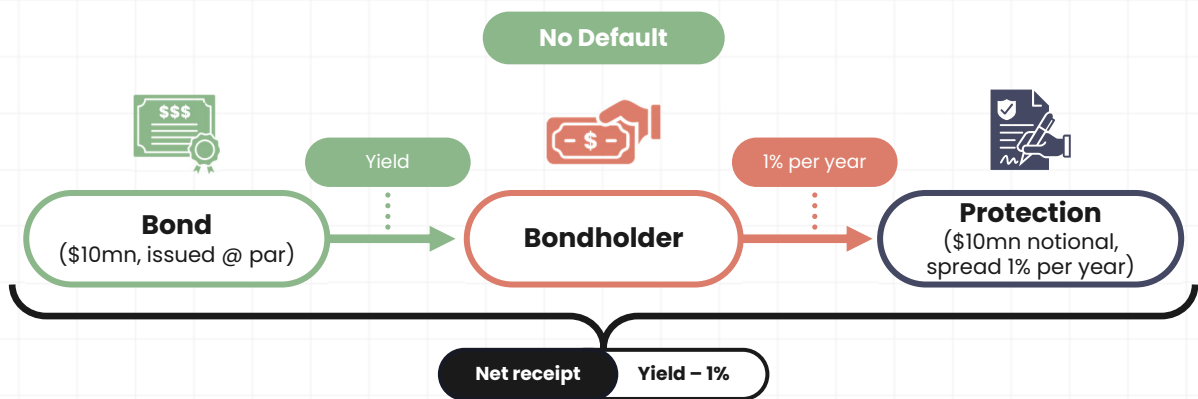
# Insuring Against Default

FINANCIALEDGE<sup>1</sup>

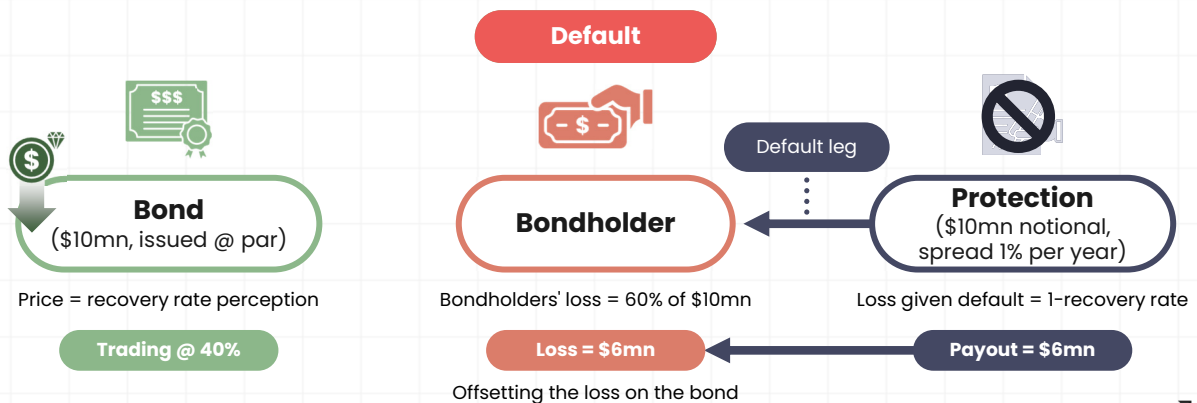
## Hedge Credit Risk in a Bond Investment

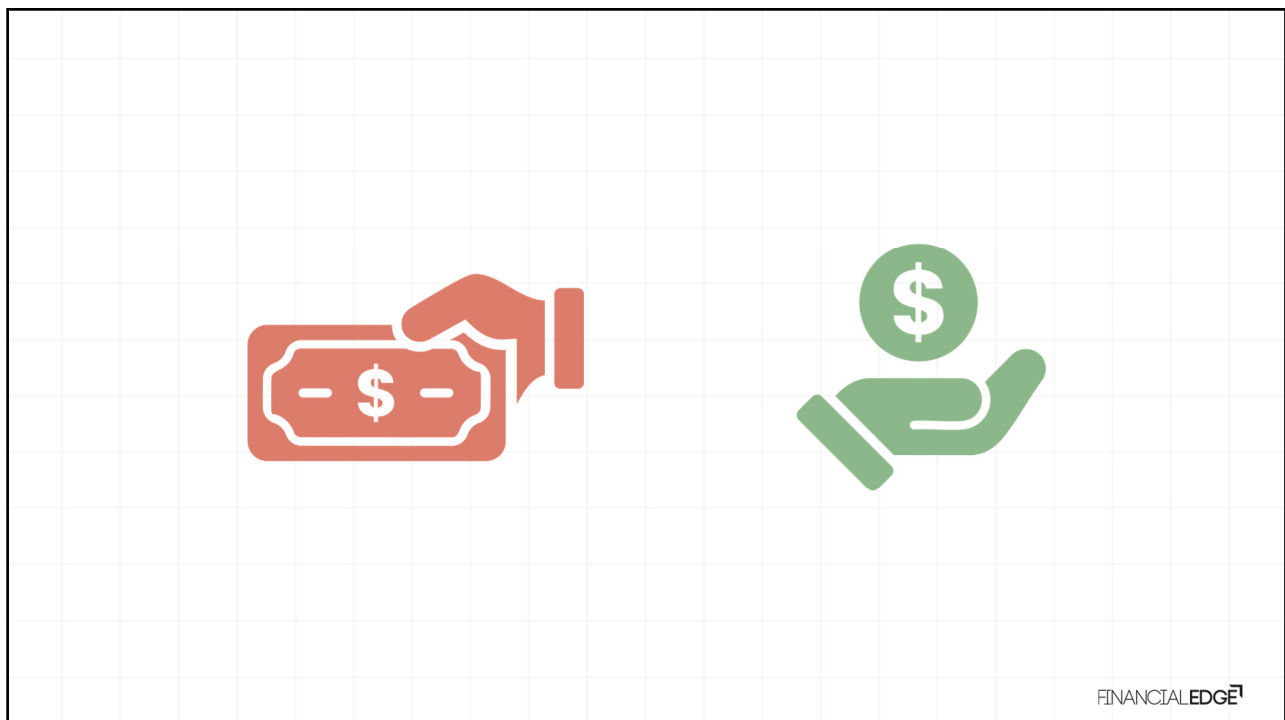
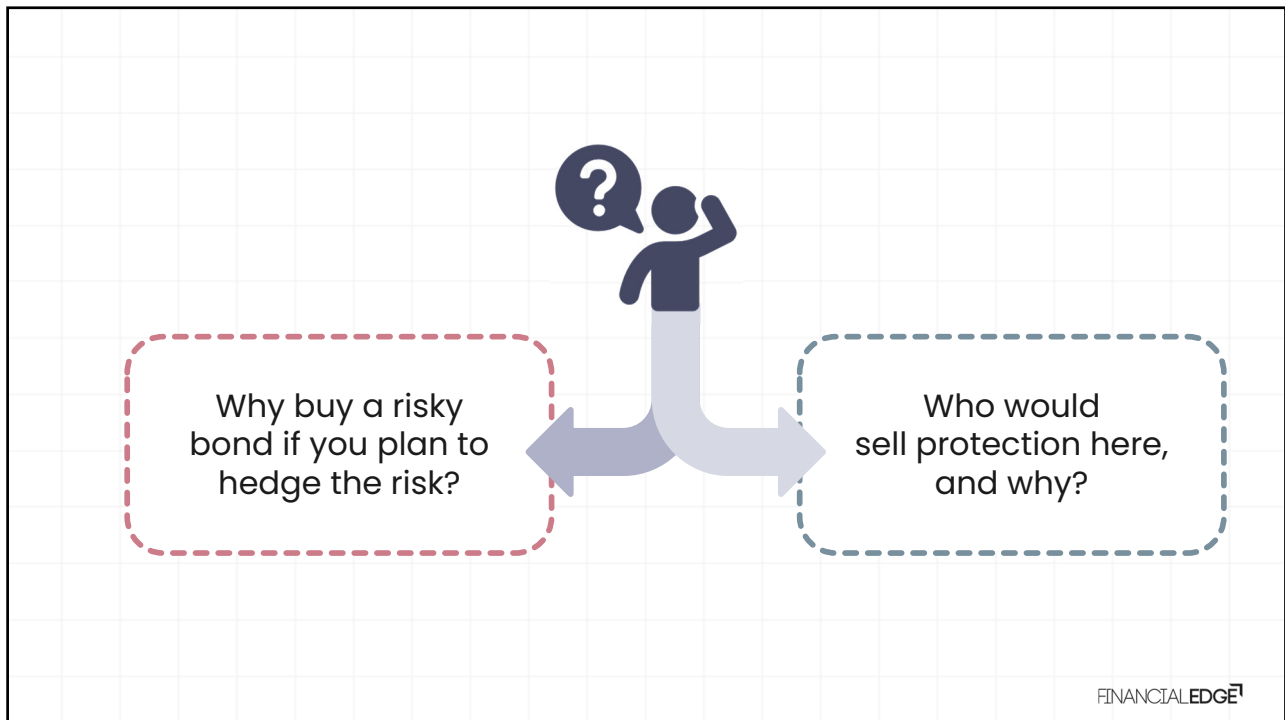
FINANCIALEDGE<sup>1</sup>

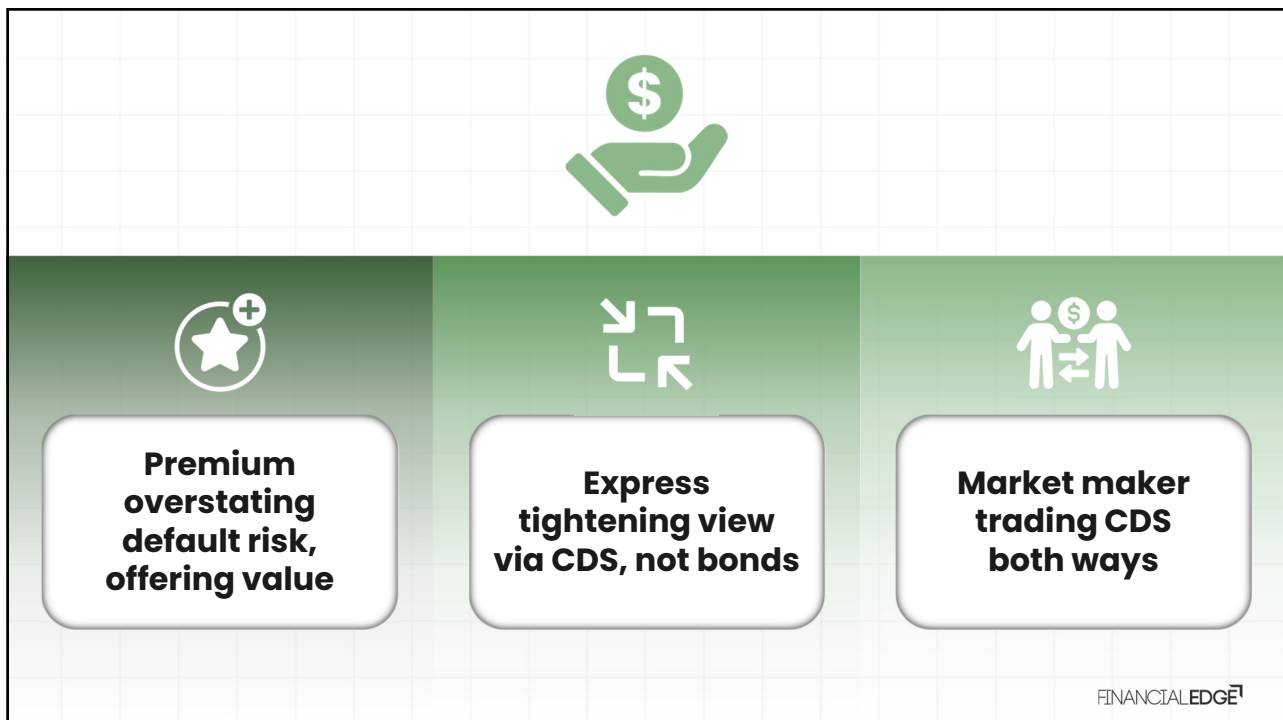
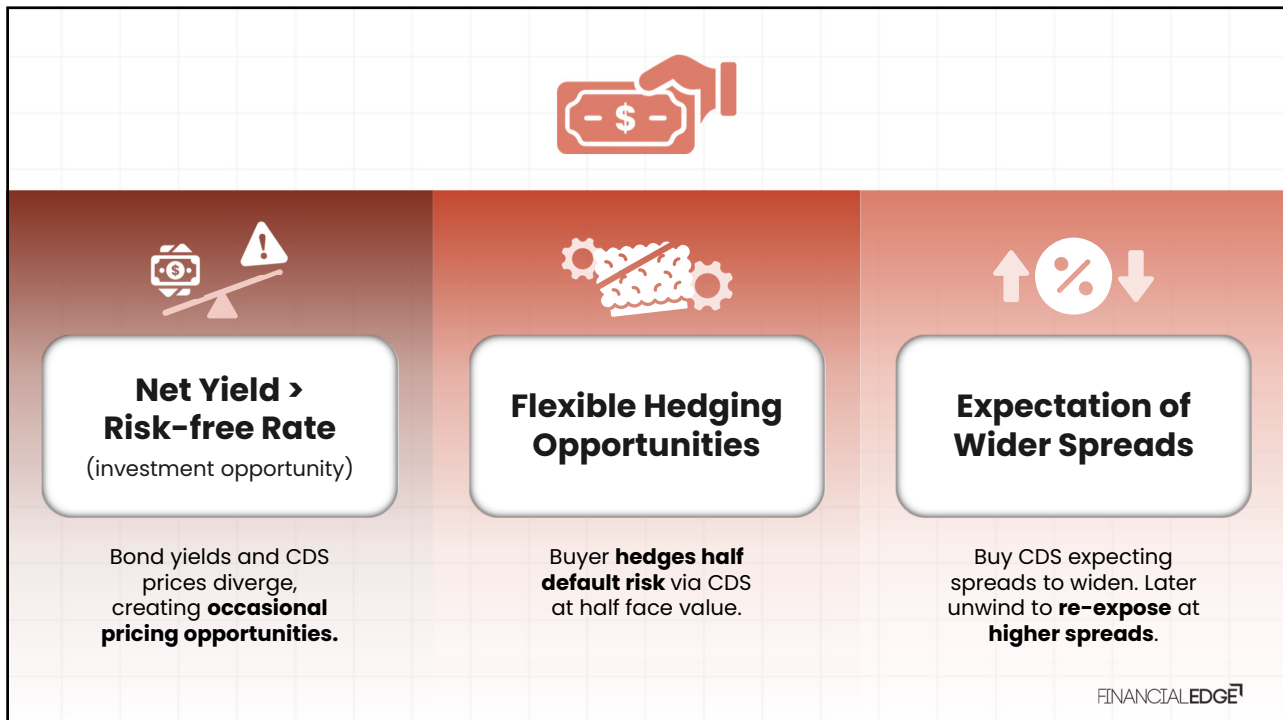
## Hedge Credit Risk in a Bond Investment

FINANCIALEDGE<sup>1</sup>

## Hedge Credit Risk in a Bond Investment

FINANCIALEDGE<sup>1</sup>

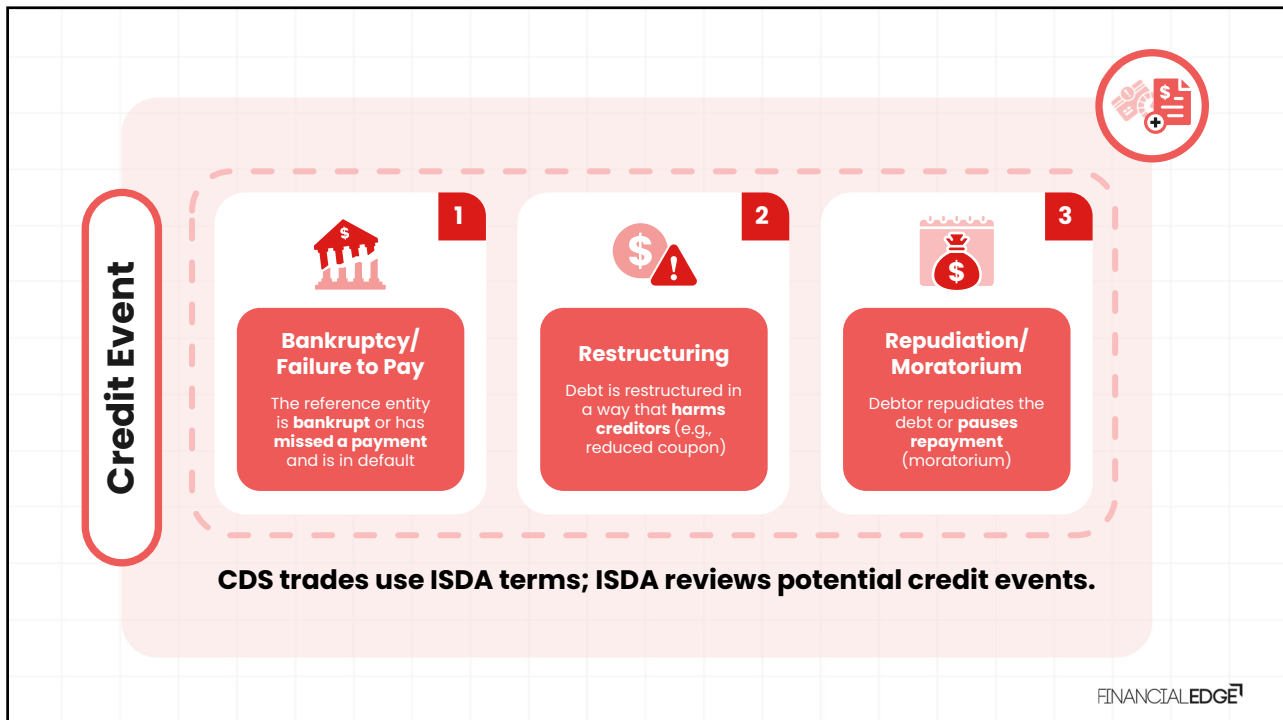




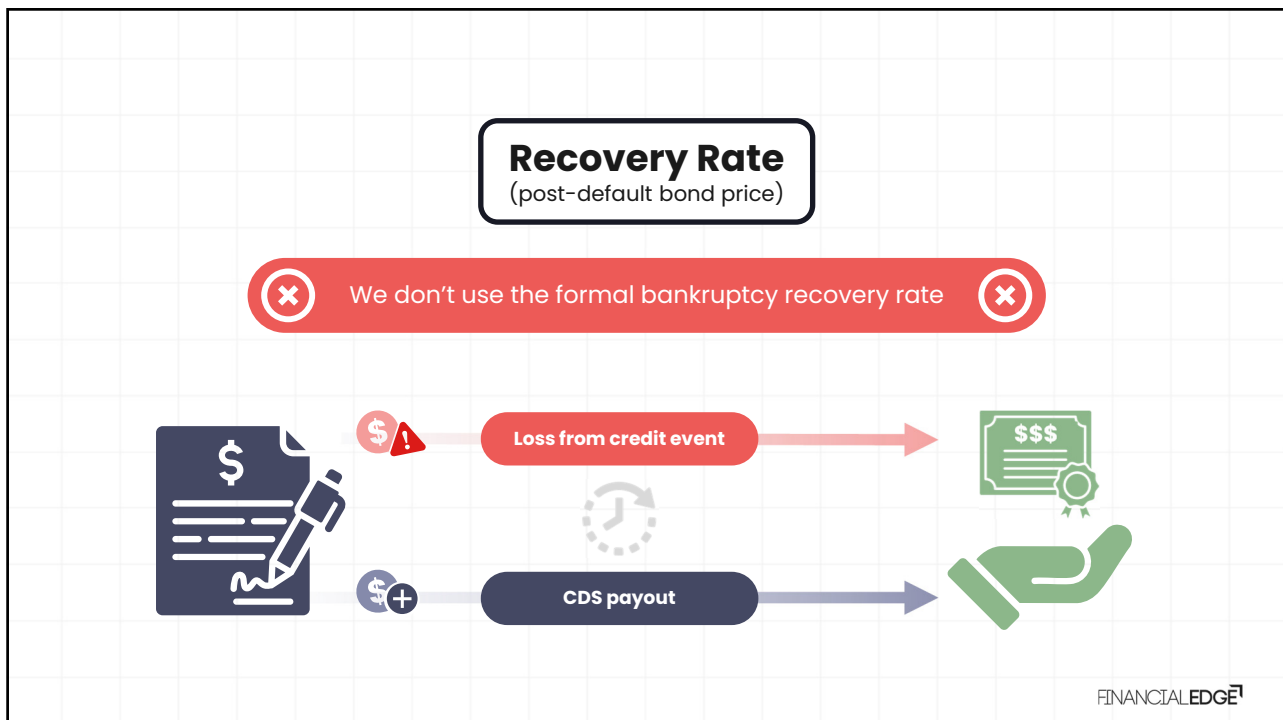
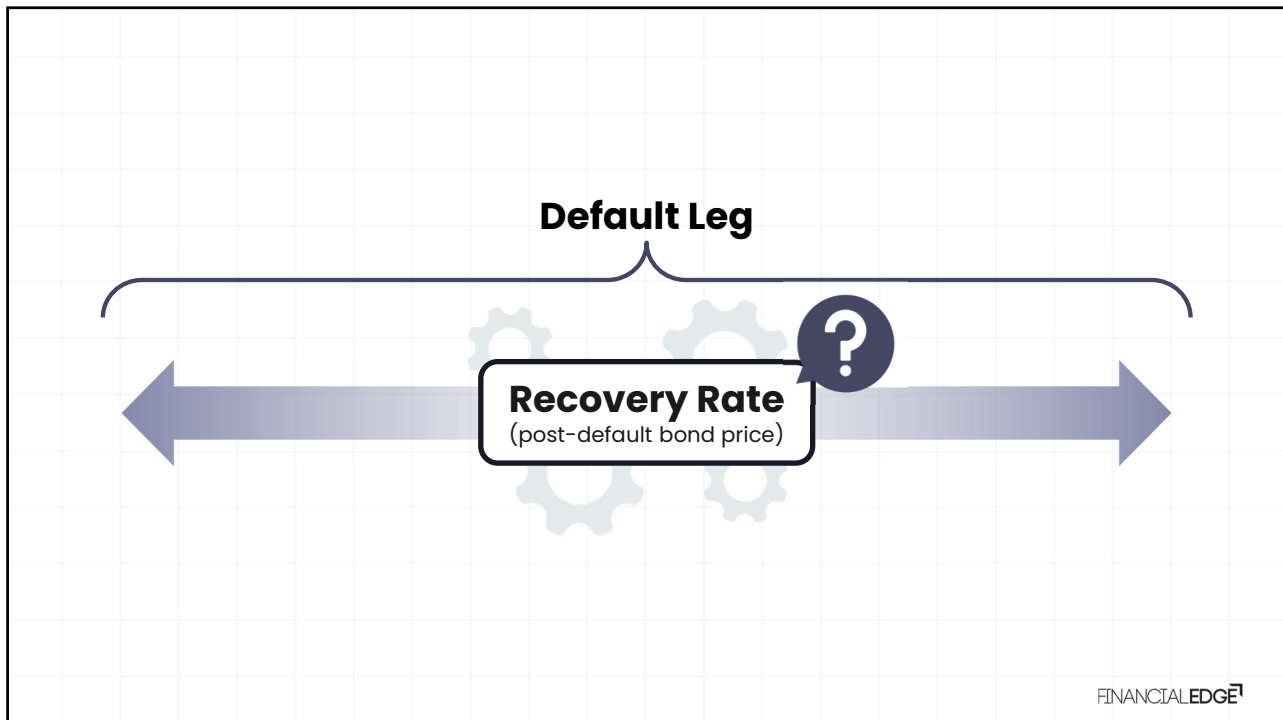


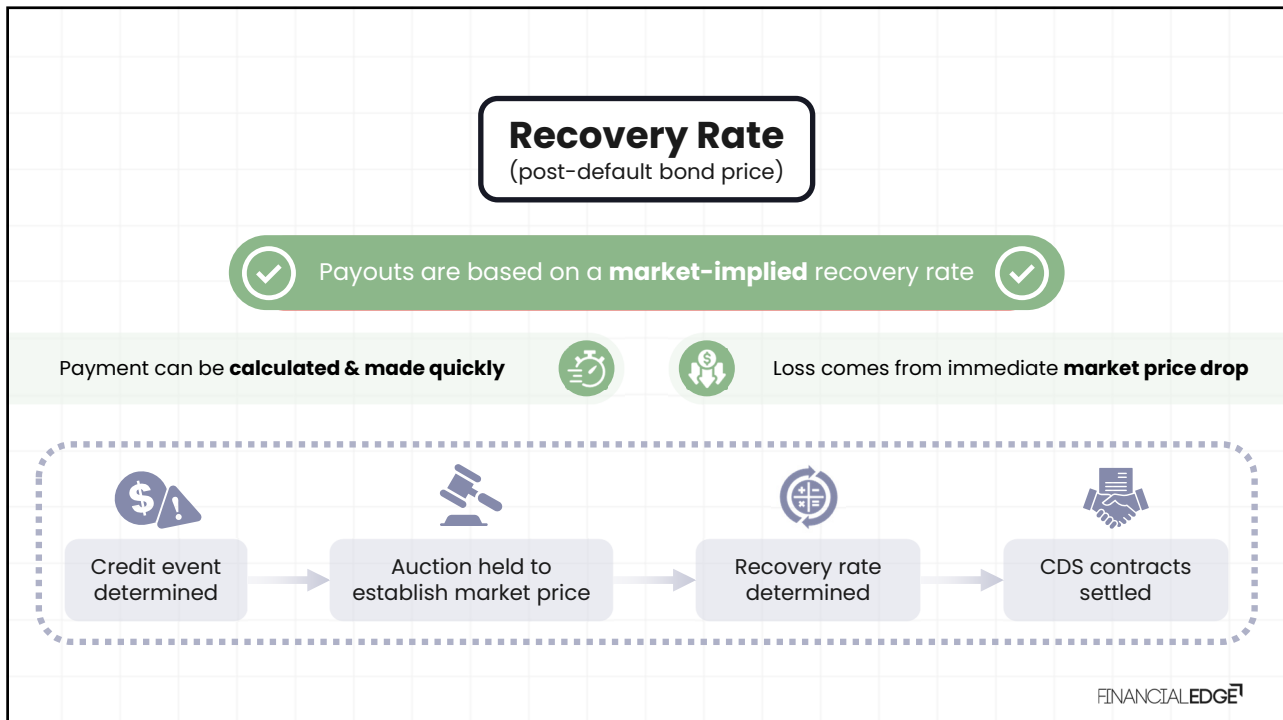
## Determining If a Credit Event Has Occurred

FINANCIALEDGE<sup>1</sup>FINANCIALEDGE<sup>1</sup>

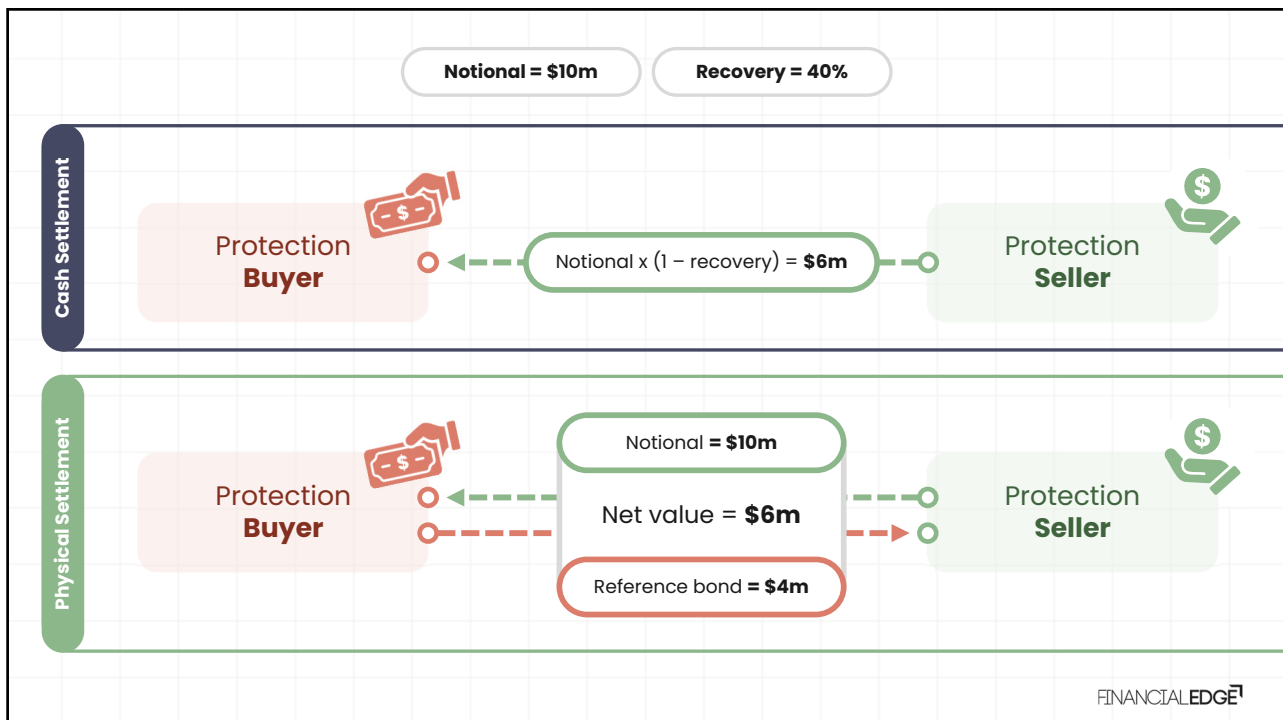
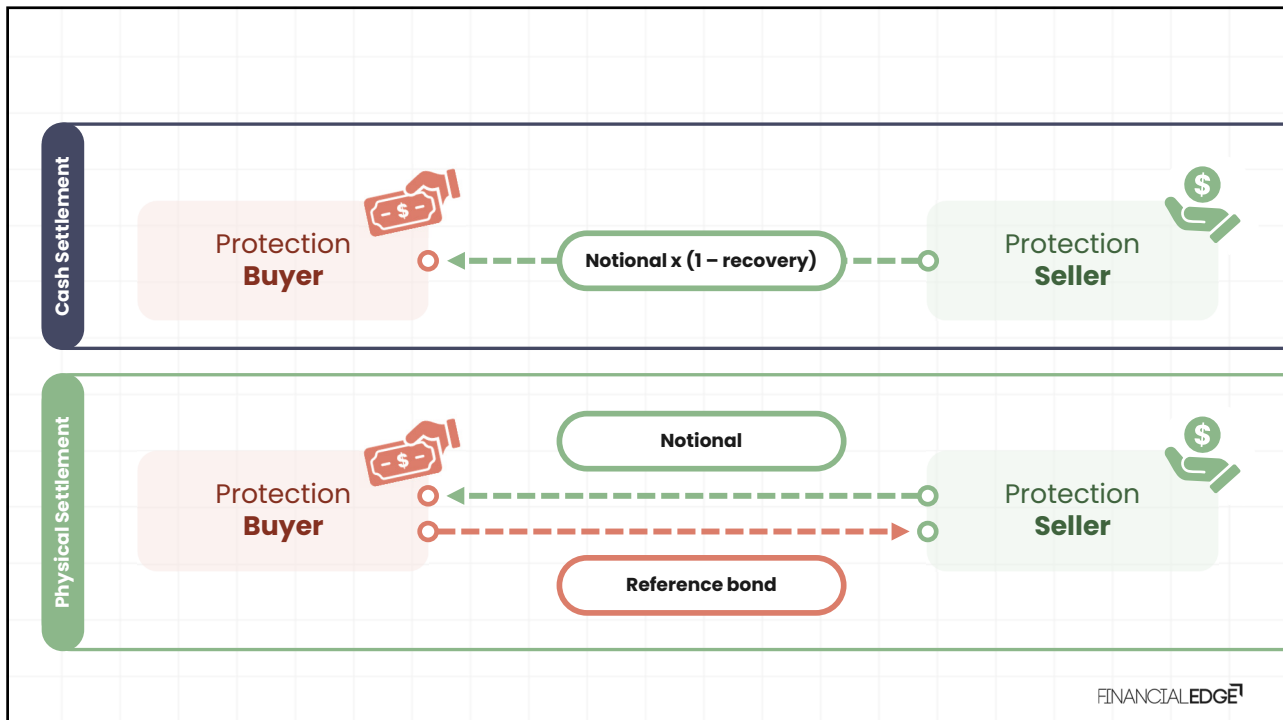


## Calculating the Recovery Rate

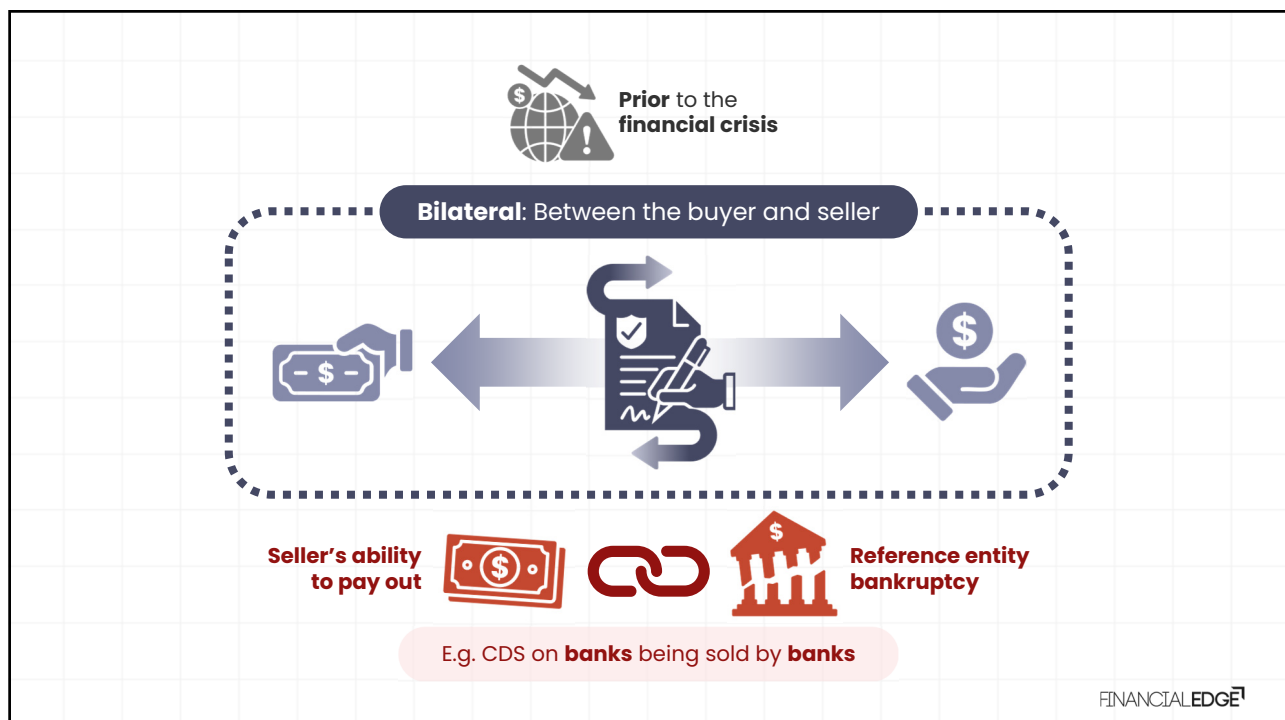


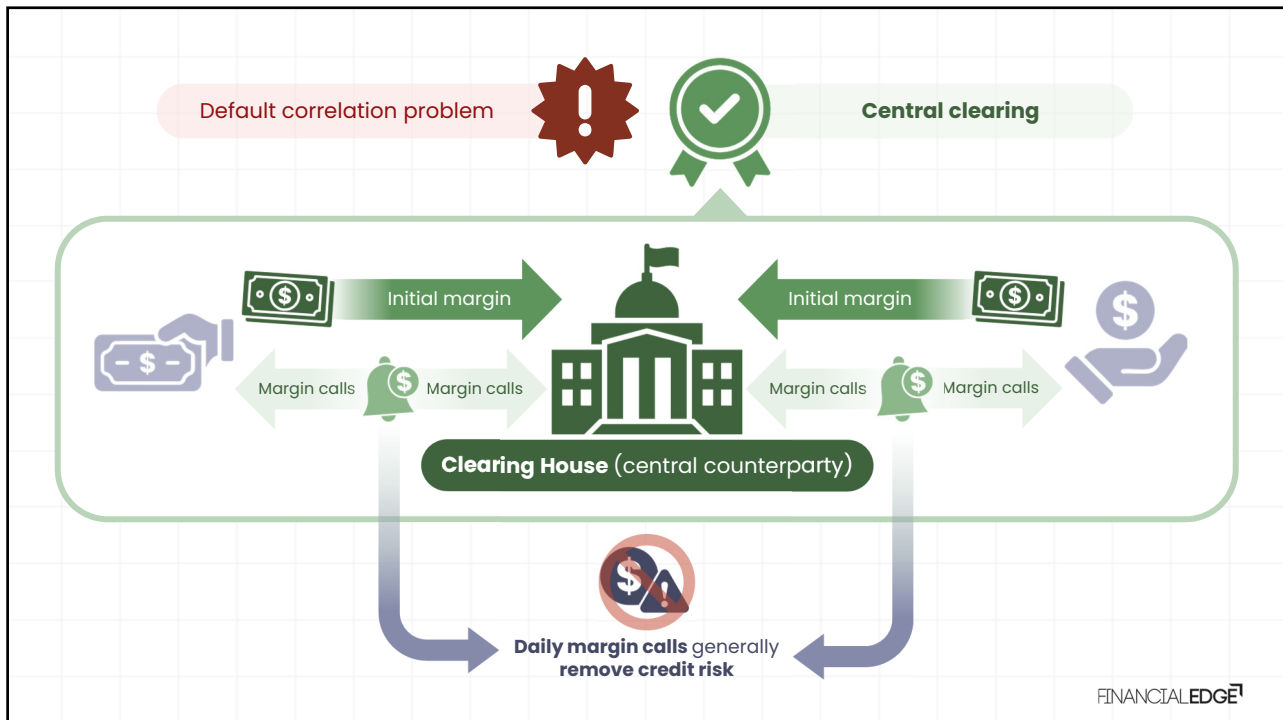


## Settlement Style



# Central Clearing for CDS

FINANCIALEDGE<sup>1</sup>



**Credit Default Swaps (CDSs)** are still an **over-the-counter (OTC)** market



1

Trade **agreed bilaterally**

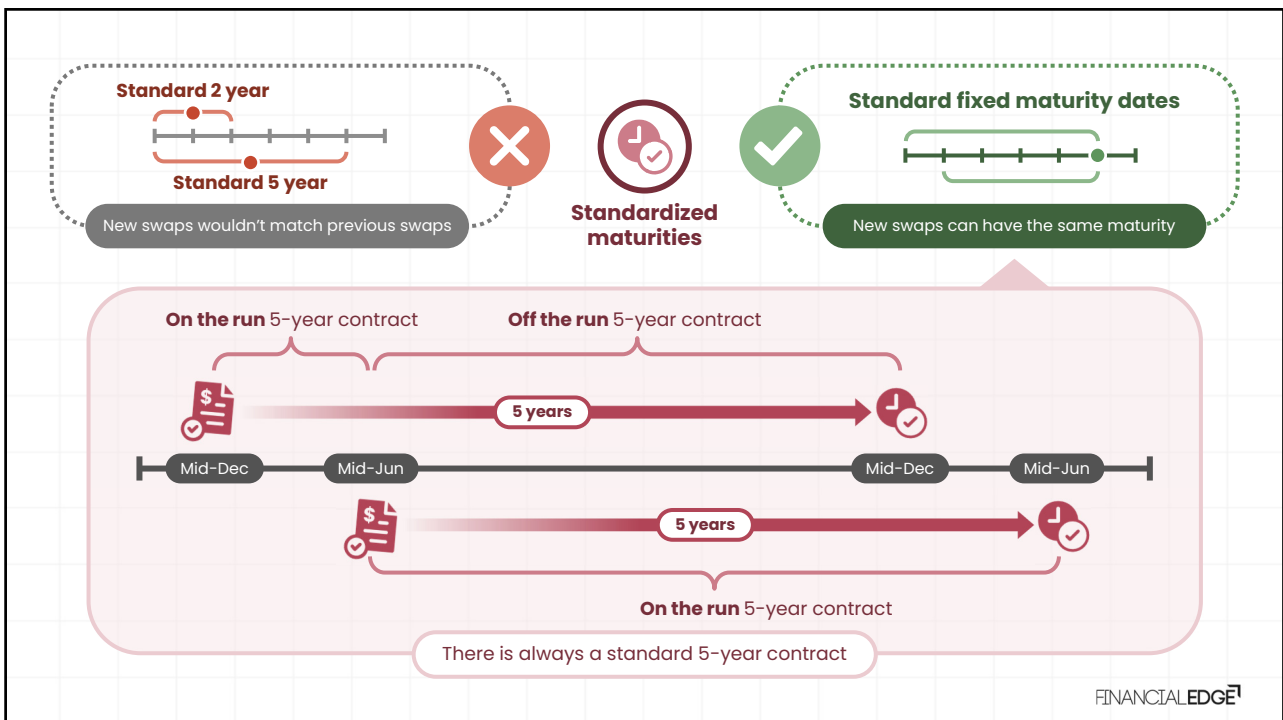
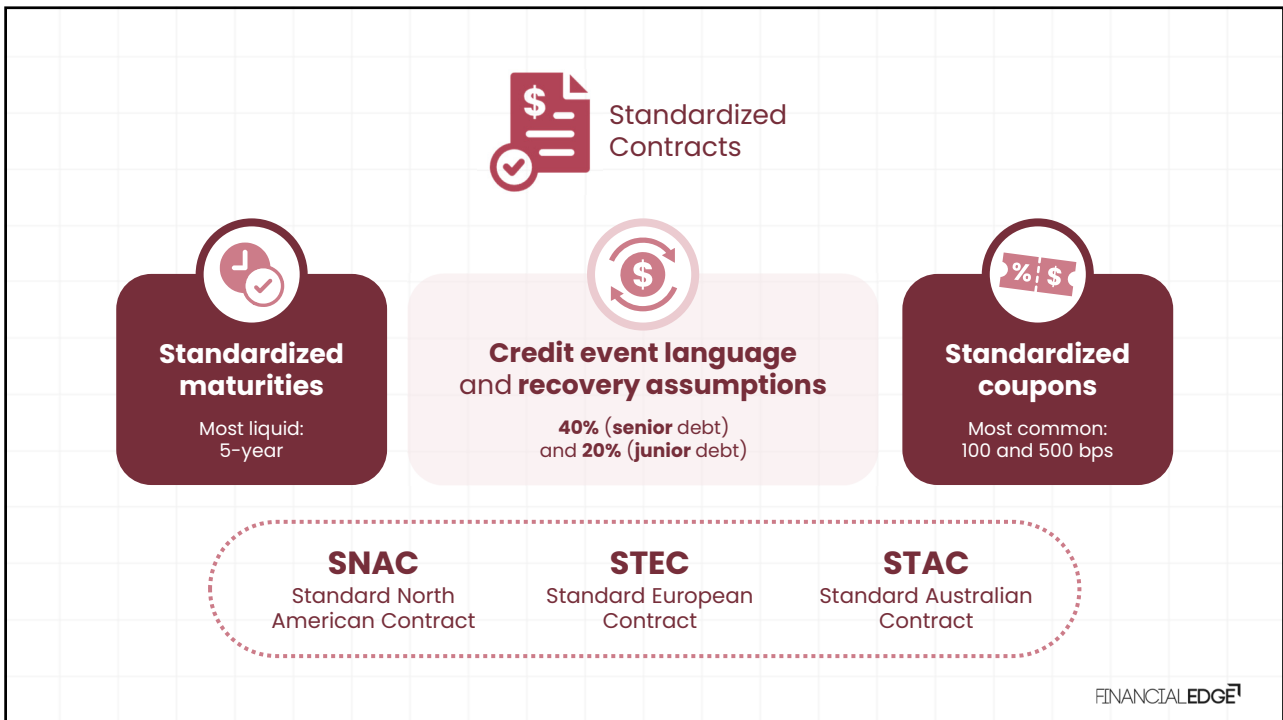
2

Trade **given up** to a mutually agreed **clearing house**

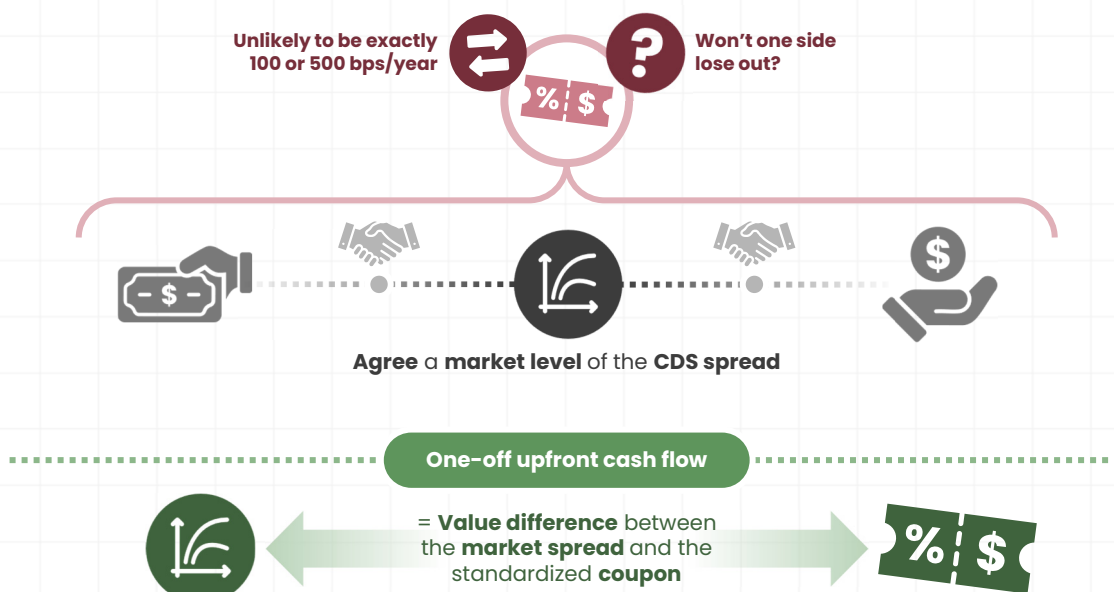
# Standardized Contracts

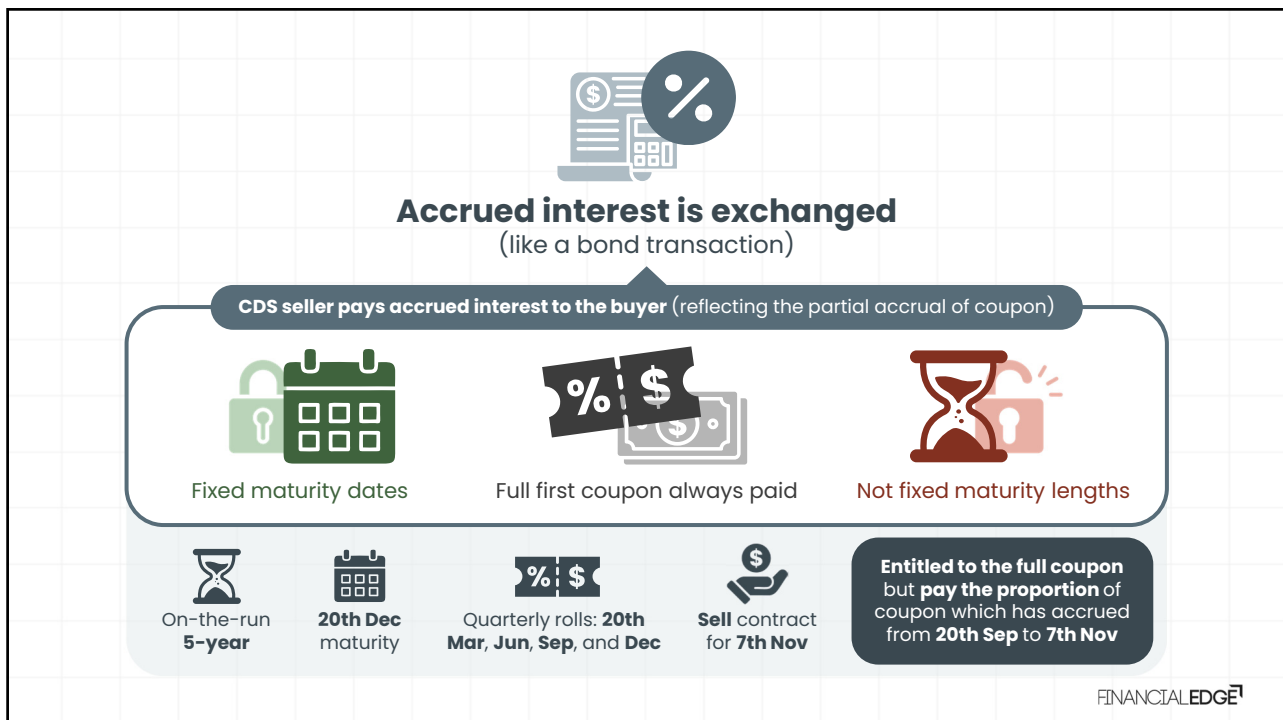
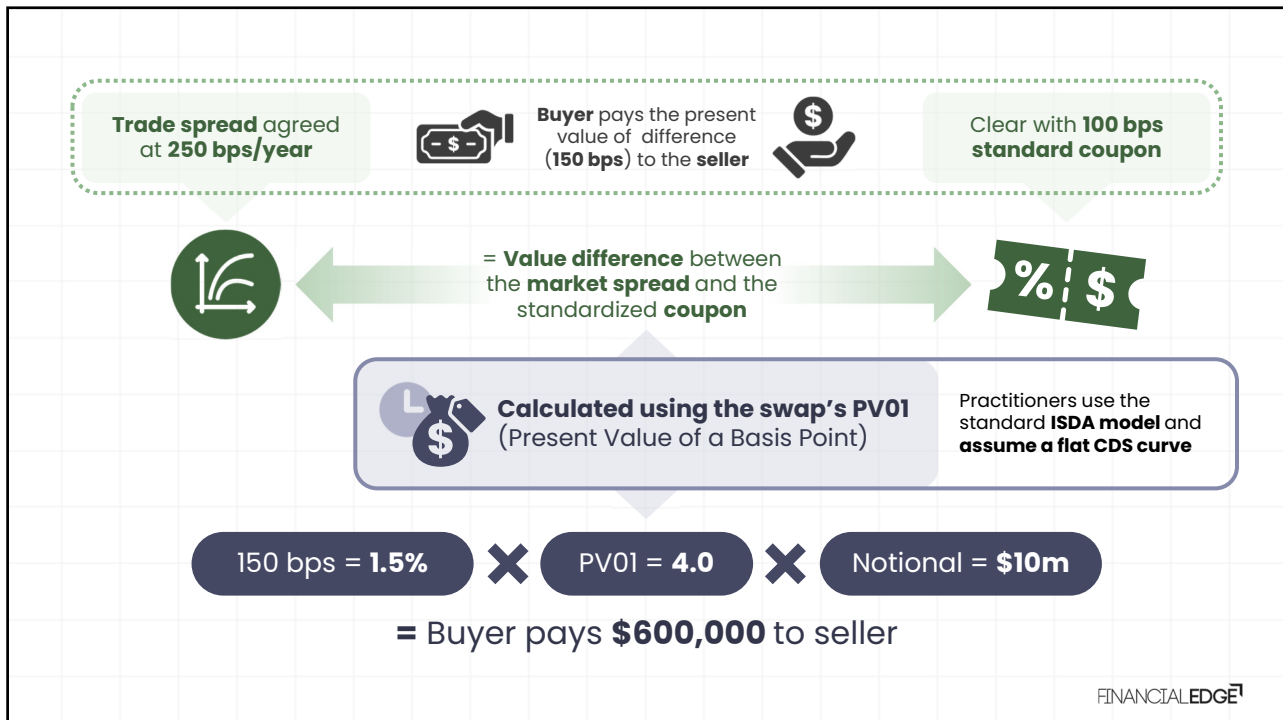
FINANCIALEDGE<sup>1</sup>FINANCIALEDGE<sup>1</sup>





# CDS Upfront Amounts

FINANCIALEDGE<sup>1</sup>FINANCIALEDGE<sup>1</sup>



# CDS Pricing – Part 1

FINANCIALEDGE<sup>1</sup>

How to price a  
credit default swap?

Like **providing protection** to somebody for a **1-year** period

Pay out  
**\$1 million**

Reference  
entity **defaults**



Reference  
entity **endures**

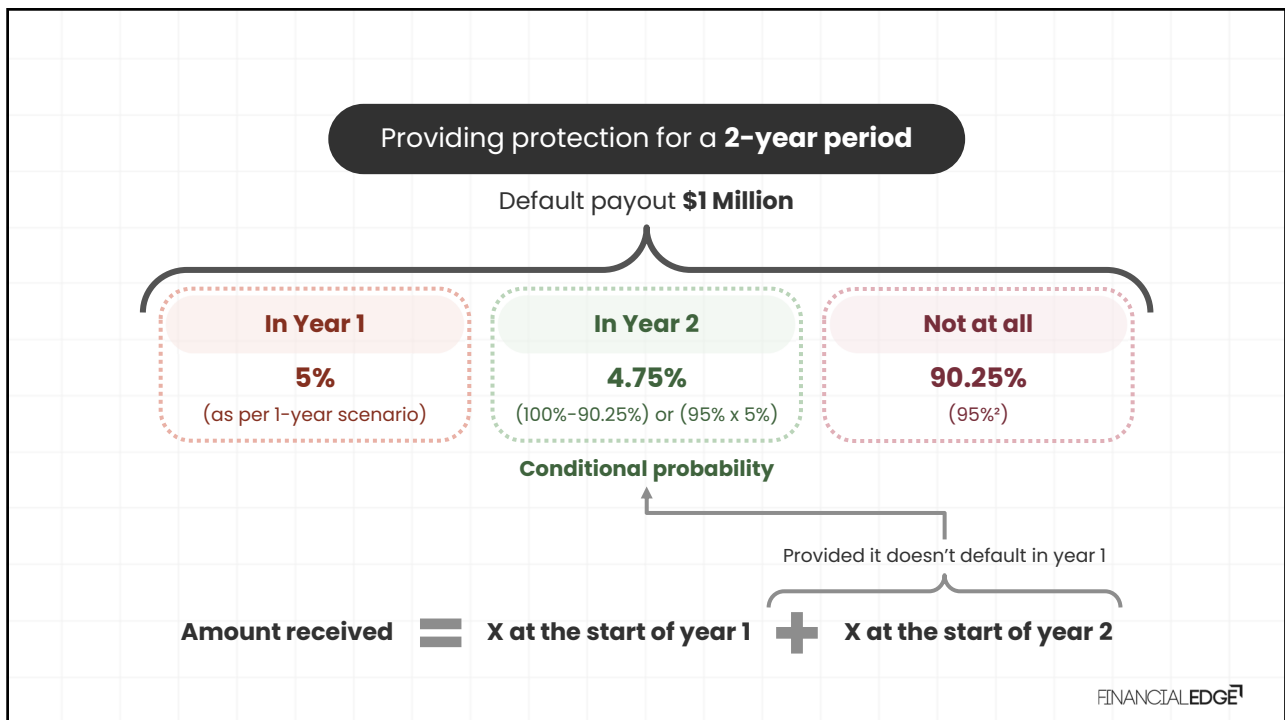
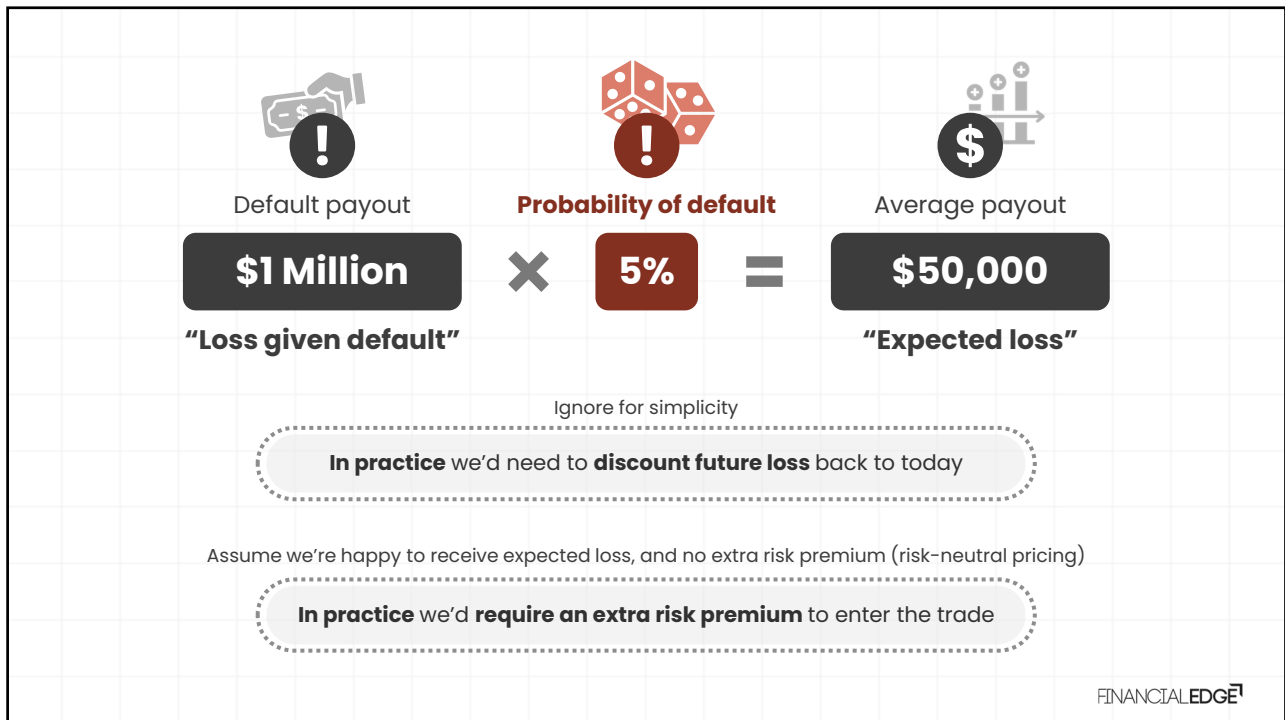
Pay out  
**\$0**

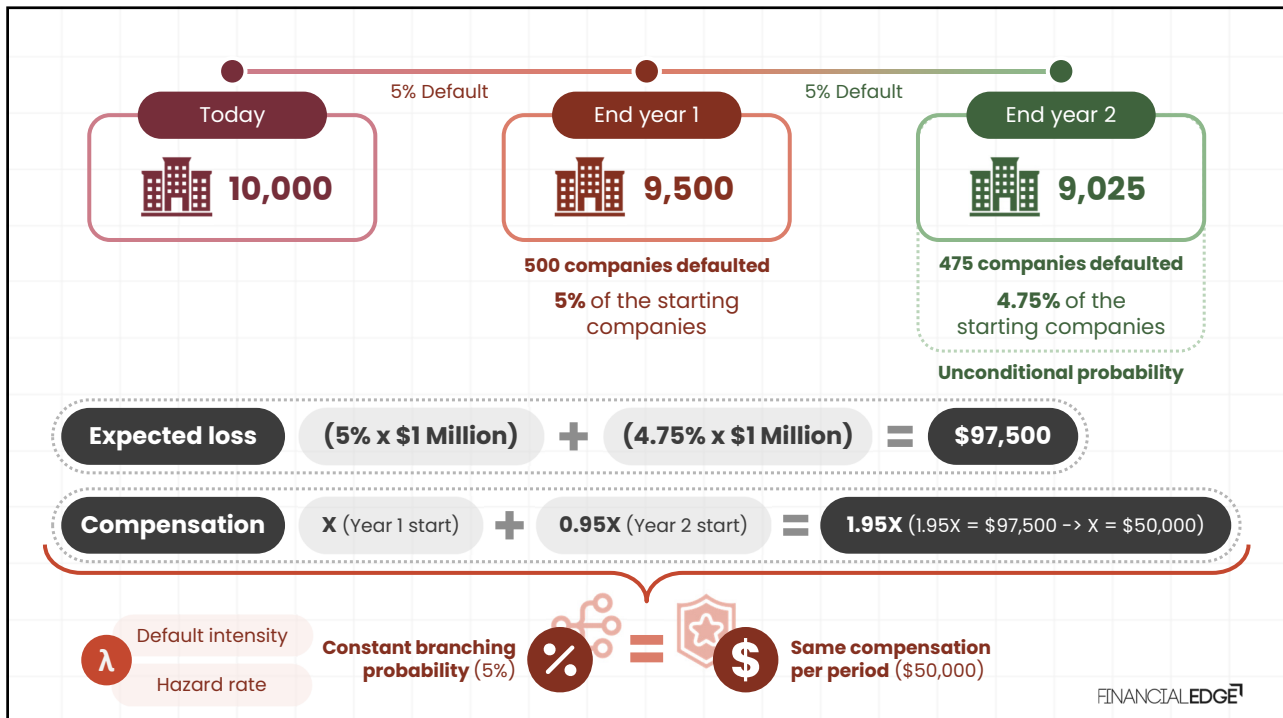
How to decide how much to receive upfront:



**Probability  
of default**

FINANCIALEDGE<sup>1</sup>





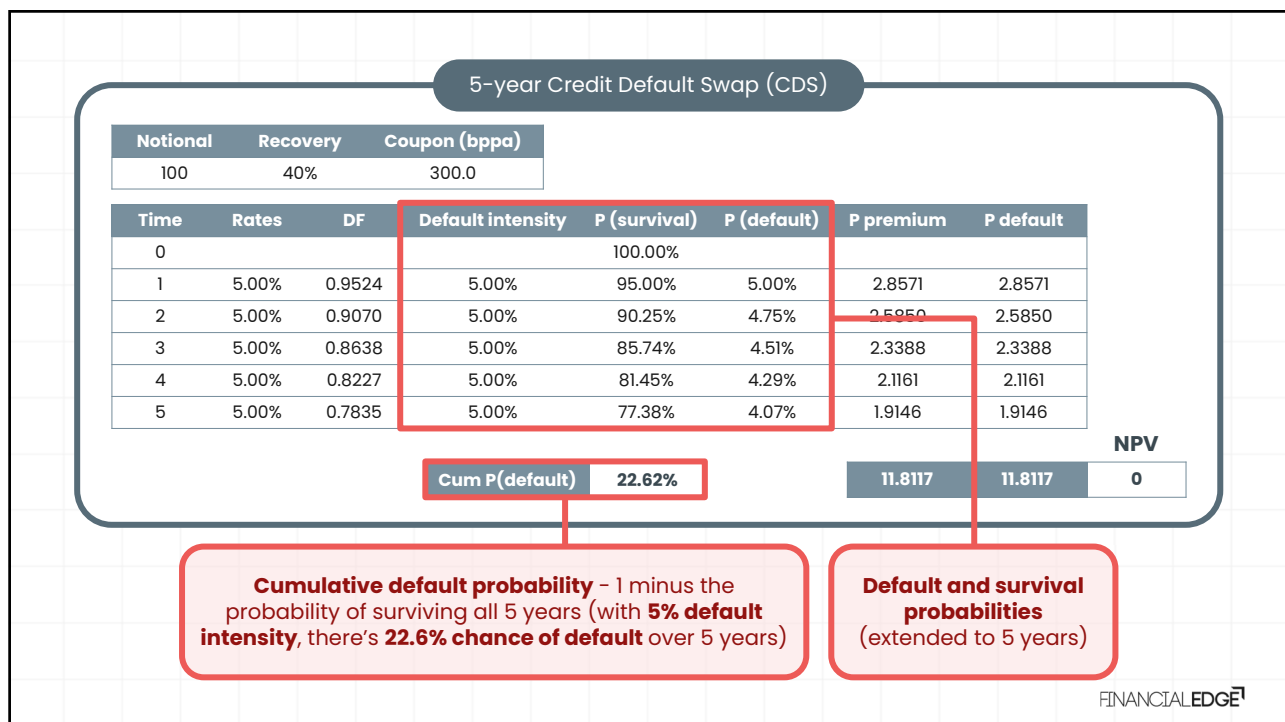
In practice, Credit Default Swaps (CDS) tend to have **quarterly payments** and the **premium will accrue up to the point of default**

PV premium leg = PV default leg

$$\sum_{t=1}^n S \cdot DF_t \cdot p_t \cdot \alpha_t = \sum_{t=1}^n (1-R) \cdot DF_t \cdot (p_{t-1} - p_t)$$

$n$  = number of coupon periods  
 $S$  = CDS spread  
 $DF_t$  = discount factor  
 $p_t$  = survival probability from today to  $t$   
 $\alpha_t$  = accrual factor from time  $t-1$  to  $t$   
 $R$  = recovery rate  
 $(p_{t-1} - p_t)$  = probability of a default between  $t-1$  and  $t$

## CDS Pricing – Part 2



## 5-year Credit Default Swap (CDS)

Notional	Recovery	Coupon (bpps)
100	40%	300.0

Time	Rates	DF	Default intensity	P (survival)	P (default)	P premium	P default
0				100.00%			
1	5.00%	0.9524	5.00%	95.00%	5.00%	2.8571	2.8571
2	<b>Simplified</b> 5.00%	0.9070	5.00%	90.25%	4.75%	<b>Simplified</b> 2.5850	2.5850
3	5.00%	0.8638	5.00%	85.74%	4.51%	2.3388	2.3388
4	5.00%	0.8227	5.00%	81.45%	4.29%	2.1161	2.1161
5	5.00%	0.7835	5.00%	77.38%	4.07%	1.9146	1.9146

Cum P(default) 22.62%

NPV

11.8117 11.8117 0

Annual steps are too crude for accurate pricing -  
should use a continuous probability distribution  
(measure the probability of default at any point in time)

Premium leg pays based on the  
probability of surviving to start of  
year N, rather than the end of year N

FINANCIALEDGE<sup>1</sup>

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Cum P(default)	22.62%
----------------	--------

Premium	11.8117	11.8117	NPV
			0

Simplified

Fixed at 40%, as it's **not possible to solve for both default intensity and recovery rate** (we must fix one)

**Constant default intensity**

**Equal and constant**  
(flat CDS curve assumption for calculating valuations for margining)

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## 5-year Credit Default Swap (CDS)

Notional	Recovery	Coupon (bpps)
100	40%	300.0

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Cum P(default)	22.62%
----------------	--------

Premium	11.8117	11.8117	NPV
			0



**Model** the  
default  
probability



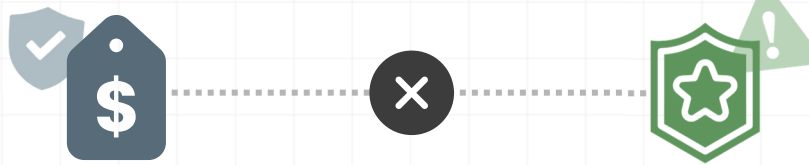
**Project**  
expected  
cash flows



**Compare** to  
other sources  
of data

FINANCIALEDGE<sup>1</sup>

### Risk-neutral pricing ignores the **risk premium**



**Risk-neutral pricing** assumes people don't care about uncertainty (in practice they do)

Someone taking on an uncertain commitment normally asks for **more than the risk-neutral expected value**

**CDS spreads will be higher than breakeven due to the risk premium** (tempt the seller to take on the risk)



**CDS pricing above overestimates the default probabilities** but establishes upper bound

### Standardized coupons

#### 100 bps contract

$$\text{Upfront PV} = (\text{Coupon} - \text{par CDS spread}) * PV01_{CDS}$$

Buyer **pays** ~ **7.87%** of notional

Notional	Recovery	Coupon (bpps)
100	40%	<b>100.0</b>

Time	Rates	DF	PV premium	PV default
0				
1	5.00%	0.9524	0.9524	2.8571
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3	5.00%	0.8638	0.7796	2.3388
4	5.00%	0.8227	0.7054	2.1161
5	5.00%	0.7835	0.6382	1.9146

**NPV**

3.9372    11.8117    **7.8745**

#### 500 bps contract

$$PV01_{CDS} = \sum P(\text{survival})_i * DF_i$$

Buyer **receives** ~ **7.87%** of notional

Notional	Recovery	Coupon (bpps)
100	40%	<b>500.0</b>

Time	Rates	DF	PV premium	PV default
0				
1	5.00%	0.9524	4.7619	2.8571
2	5.00%	0.9070	4.3084	2.5850
3	5.00%	0.8638	3.8981	2.3388
4	5.00%	0.8227	3.5268	2.1161
5	5.00%	0.7835	3.1909	1.9146

**NPV**

19.6861    11.8117    **-7.8745**

Clearing house assigns a standard coupon and calculates the **upfront PV to be paid to compensate for the change in coupon**

# CDS Risk



Sensitivity to changes in the par CDS spread is called **CS01** or **Spread DV01**



Buyer of a CDS and had a **CS01** of **25,000**



Market spread increased by **10 bps**



Make **\$250,000** profit



Risk is impacted by the choice of standard coupon



Par CDS spread rises

=



Default probabilities rise

=



Expected maturity shortens



\$100,000 per year

\$500,000 per year

Risk is impacted by the choice of standard coupon



### Credit Default Swaps (CDS) are convex instruments

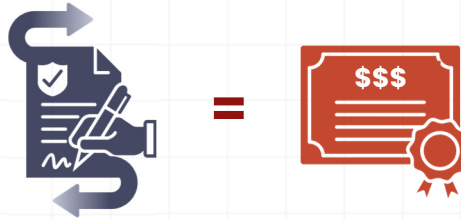
Driven by the **changing expected life** (short position benefits lower spread - longer expect life to make money in)

FINANCIALEDGE<sup>1</sup>

## Hedging Non-Par Bonds

FINANCIALEDGE<sup>1</sup>

We have assumed that to **hedge a bond against default** we would match the **notional size of the CDS** with the **face value of the bond**



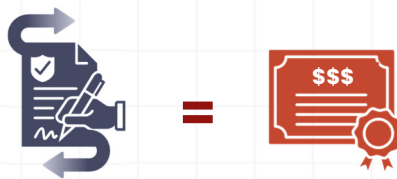
Only true if the **bond is trading at par**



How do we adjust our hedge if the **bond is trading away from par**?

FINANCIALEDGE<sup>7</sup>

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#### Payout on CDS

1 – recovery rate  
(par – recovery)

CDS payout > loss on bond  
= **net gain, over hedged**



#### Loss on bond

Depends on the price you paid

A bond bought at 85% has a loss on default of **85% – recovery**

Only true if the **bond is trading at par**

FINANCIALEDGE<sup>7</sup>



How do we adjust our hedge if the **bond is trading away from par?**

We need to **adjust the CDS notional** so that...



**Payout on CDS**

**=**



**Loss on bond**



$$N_{CDS} = N_{bond} * \frac{Price - R}{1 - R}$$

(calculating the ratio of the bond loss, to the CDS payout)

FINANCIALEDGE<sup>7</sup>

We need to **adjust the CDS notional** so that...



Bond face value: **\$10,000,000**

Purchase price: **85%**

Assumed recovery: **40%**

$$N_{CDS} = N_{bond} * \frac{Price - R}{1 - R}$$



**CDS payout:** 100% - 40% = **60%**



**Bond loss:** 85% - 40% = **45%**



**CDS notional:** 10,000,000 x  $\frac{45}{60}$  = **\$7,500,000**



**CDS payout:** 60% x \$7.5M = **\$4.5M**

**=**



**Bond loss:** 45% x \$10M = **\$4.5M**

**CDS payout = the loss on the bond on default**

FINANCIALEDGE<sup>7</sup>



How do we adjust our hedge if the **bond is trading away from par?**



Bond face value: **\$10,000,000**  
Purchase price: **85%**  
Assumed recovery: **40%**

$$N_{CDS} = N_{bond} * \frac{Price - R}{1 - R}$$



Hedging non-par bonds is an **approximate hedge**  
Actual recovery may differ



How do we adjust our hedge if the **bond is trading away from par?**

### Default risk

$$N_{CDS} = N_{bond} * \frac{Price - R}{1 - R}$$



Payout on CDS

=



Loss on bond

### Price risk

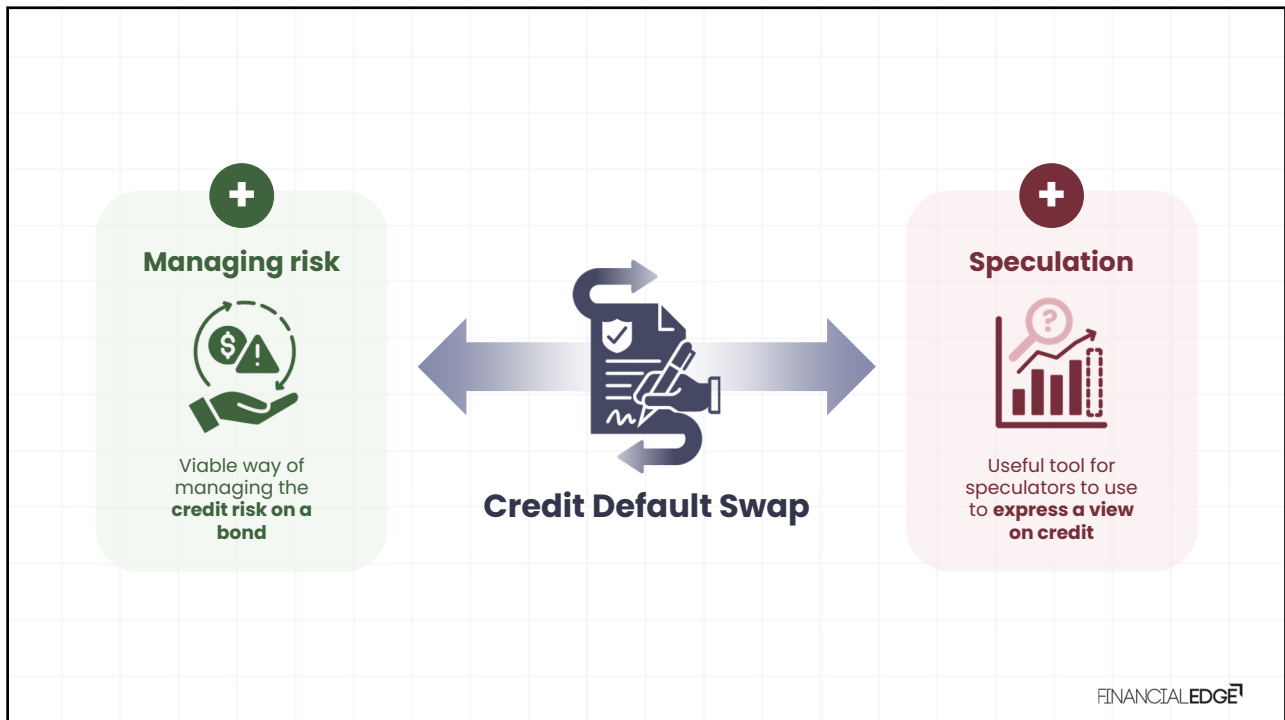
Match sensitivities:

CS01

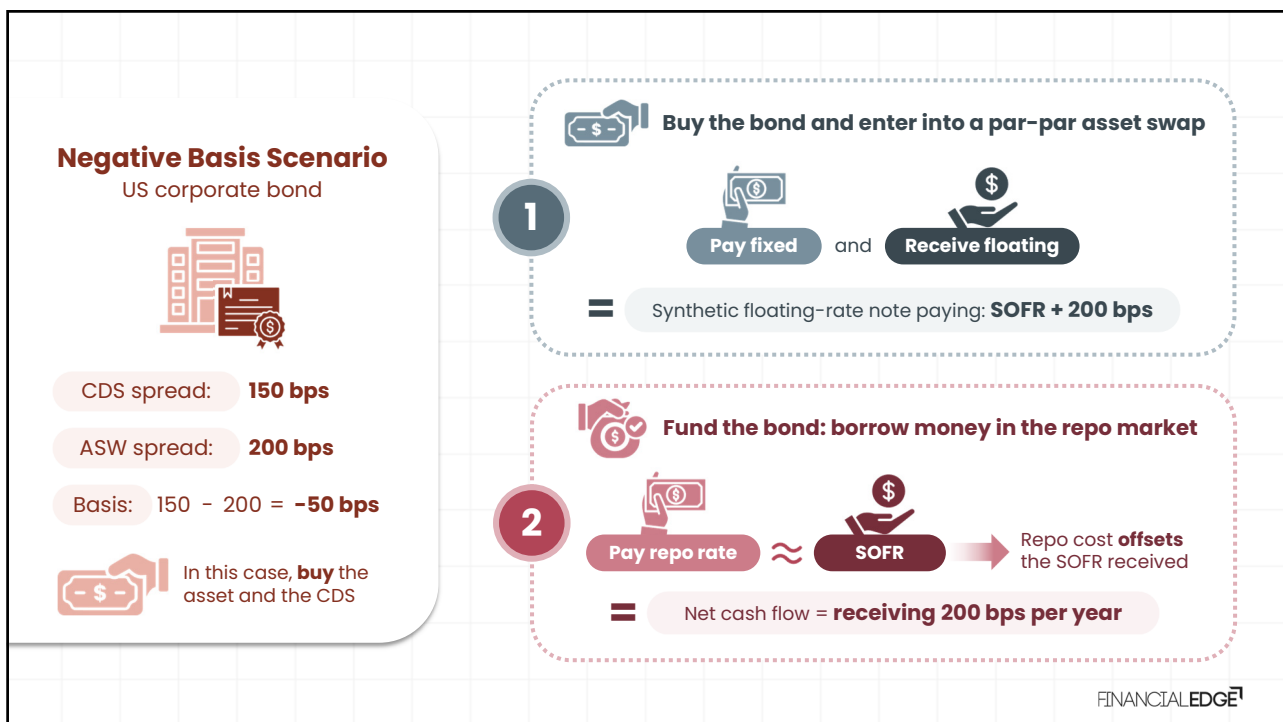
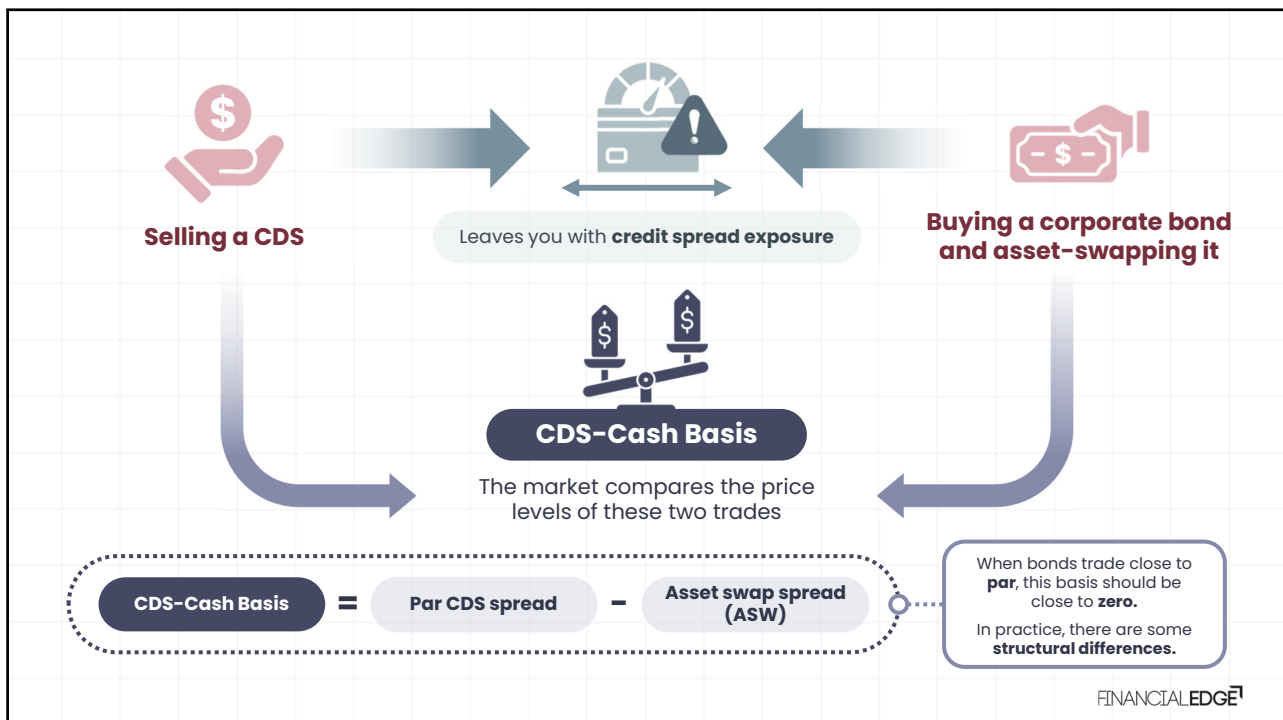
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DV01





## CDS-Cash Basis



**Negative Basis Scenario**

US corporate bond

CDS spread: **150 bps**ASW spread: **200 bps**Basis:  $150 - 200 = -50 \text{ bps}$ In this case, **buy** the asset and the CDS**Fund the bond: borrow money in the repo market****2**

Pay repo rate



SOFR

Repo cost **offsets** the SOFR received**= Net cash flow = receiving 200 bps per year****Buy the CDS at 150 bps****3****+200 bps (asset swap)****- 150 bps (CDS)****= +50 bps****No default**You **earn 50 bps** per year**Default****CDS pays losses and the trades are unwound**FINANCIALEDGE<sup>7</sup>**Negative Basis Scenario**

US corporate bond

CDS spread: **150 bps**ASW spread: **200 bps**Basis:  $150 - 200 = -50 \text{ bps}$ In this case, **buy** the asset and the CDS**1****Buy the bond and enter into a par-par asset swap****2****Fund the bond: borrow money in the repo market****3****Buy the CDS at 150 bps****Risk-free profit?**Usually a **relative value opportunity**, not an arbitrage.Unwinding the interest rate swap after **default** can **expose interest rate risk**.FINANCIALEDGE<sup>7</sup>

## CDS-Cash Basis Drivers

FINANCIALEDGE<sup>1</sup>

**Why the CDS-Cash Basis does not trade at zero**

**+**

**Positive Basis**  
(CDS > ASW)

**-**

**Negative Basis**  
(CDS < ASW)

FINANCIALEDGE<sup>1</sup>

## Why the CDS-Cash Basis does not trade at zero



**Positive Basis**  
(CDS > ASW)



### The choice of asset swap benchmark.

EUR government bonds can asset swap to negative spreads vs. EURIBOR. A CDS spread cannot go negative.



### CDS as an efficient shorting mechanism.

Buying a CDS is a much cleaner way to express the trade than shorting cash bonds.



### Convertible bond hedging.

Relative value traders hedge convertible bonds by buying CDS, creating excess demand that pushes CDS prices up.



### The price of the bond.

A bond trading below par can result in a positive basis.



**Negative Basis**  
(CDS < ASW)

FINANCIALEDGE<sup>1</sup>

## Why the CDS-Cash Basis does not trade at zero



**Positive Basis**  
(CDS > ASW)



### The price of the bond.

A bond trading below par can result in a positive basis.

Basis = **zero**  
Bond price = **below par**



**Buy the CDS**  
**and asset swap**



No default =  
**flat position**



Default =  
**over-hedged**

**Over-hedged = windfall gain**



Traders may **buy the basis above zero**, paying a small ongoing cost in return for a **possible windfall gain** on default

FINANCIALEDGE<sup>1</sup>

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### Negative Basis (CDS < ASW)



**Funding costs.**  
If you could not fund the bond at the benchmark rate, selling the CDS at a negative basis may be cheaper.



**CLN and synthetic CDO issuance.**  
These structures require issuers to sell CDS protection, putting downward pressure on CDS prices.



**The price of the bond.**  
A bond trading above par can result in a negative basis (windfall gain effect).

FINANCIALEDGE<sup>7</sup>

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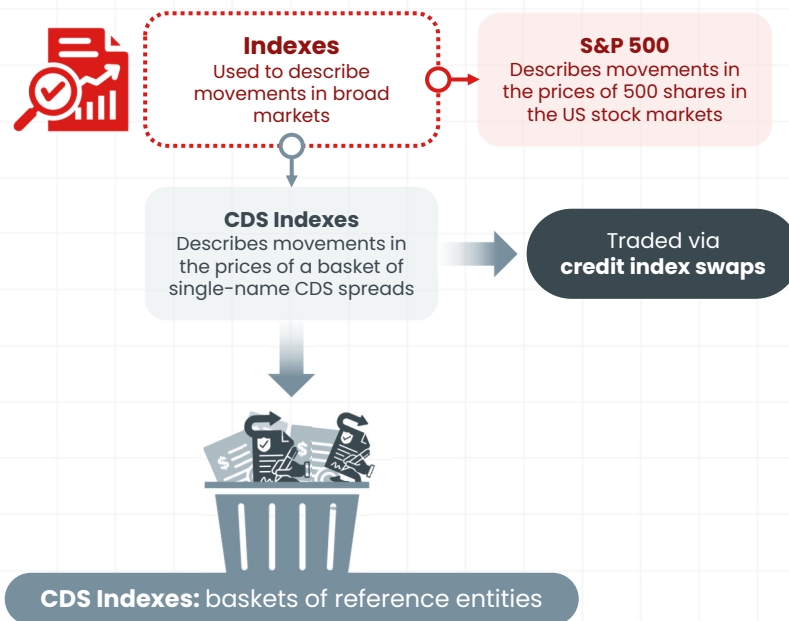
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These structures require issuers to sell CDS protection, putting downward pressure on CDS prices.

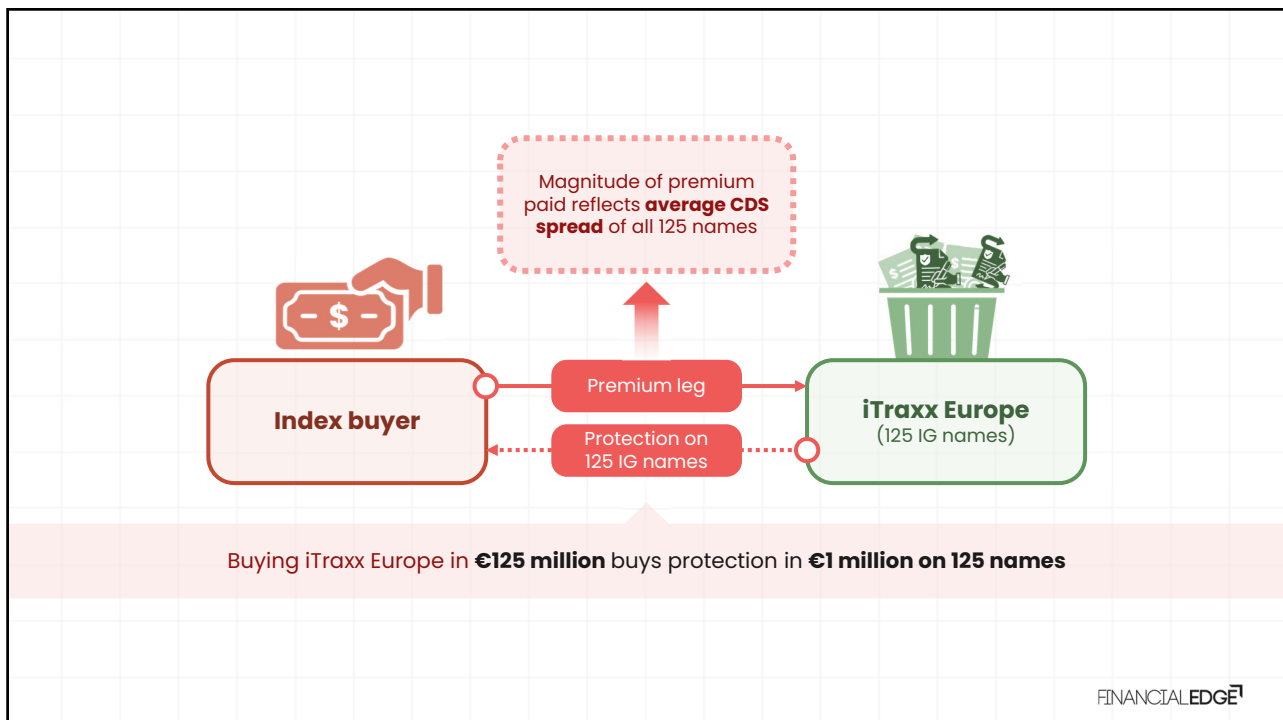
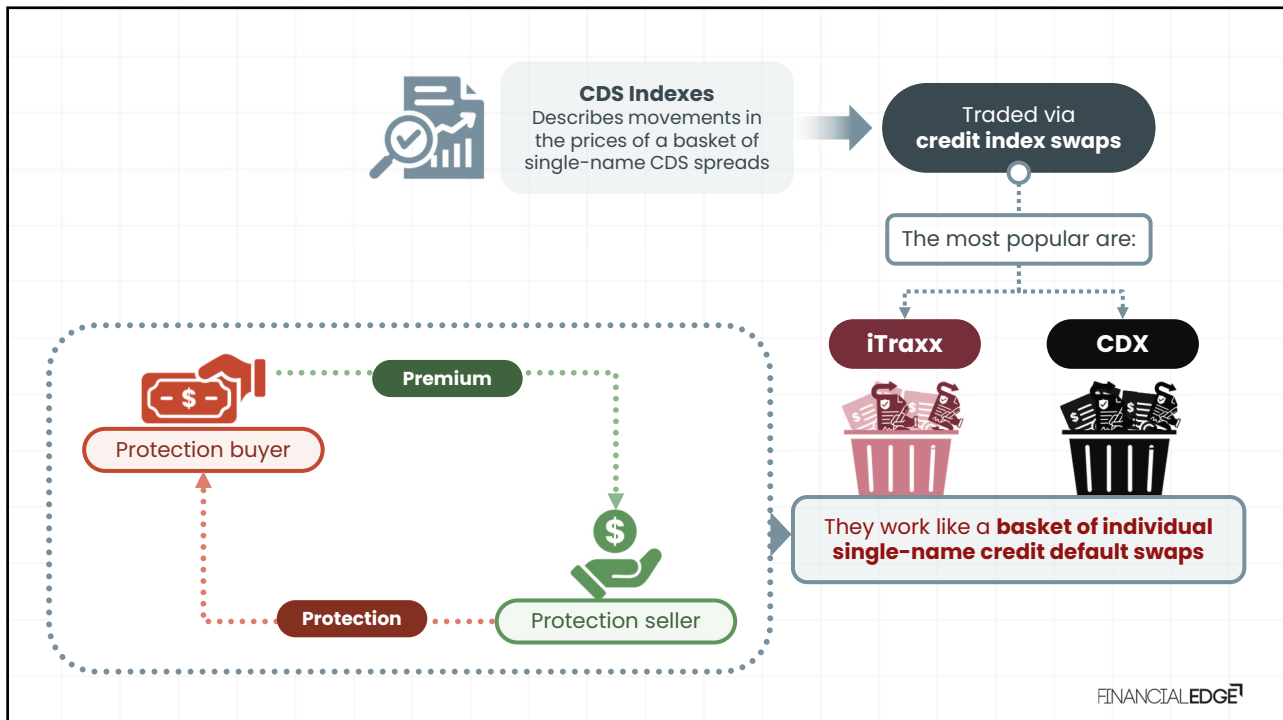


**The price of the bond.**  
A bond trading above par can result in a negative basis (windfall gain effect).

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# CDS Indexes







The difference is the **scope** of the **underlying reference names**

### Credit Index Swaps



Exposure to **many companies**

### Single-name CDS



Exposure to **one company**

### Motivations



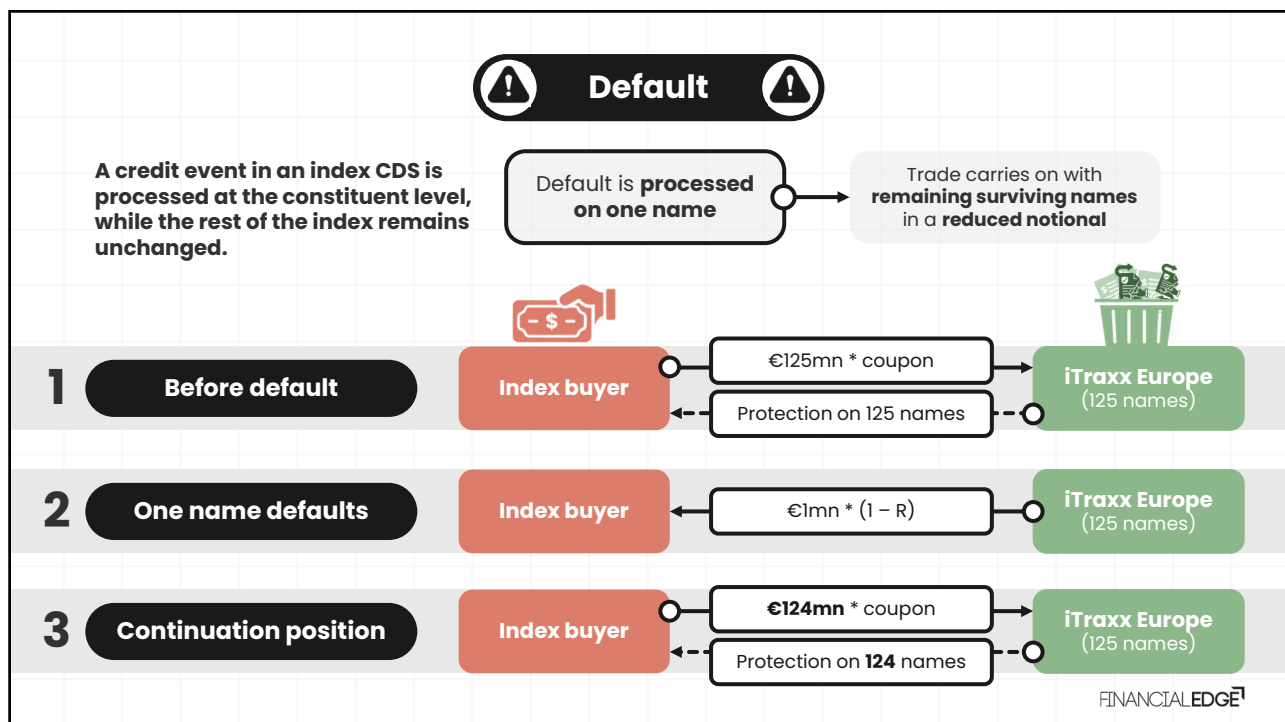
#### Protection Buyer

Looking to put a **macro hedge** on a loan portfolio exposed to **credit risk of a broad sector**



#### Protection Seller

Looking to **express a view** that credit spreads narrow across the market in a **single, convenient trade**



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