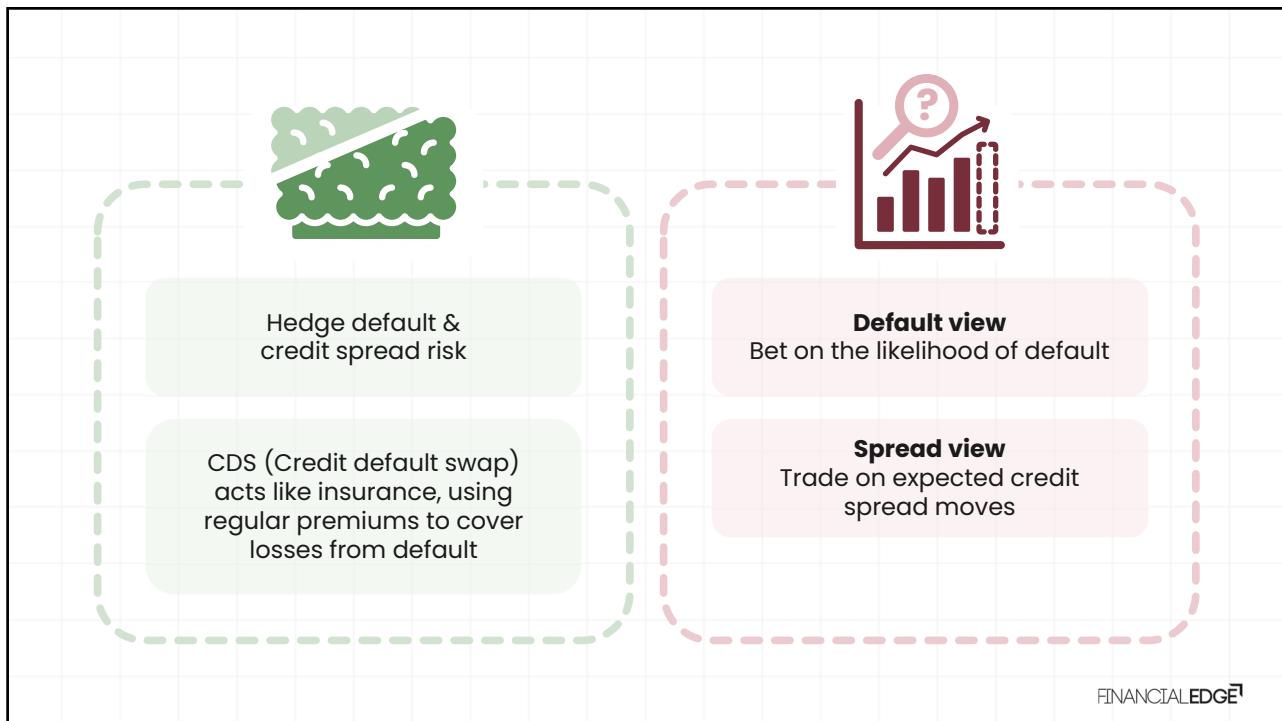
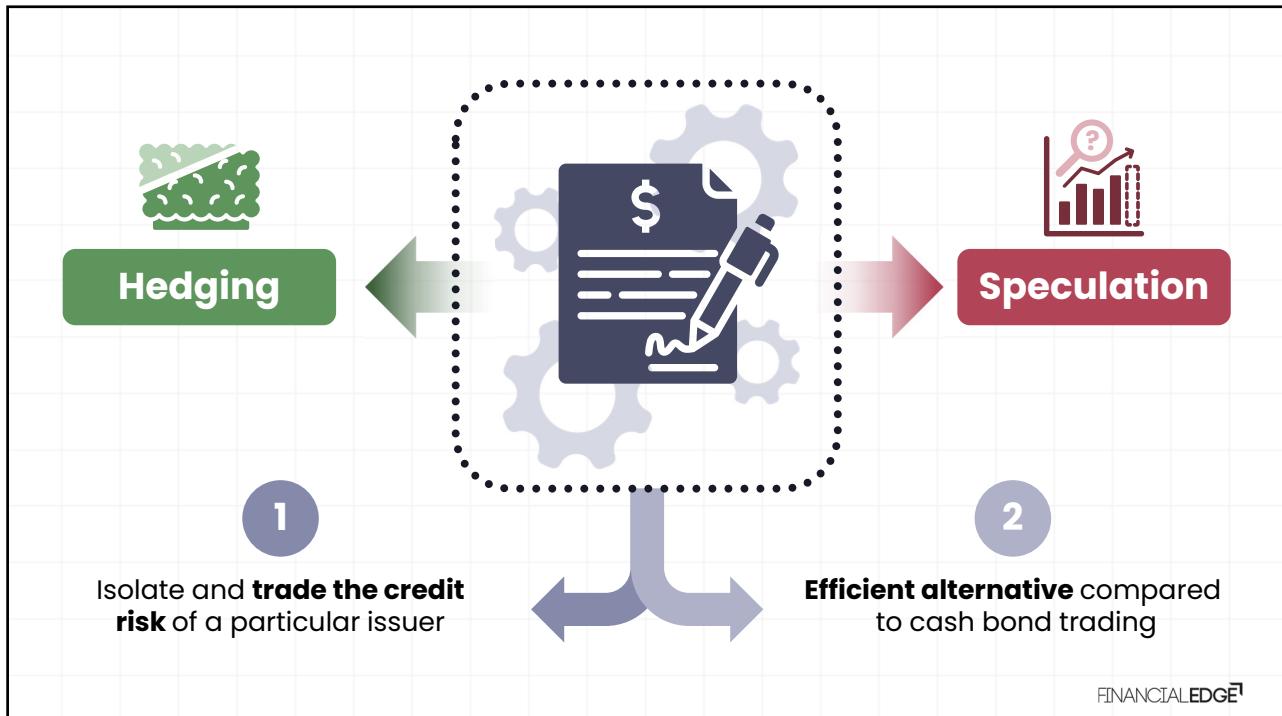




Credit Derivatives



Credit Derivatives Overview



Single Name Credit Default Swap (CDS)

CDS Credit Default Swap

Pays CDS premium to **receive protection** in case of a credit event

Protection Buyer



1 - recovery
(Default leg)

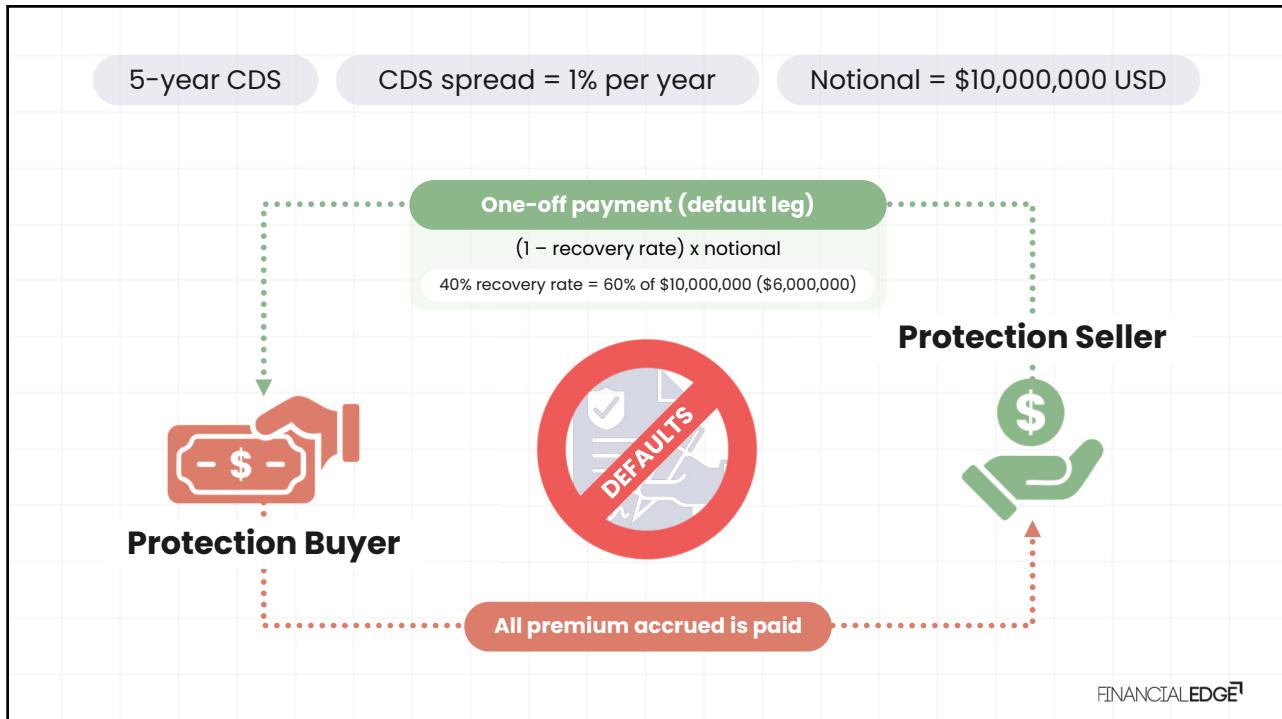
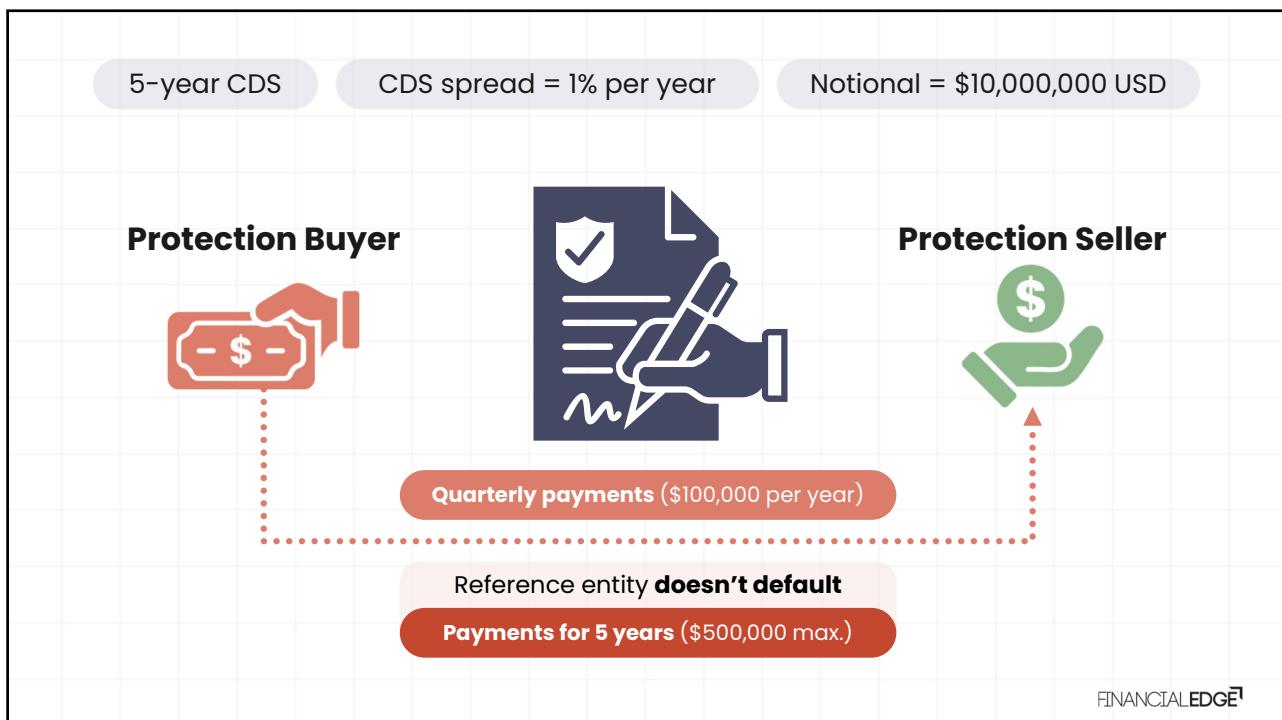


CDS premium
(Premium leg)



Protection Seller

Receives CDS premium in exchange for **providing protection** in case of a credit event



Insuring Against Default



Hedge Credit Risk in a Bond Investment

Default

&

No Default



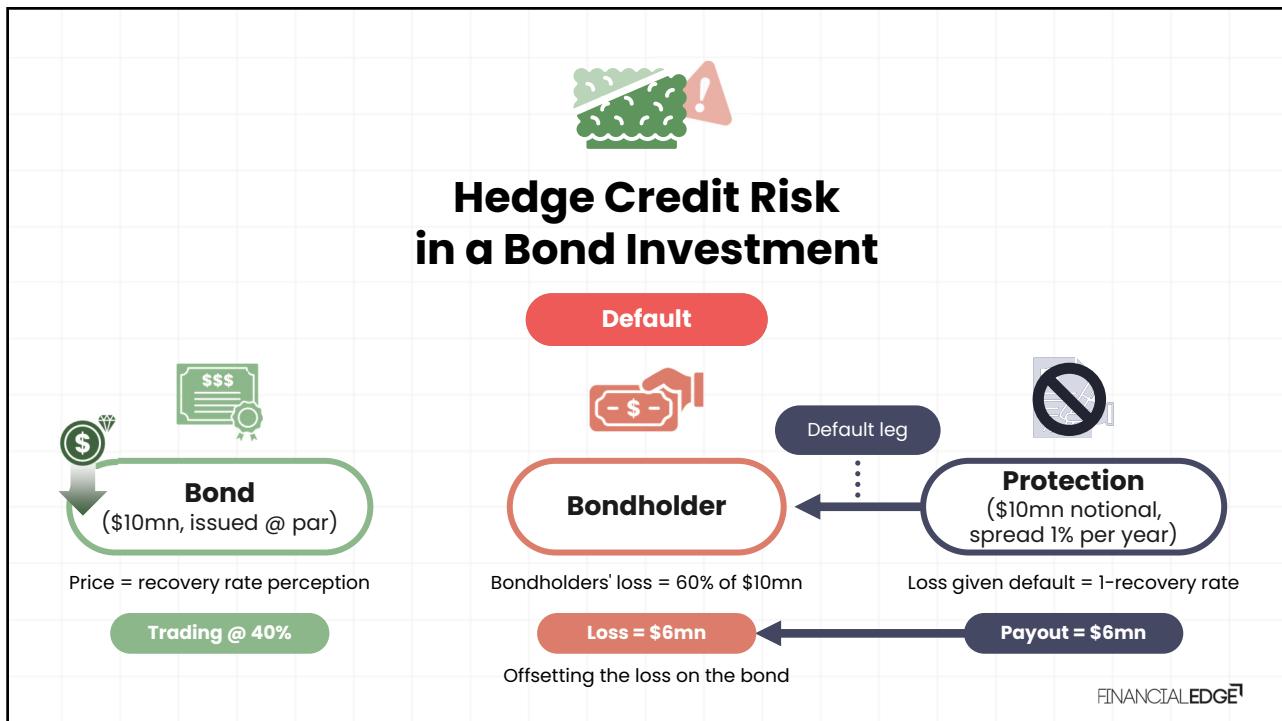
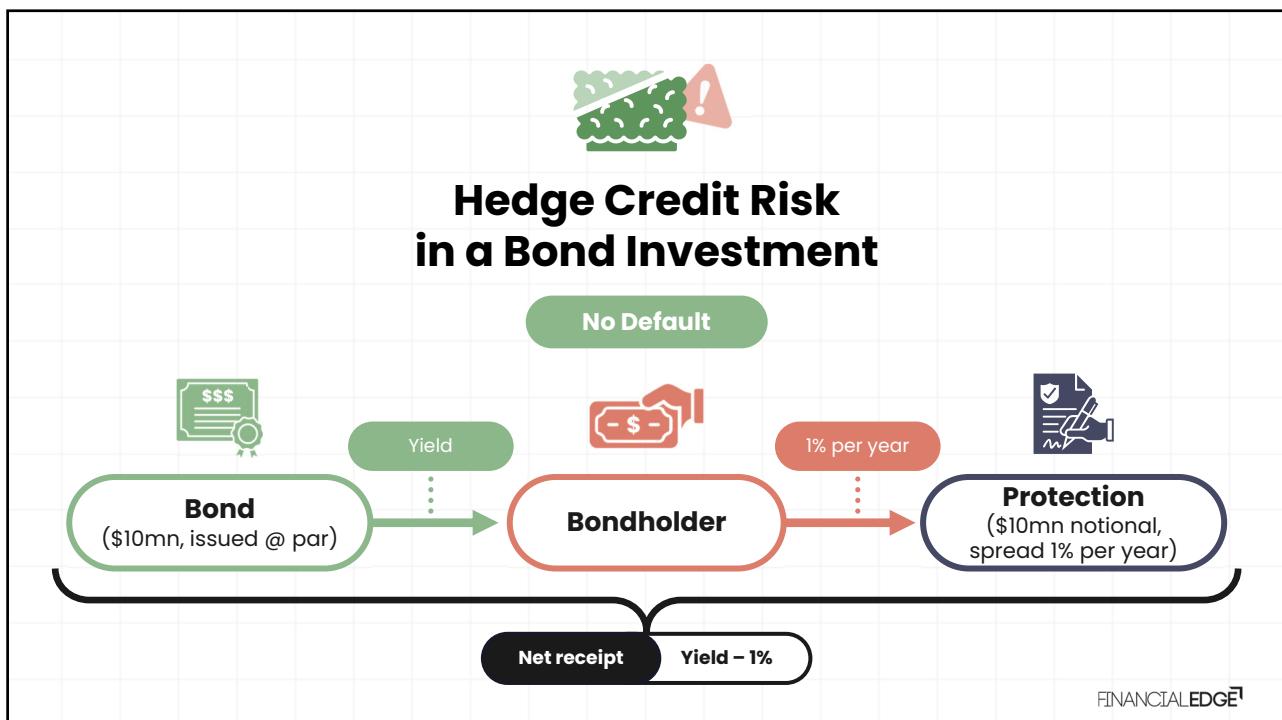
Bought bond
(\$10mn, issued @ par)

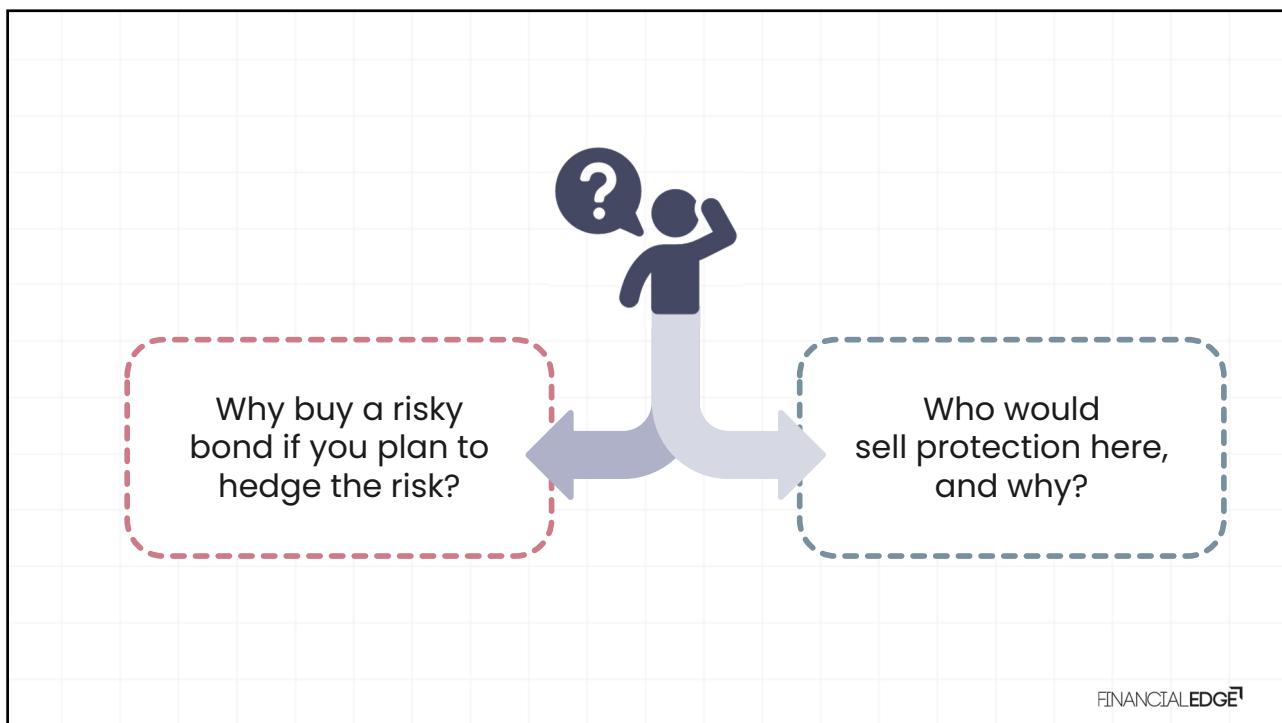
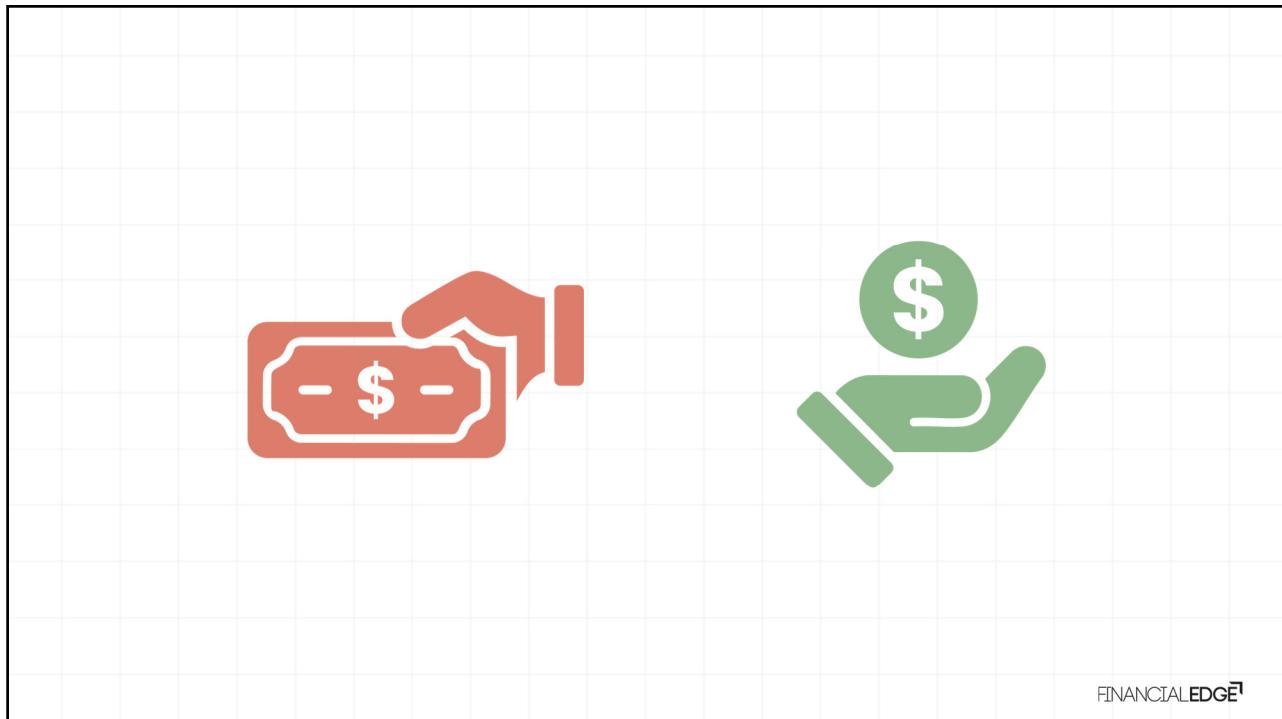


Bondholder



Buys protection
(\$10mn notional,
spread 1% per year)



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Net Yield > Risk-free Rate
(investment opportunity)

Bond yields and CDS prices diverge, creating **occasional pricing opportunities**.

Flexible Hedging Opportunities

Buyer **hedges half default risk** via CDS at half face value.

Expectation of Wider Spreads

Buy CDS expecting spreads to widen. Later unwind to **re-expose at higher spreads**.

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Premium overstating default risk, offering value

Express tightening view via CDS, not bonds

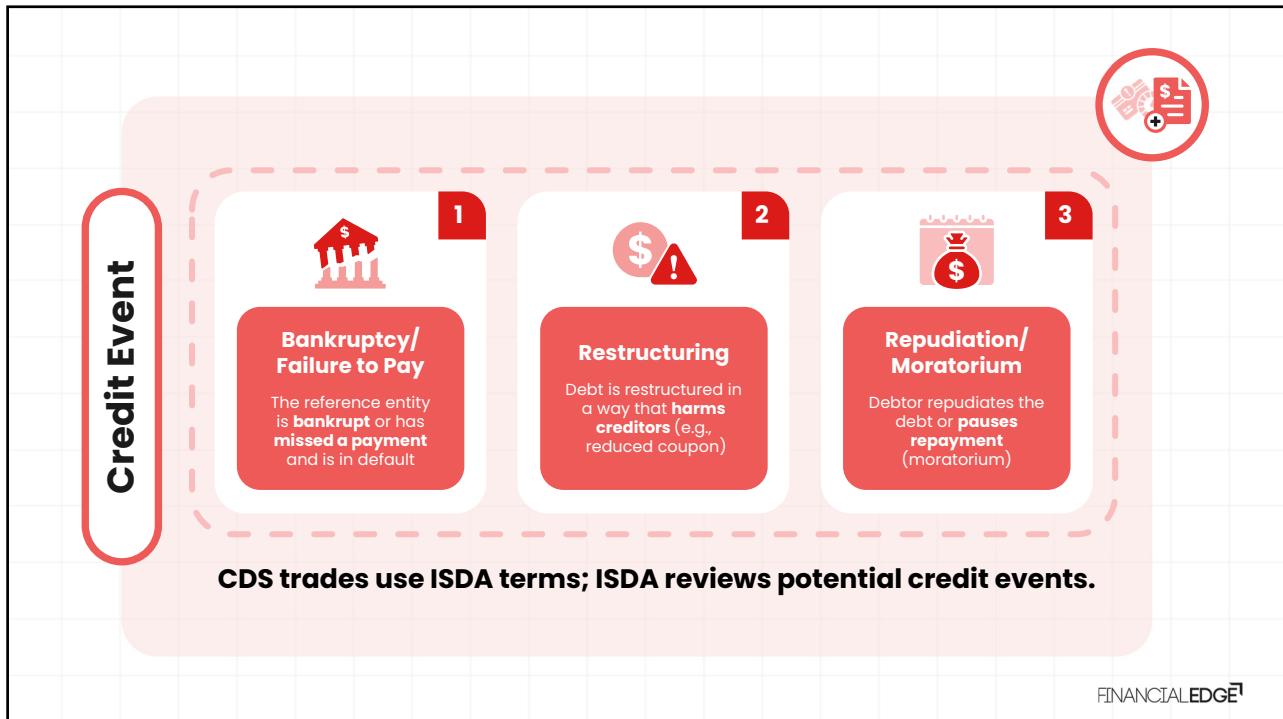
Market maker trading CDS both ways

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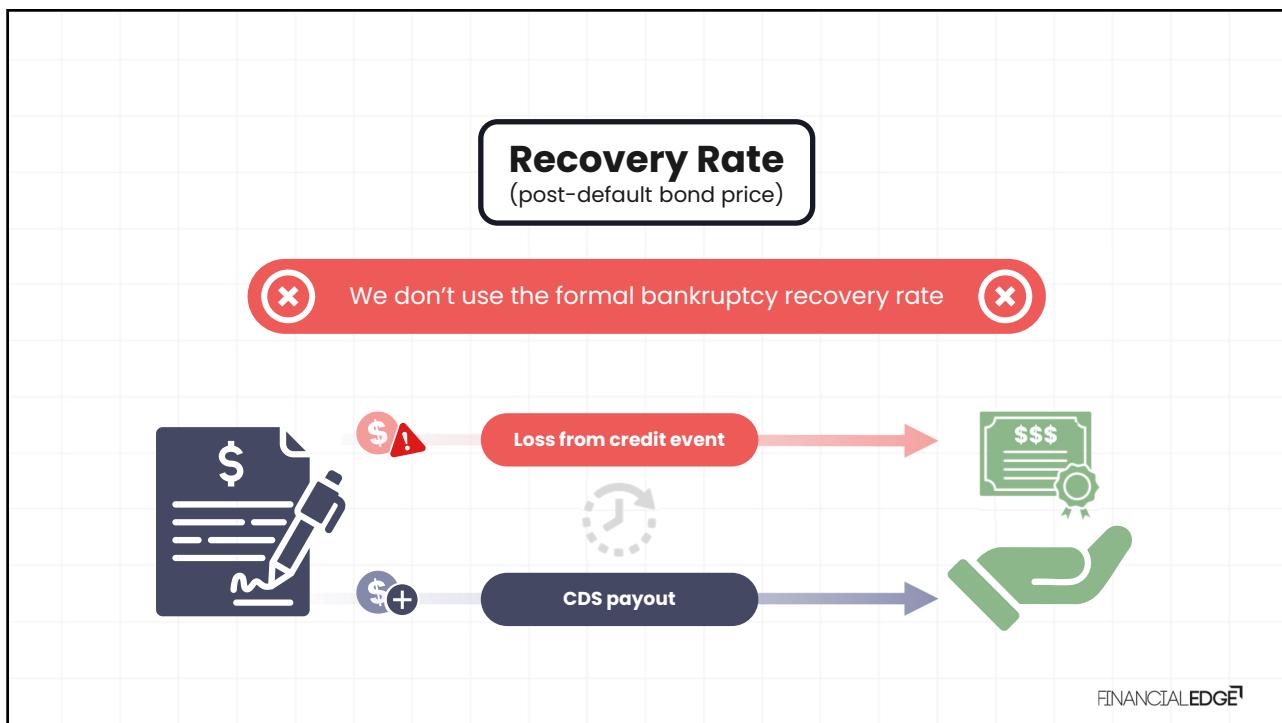
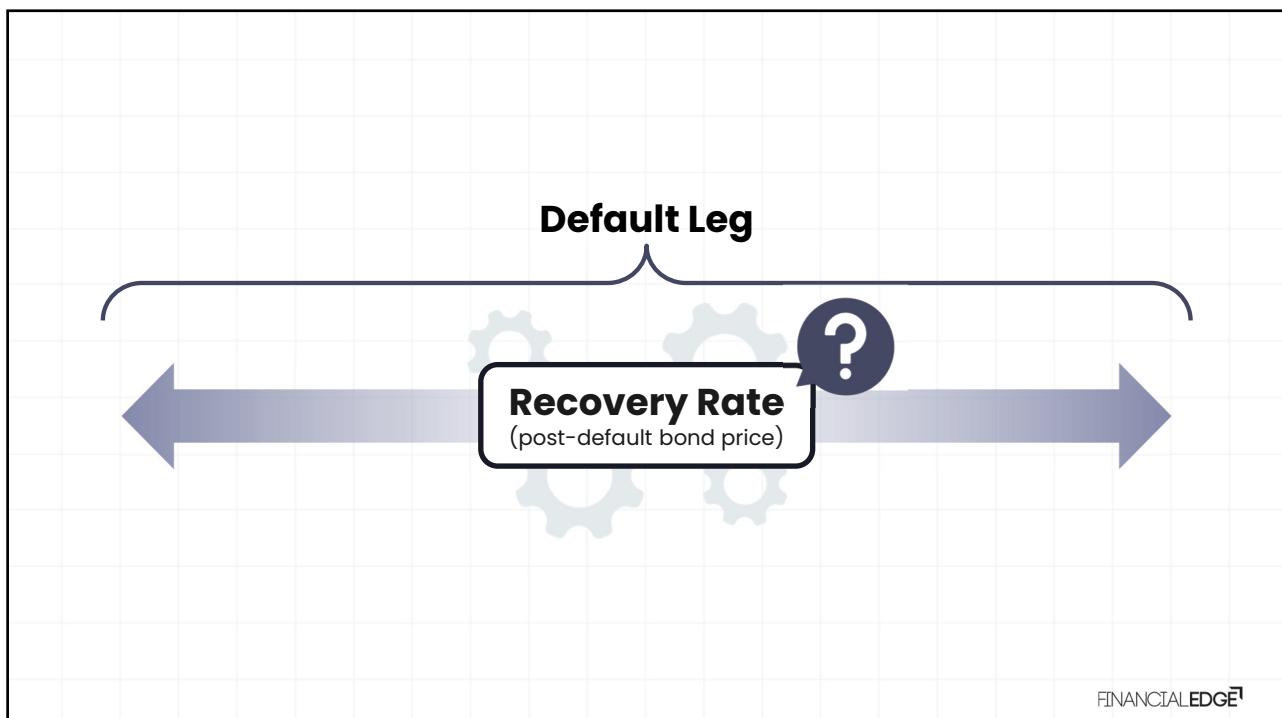
Determining If a Credit Event Has Occurred



Credit Event



Calculating the Recovery Rate



Recovery Rate

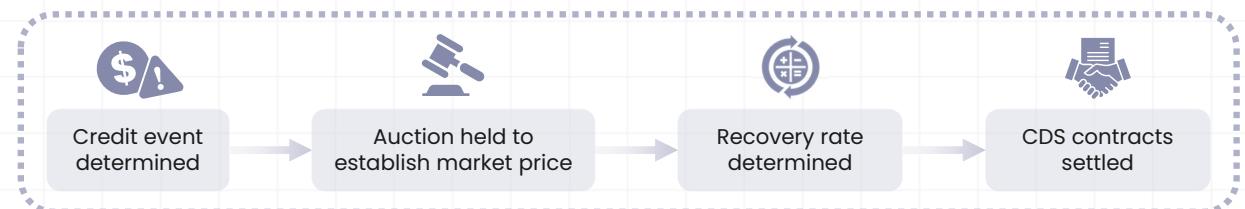
(post-default bond price)

 Payouts are based on a **market-implied** recovery rate 

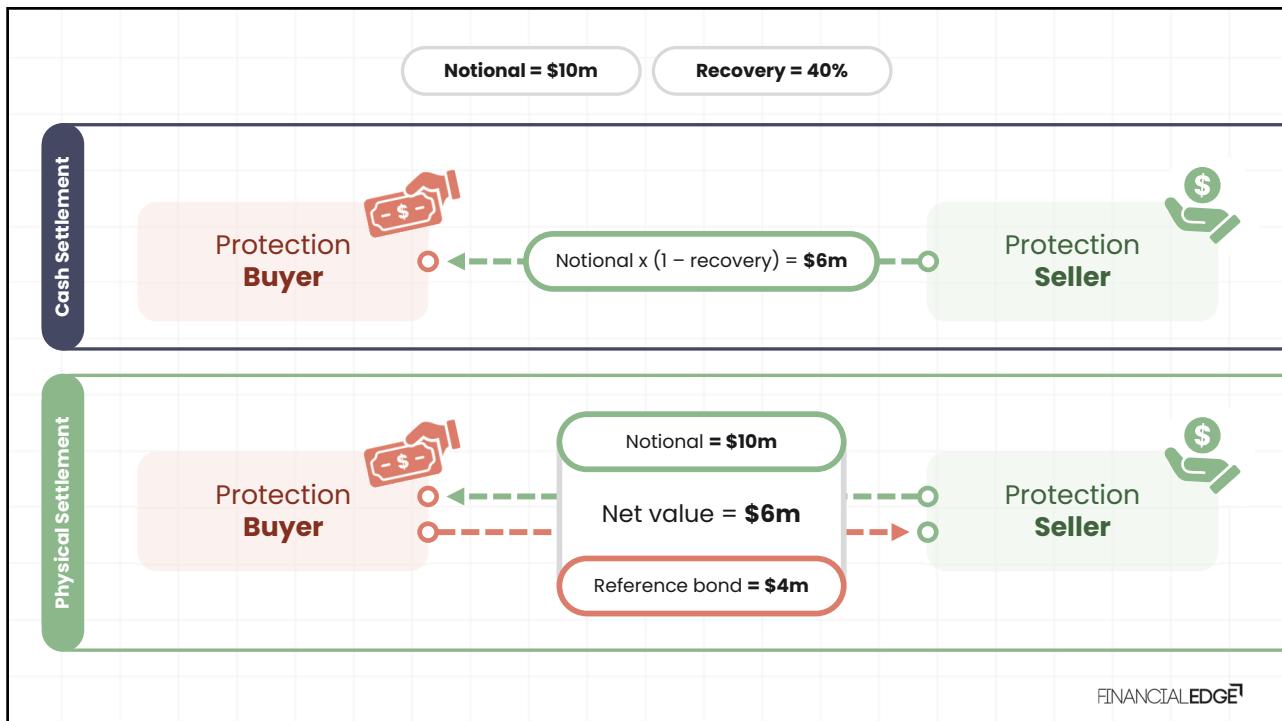
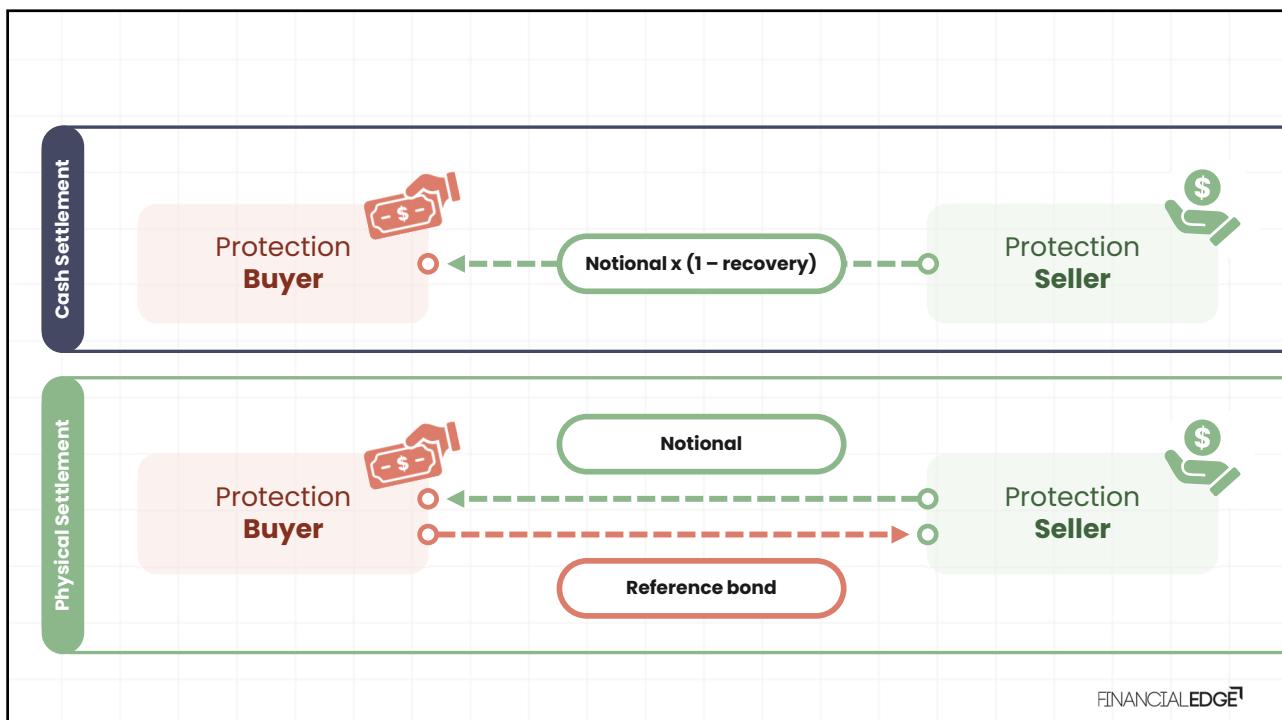
Payment can be **calculated & made quickly**



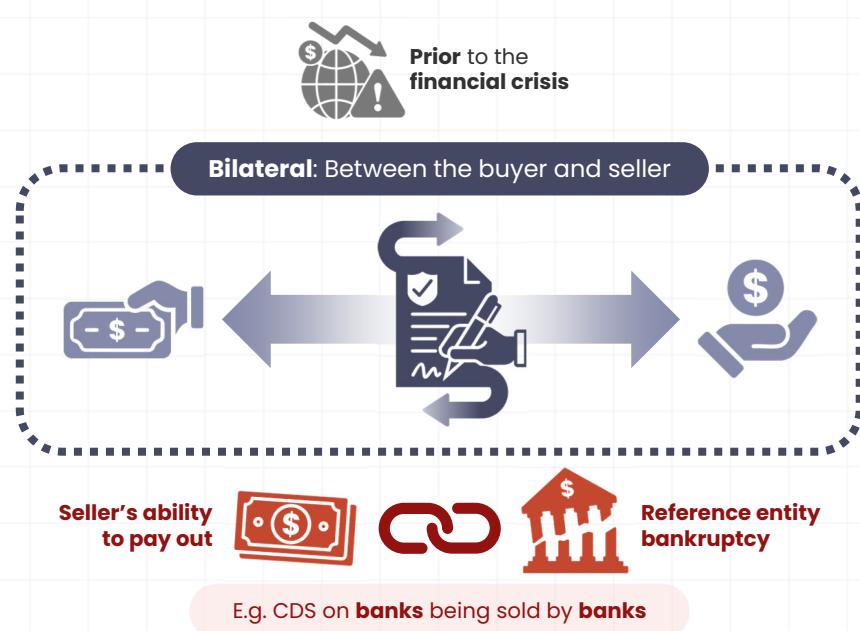
Loss comes from immediate **market price drop**

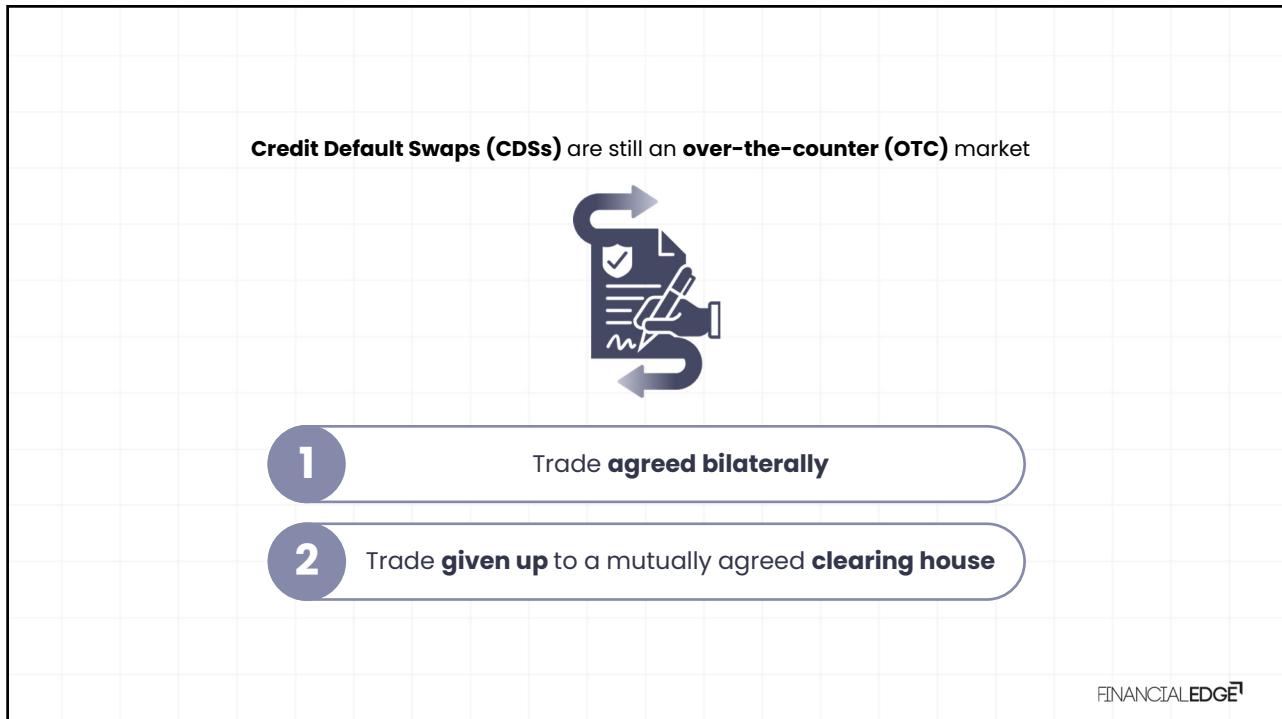
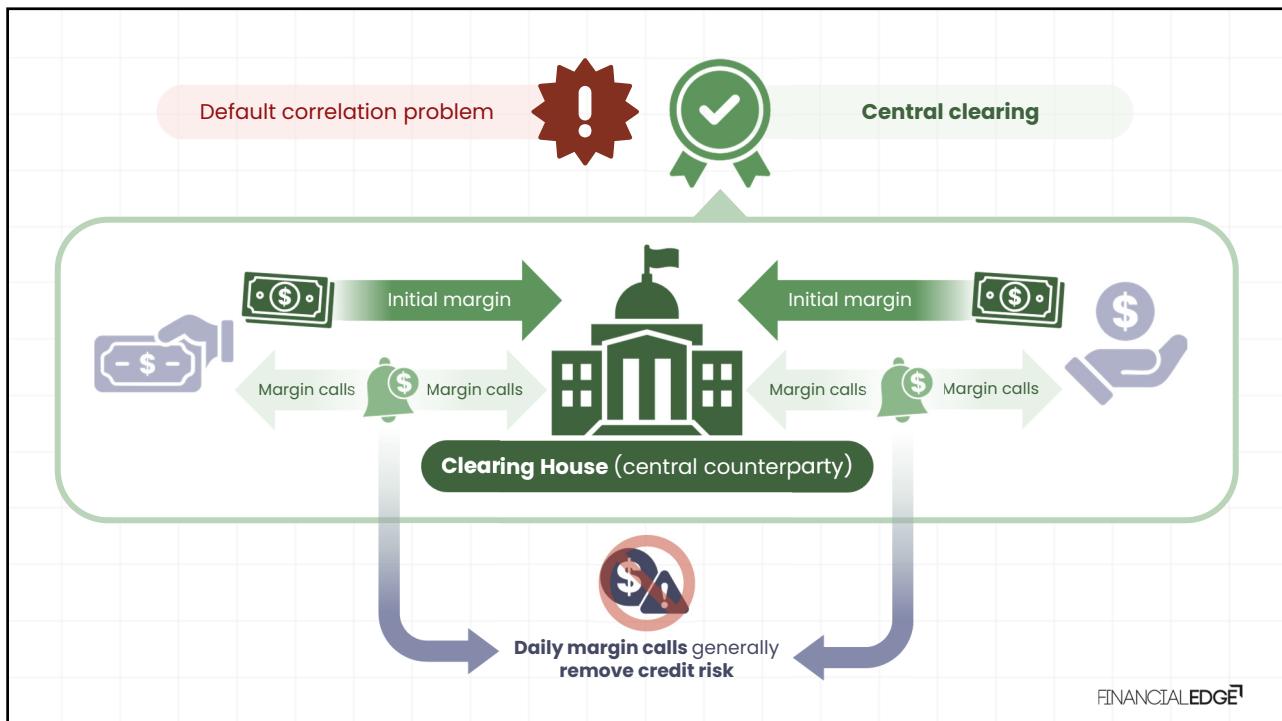


Settlement Style



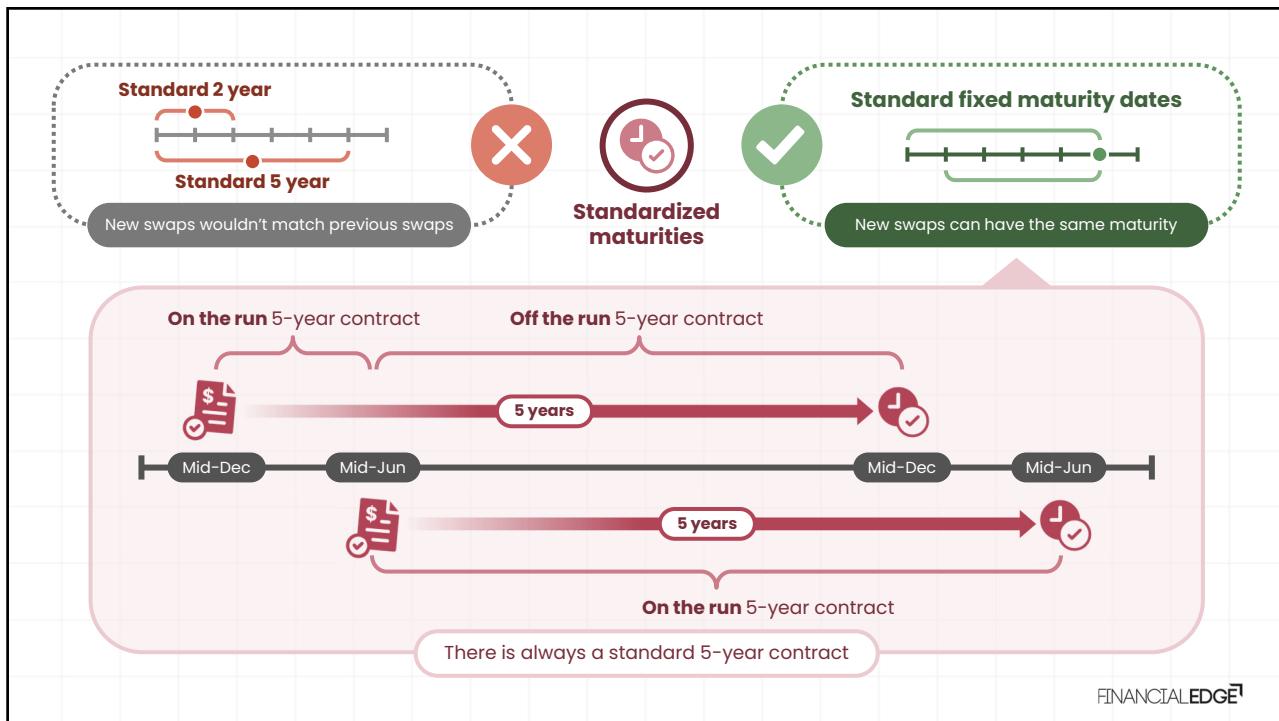
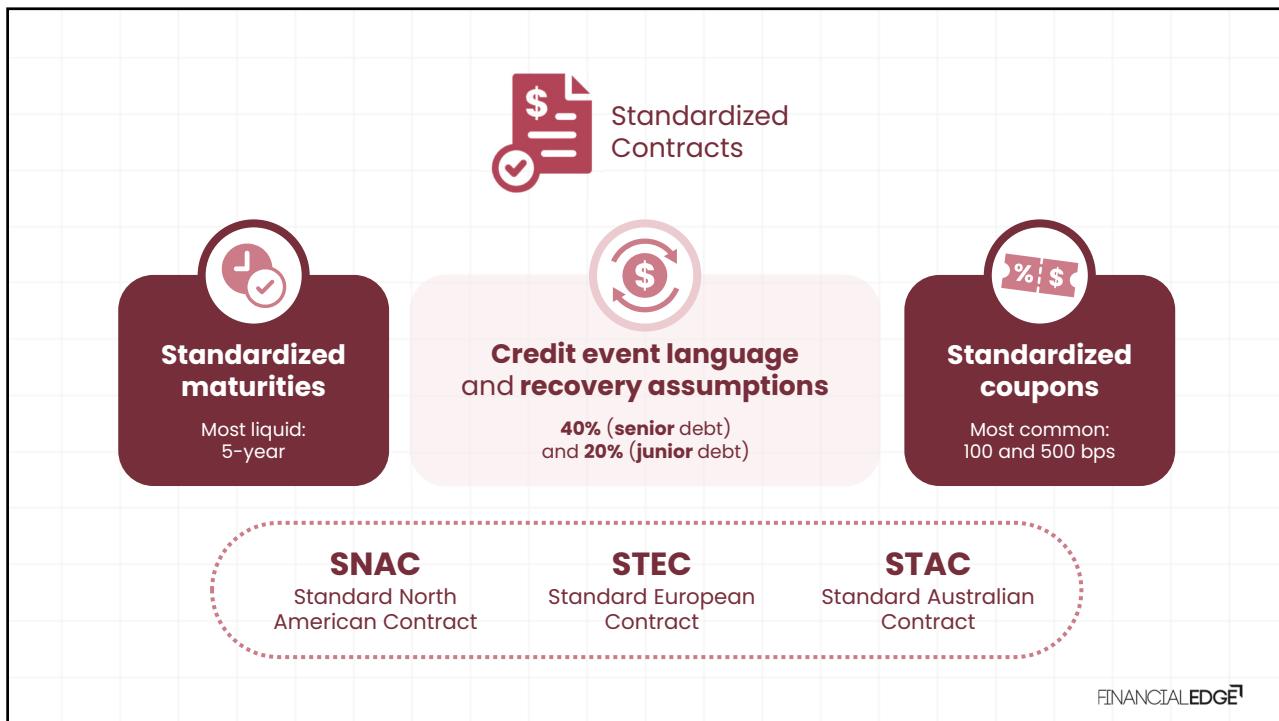
Central Clearing for CDS





Standardized Contracts





CDS Upfront Amounts

Unlikely to be exactly 100 or 500 bps/year



Won't one side lose out?

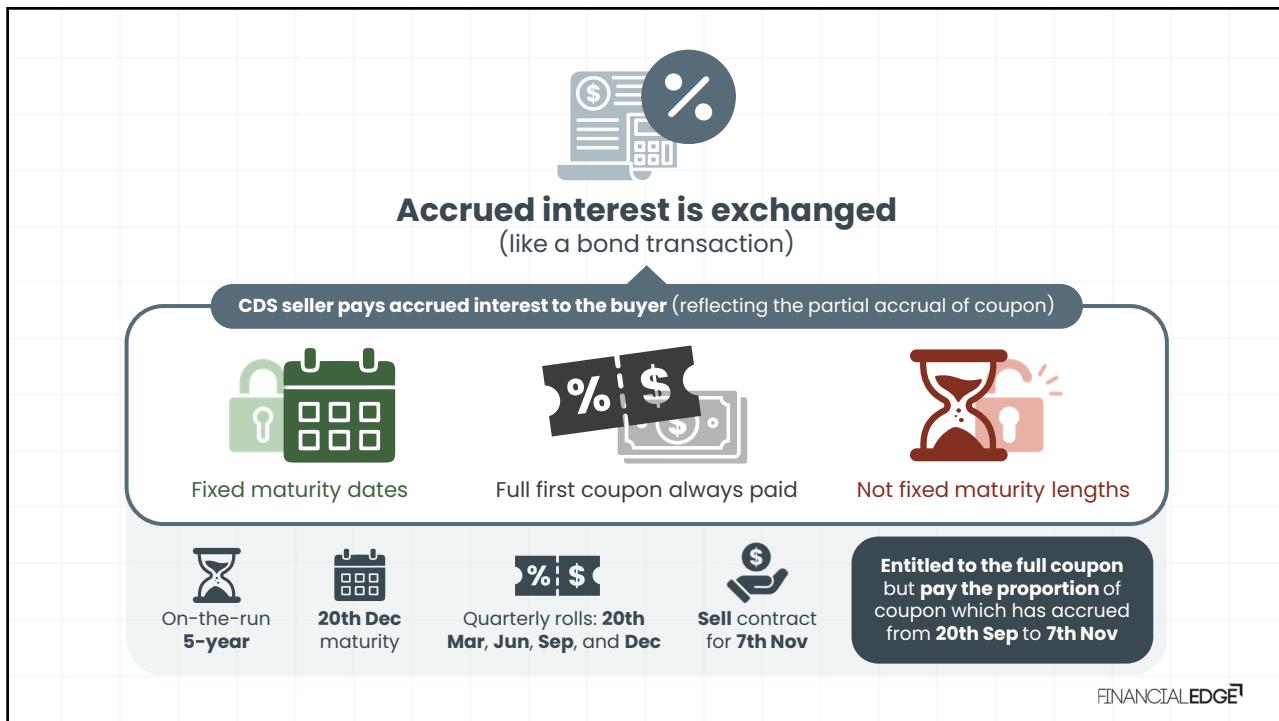
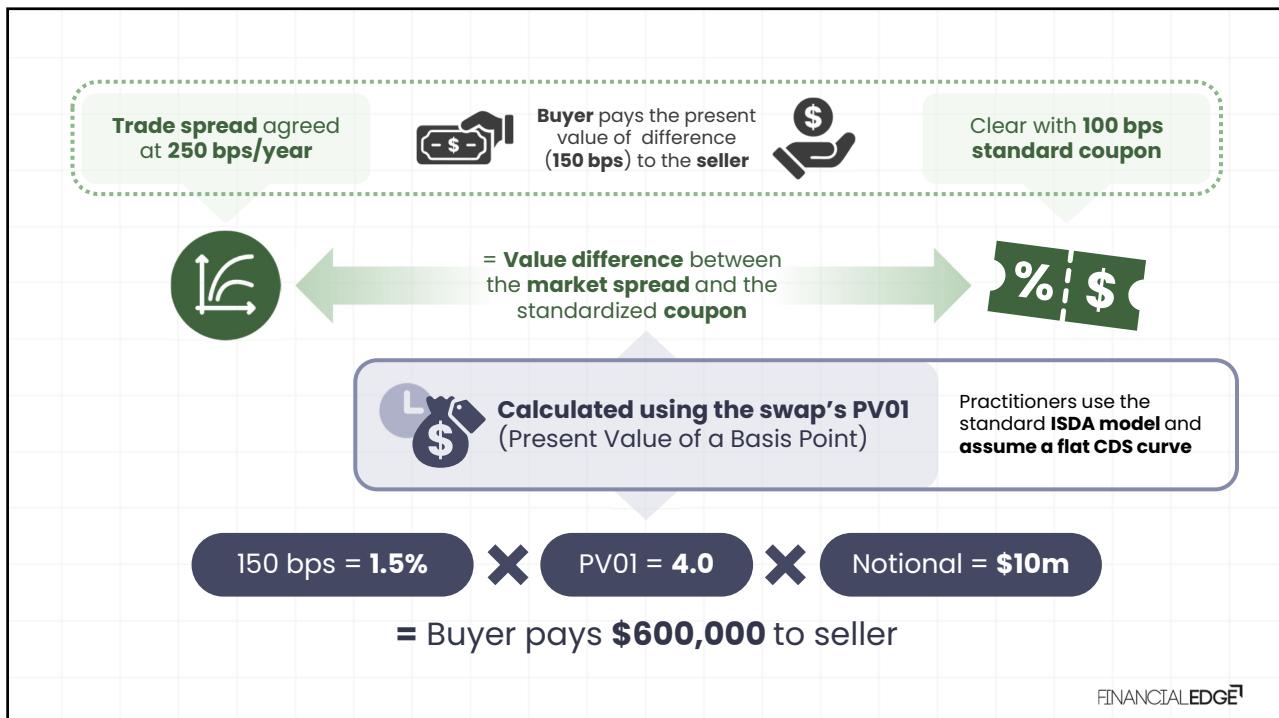


Agree a market level of the CDS spread

One-off upfront cash flow

= Value difference between the market spread and the standardized coupon





CDS Pricing – Part 1



How to price a
credit default swap?

Like **providing protection** to somebody for a **1-year** period

Pay out
\$1 million

Reference
entity **defaults**



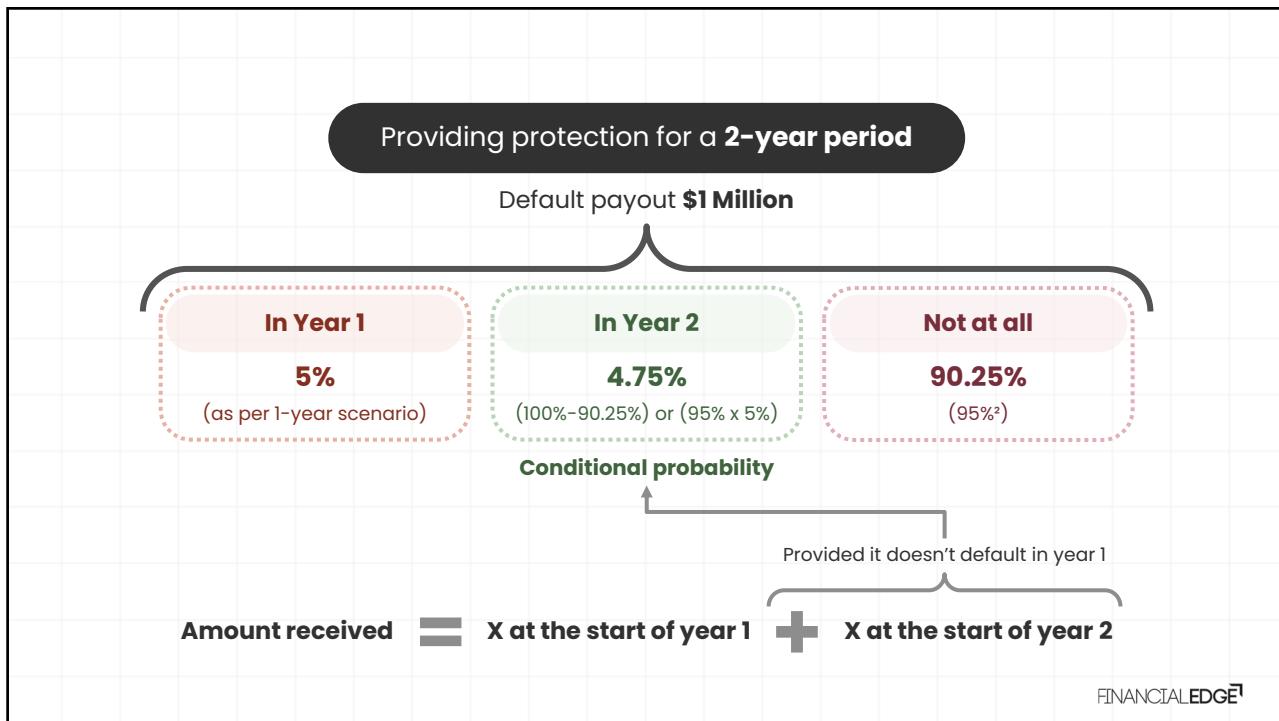
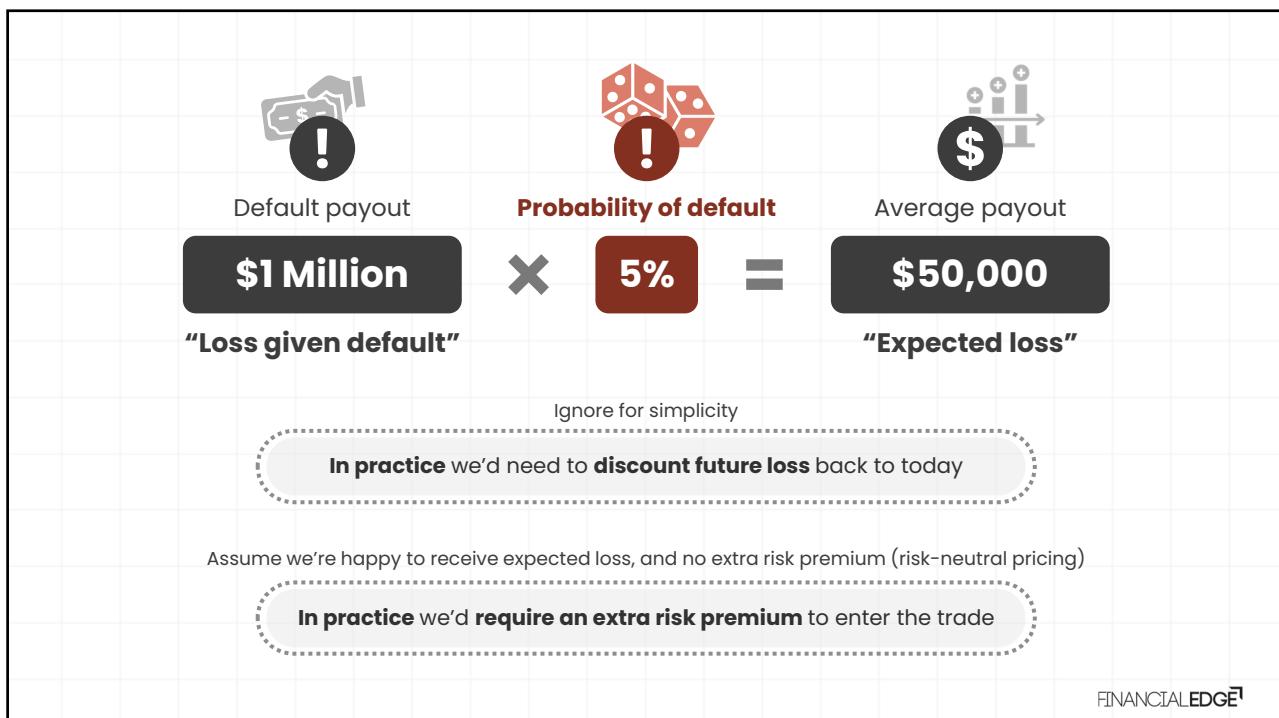
Reference
entity **endures**

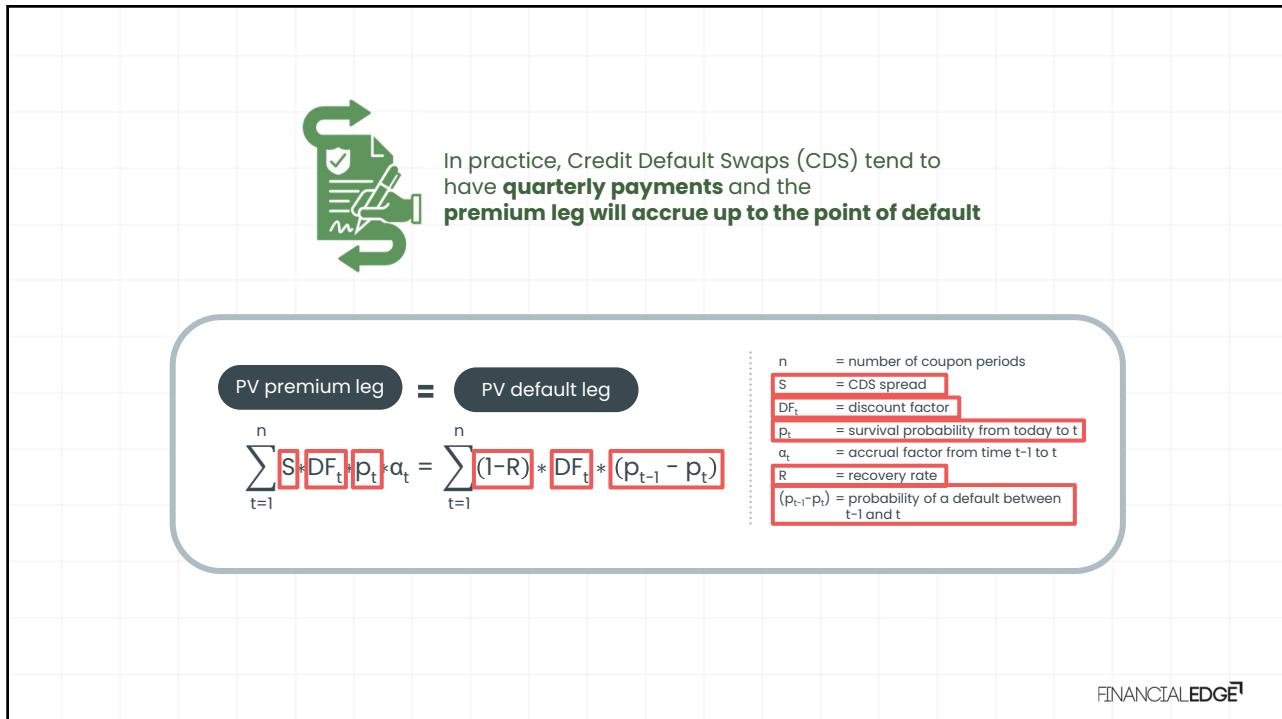
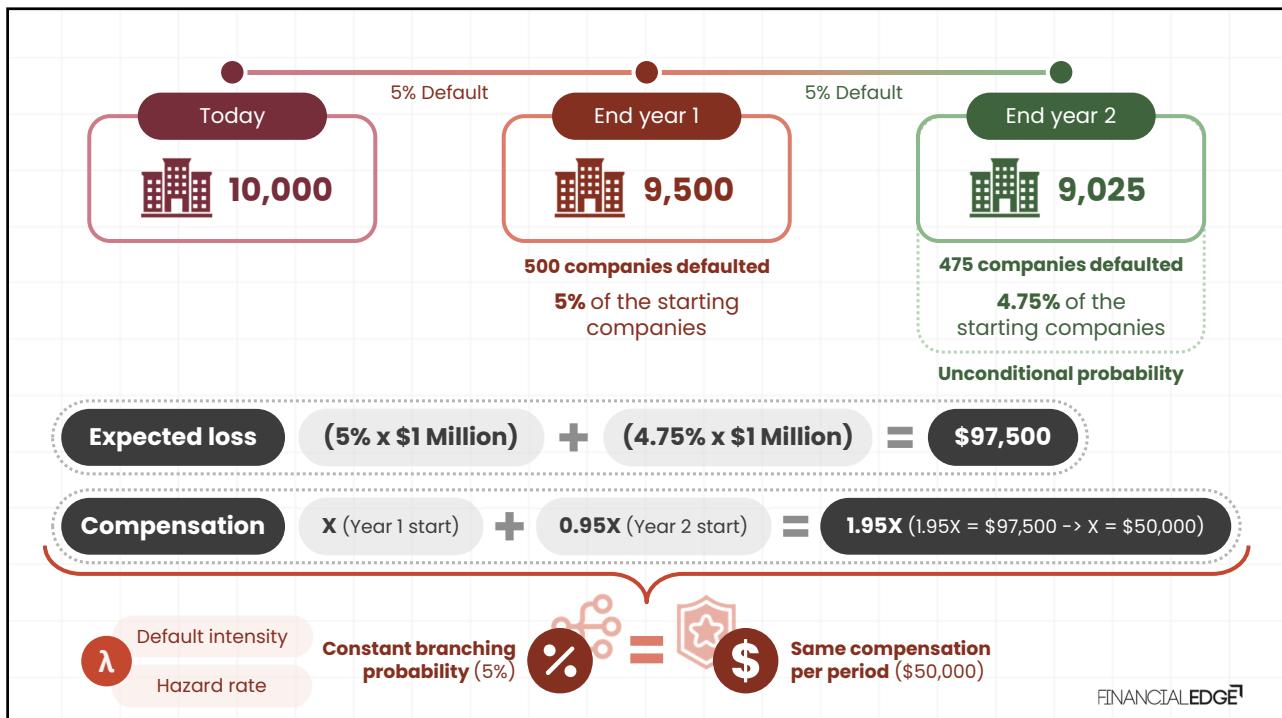
Pay out
\$0

How to decide how much to receive upfront:



**Probability
of default**





CDS Pricing – Part 2

5-year Credit Default Swap (CDS)						
Notional	Recovery	Coupon (bppa)				
Time	Rates	DF	Default intensity	P (survival)	P (default)	P premium
0				100.00%		
1	5.00%	0.9524	5.00%	95.00%	5.00%	2.8571
2	5.00%	0.9070	5.00%	90.25%	4.75%	2.5850
3	5.00%	0.8638	5.00%	85.74%	4.51%	2.3388
4	5.00%	0.8227	5.00%	81.45%	4.29%	2.1161
5	5.00%	0.7835	5.00%	77.38%	4.07%	1.9146

Cum P(default)

22.62%

11.8117

11.8117

NPV

0

Cumulative default probability – 1 minus the probability of surviving all 5 years (with **5% default intensity**, there's **22.6% chance of default** over 5 years)

Default and survival probabilities
(extended to 5 years)

5-year Credit Default Swap (CDS)							
Notional	Recovery	Coupon (bppa)					
100	40%	300.0					
Time	Rates	DF	Default intensity	P (survival)	P (default)	P premium	P default
0				100.00%			
1	5.00%	0.9524	5.00%	95.00%	5.00%	2.8571	2.8571
2	Simplified	0.9070	5.00%	90.25%	4.75%	Simplified	2.5850
3	5.00%	0.8638	5.00%	85.74%	4.51%	2.3388	2.3388
4	5.00%	0.8227	5.00%	81.45%	4.29%	2.1161	2.1161
5	5.00%	0.7835	5.00%	77.38%	4.07%	1.9146	1.9146
				Cum P(default)	22.62%		
						11.8117	11.8117
							0

Annual steps are too crude for accurate pricing -
should use a continuous probability distribution
(measure the probability of default at any point in time)

Premium leg pays **based on the probability of surviving to start of year N**, rather than the **end of year N**

5-year Credit Default Swap (CDS)							
Notional	Recovery	Coupon (bppa)					
100	40%	300.0					
Time	Rates	DF	Default intensity	P (survival)	P (default)	P premium	P default
0				100.00%			
1	5.00%	0.9524	5.00%	95.00%	5.00%	2.8571	2.8571
2	5.00%	0.9070	5.00%	90.25%	4.75%	2.5850	2.5850
3	5.00%	0.8638	5.00%	85.74%	4.51%	2.3388	2.3388
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				Cum P(default)	22.62%		
						11.8117	11.8117
							0

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100	40%	300.0					
Time	Rates	DF	Default intensity	P (survival)	P (default)	P premium	P default
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1	5.00%	0.9524	5.00%	95.00%	5.00%	2.8571	2.8571
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3	5.00%	0.8638	5.00%	85.74%	4.51%	2.3388	2.3388
4	5.00%	0.8227	5.00%	81.45%	4.29%	2.1161	2.1161
5	5.00%	0.7835	5.00%	77.38%	4.07%	1.9146	1.9146
Cum P(default)				22.62%			
					11.8117	11.8117	0
NPV							

Fixed at 40%, as it's **not possible to solve for both default intensity and recovery rate** (we must fix one)

Constant default intensity

Equal and constant (flat CDS curve assumption for calculating valuations for margining)

5-year Credit Default Swap (CDS)							
Notional	Recovery	Coupon (bppa)					
100	40%	300.0					
Time	Rates	DF	Default intensity	P (survival)	P (default)	P premium	P default
0				100.00%			
1	5.00%	0.9524	5.00%	95.00%	5.00%	2.8571	2.8571
2	5.00%	0.9070	5.00%	90.25%	4.75%	2.5850	2.5850
3	5.00%	0.8638	5.00%	85.74%	4.51%	2.3388	2.3388
4	5.00%	0.8227	5.00%	81.45%	4.29%	2.1161	2.1161
5	5.00%	0.7835	5.00%	77.38%	4.07%	1.9146	1.9146
Cum P(default)				22.62%			
					11.8117	11.8117	0
NPV							



Model the default probability



Project expected cash flows



Compare to other sources of data

Risk-neutral pricing ignores the risk premium

Risk-neutral pricing assumes people don't care about uncertainty (in practice they do)

Someone taking on an uncertain commitment normally asks for **more than the risk-neutral expected value**

CDS spreads will be higher than breakeven due to the risk premium (tempt the seller to take on the risk)

CDS pricing above overestimates the default probabilities but establishes upper bound

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100 bps contract

*Upfront PV = (Coupon – par CDS spread) * PV01_{CDS}*

Buyer **pays** ~ 7.87% of notional

Notional	Recovery	Coupon (bps)
100	40%	100.0

Time	Rates	DF	PV premium	PV default
0				
1	5.00%	0.9524	0.9524	2.8571
2	5.00%	0.9070	0.8617	2.5850
3	5.00%	0.8638	0.7796	2.3388
4	5.00%	0.8227	0.7054	2.1161
5	5.00%	0.7835	0.6382	1.9146

NPV

3.9372	11.8117	7.8745
--------	---------	---------------

500 bps contract

*PV01_{CDS} = $\sum P(\text{survival})_i * DF_i$*

Buyer **receives** ~ 7.87% of notional

Notional	Recovery	Coupon (bps)
100	40%	500.0

Time	Rates	DF	PV premium	PV default
0				
1	5.00%	0.9524	4.7619	2.8571
2	5.00%	0.9070	4.3084	2.5850
3	5.00%	0.8638	3.8981	2.3388
4	5.00%	0.8227	3.5268	2.1161
5	5.00%	0.7835	3.1909	1.9146

NPV

19.6861	11.8117	-7.8745
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Clearing house assigns a standard coupon and calculates the **upfront PV to be paid to compensate for the change in coupon**

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CDS Risk



Sensitivity to changes in the par CDS spread is called **CS01** or **Spread DV01**

Buyer of a CDS and had a **CS01 of 25,000**

Market spread **increased by 10 bps**

Make **\$250,000 profit**

The graph illustrates the relationship between the par CDS spread and the present value of a CDS. The x-axis represents the 'Par CDS spread' from 0.00% to 5.00%. The y-axis represents 'Present Value (PV)' from -15.00% to 15.00%. Two lines are plotted: a green line for a 1% coupon and a red line for a 5% coupon. Both lines show a negative slope, indicating that as the par CDS spread increases, the present value decreases. The 5% coupon line is steeper than the 1% coupon line.

Par CDS spread	Present Value (PV) - 1% coupon	Present Value (PV) - 5% coupon
0.00%	10.00%	12.00%
1.00%	6.00%	8.00%
2.00%	2.00%	4.00%
3.00%	-2.00%	-4.00%
4.00%	-6.00%	-8.00%
5.00%	-10.00%	-12.00%

Risk is impacted by the choice of standard coupon

Par CDS spread rises = ! Default probabilities rise = Expected maturity shortens

The graph shows the same relationship as the first one, but with a callout highlighting the 'Bigger effect as cash reduction on the premium leg will be larger'. The x-axis is 'Par CDS spread' (0.00% to 5.00%) and the y-axis is 'Present Value (PV)' (-15.00% to 15.00%). The 5% coupon line is steeper than the 1% coupon line. A callout points to the 5% coupon line at a par CDS spread of approximately 4.5%, with a dashed red line indicating the present value of \$100,000 per year.

Par CDS spread	Present Value (PV) - 1% coupon	Present Value (PV) - 5% coupon
0.00%	10.00%	12.00%
1.00%	6.00%	8.00%
2.00%	2.00%	4.00%
3.00%	-2.00%	-4.00%
4.00%	-6.00%	-8.00%
4.50%	-10.00%	-12.00%
5.00%	-14.00%	-16.00%

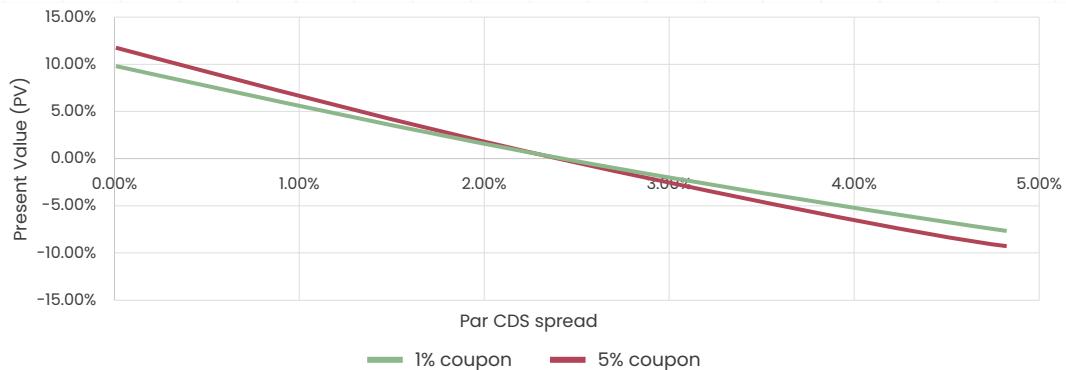
\$100,000 per year **\$500,000 per year**

Risk is impacted by the choice of standard coupon



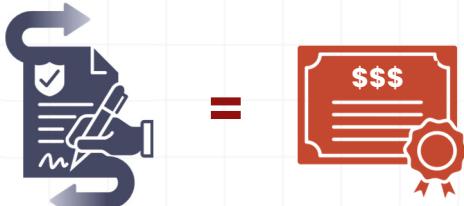
Credit Default Swaps (CDS) are convex instruments

Driven by the **changing expected life** (short position benefits lower spread - longer expect life to make money in)



Hedging Non-Par Bonds

We have assumed that to **hedge a bond against default** we would match the **notional size of the CDS** with the **face value of the bond**

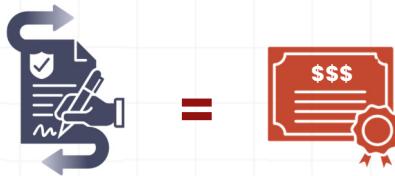


Only true if the **bond is trading at par**



How do we adjust our hedge if the **bond is trading away from par?**

We have assumed that to **hedge a bond against default** we would match the **notional size of the CDS** with the **face value of the bond**



Payout on CDS

1 – recovery rate
(par – recovery)

CDS payout > loss on bond
= **net gain, over hedged**



Loss on bond

Depends on the
price you paid

A bond bought at 85% has a
loss on default of **85% – recovery**

Only true if the **bond is trading at par**

How do we adjust our hedge if the **bond** is trading away from par?

We need to **adjust the CDS notional** so that...

Payout on CDS = **Loss on bond**

$$N_{CDS} = N_{bond} * \frac{Price - R}{1 - R}$$

(calculating the ratio of the bond loss, to the CDS payout)

We need to **adjust the CDS notional** so that...

Bond face value: \$10,000,000
Purchase price: **85%**
Assumed recovery: **40%**

$$N_{CDS} = N_{bond} * \frac{Price - R}{1 - R}$$

CDS payout: $100\% - 40\% = 60\%$

Bond loss: $85\% - 40\% = 45\%$

CDS notional: $10,000,000 \times \frac{45}{60} = \$7,500,000$

CDS payout: $60\% \times \$7.5M = \$4.5M$ = **Bond loss:** $45\% \times \$10M = \$4.5M$

CDS payout = the loss on the bond on default



How do we adjust our hedge if the **bond is trading away from par?**



Bond face value: **\$10,000,000**
 Purchase price: **85%**
 Assumed recovery: **40%**



Hedging non-par bonds is an **approximate hedge**
Actual recovery may differ

$$N_{CDS} = N_{bond} * \frac{Price - R}{1 - R}$$

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How do we adjust our hedge if the **bond is trading away from par?**

Default risk

$$N_{CDS} = N_{bond} * \frac{Price - R}{1 - R}$$



Payout on CDS



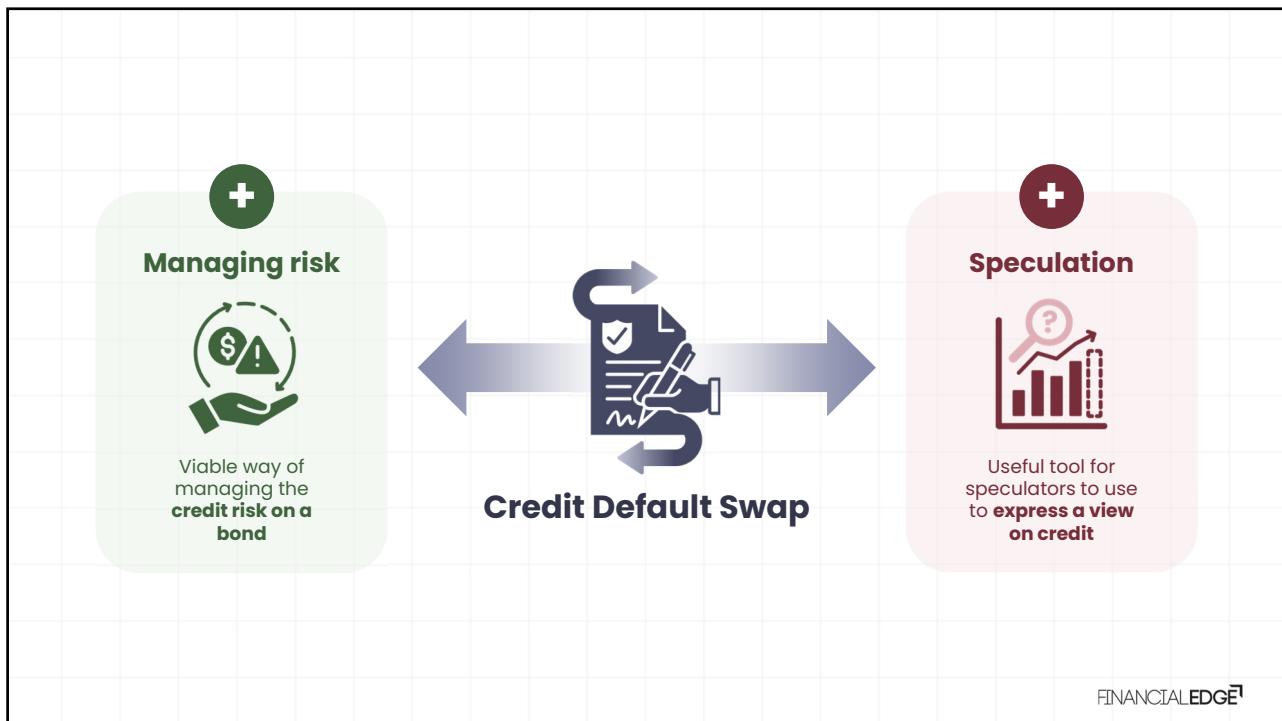
Loss on bond

Price risk

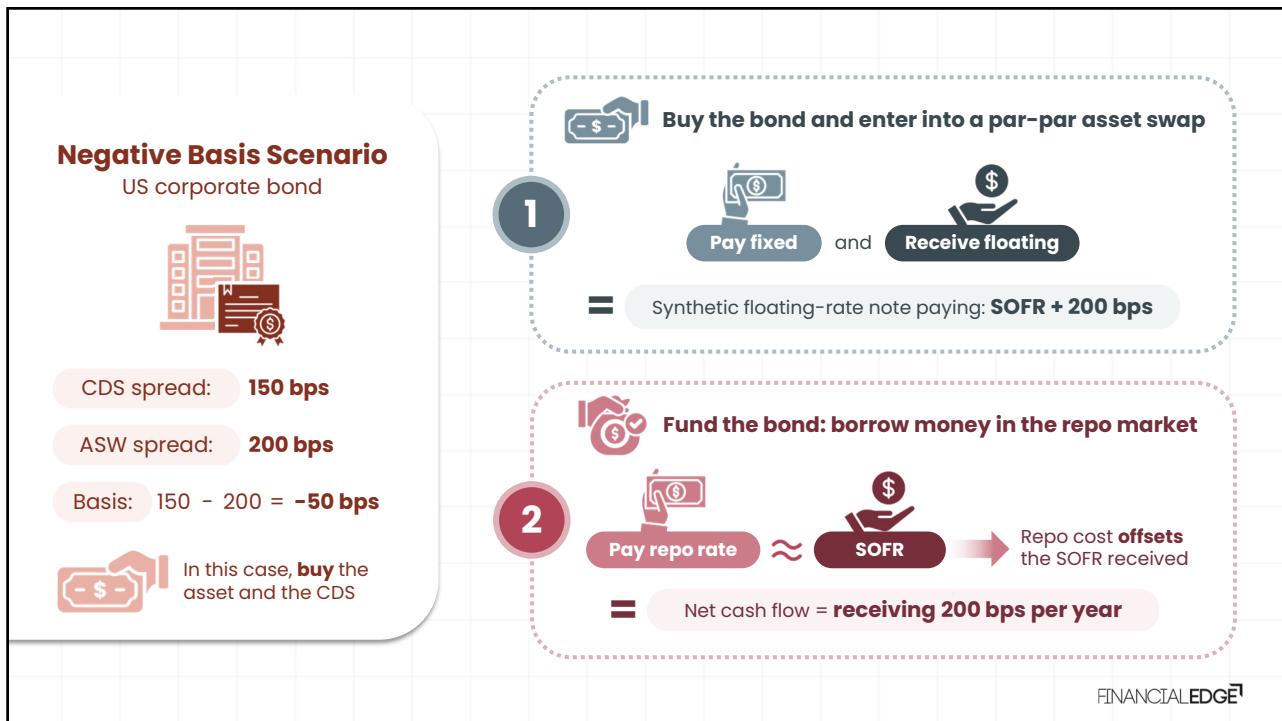
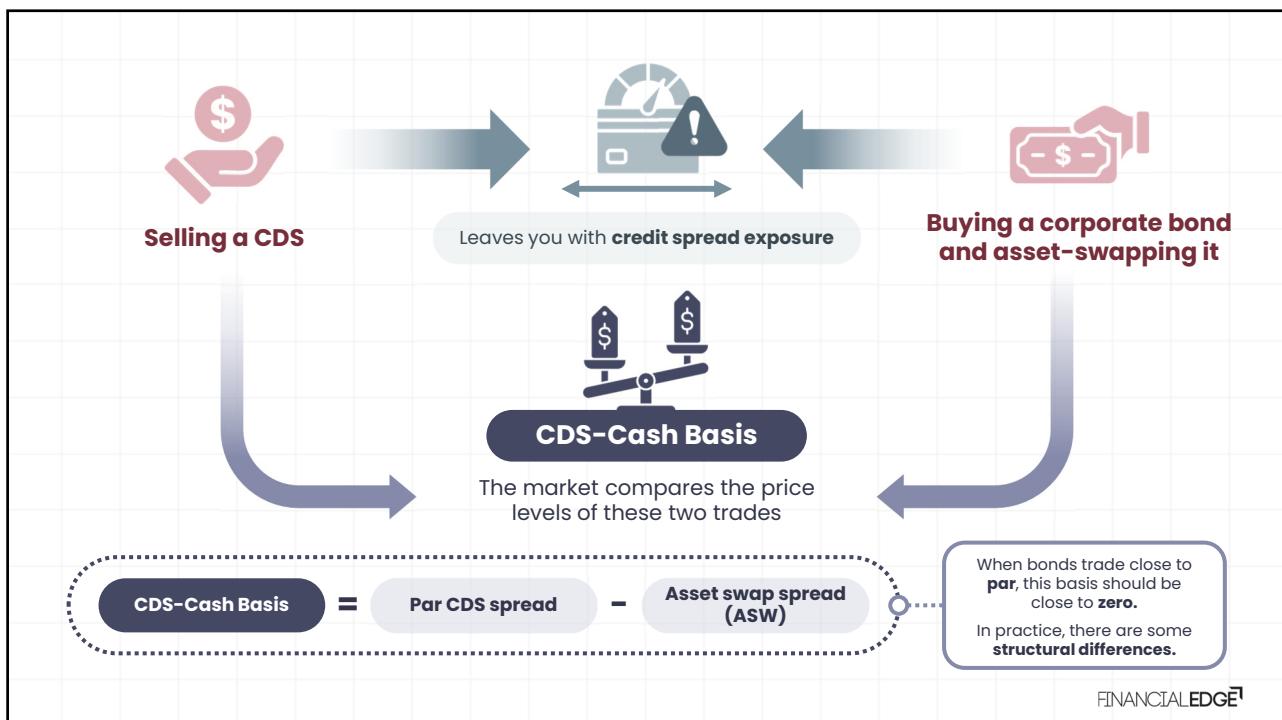
Match sensitivities:

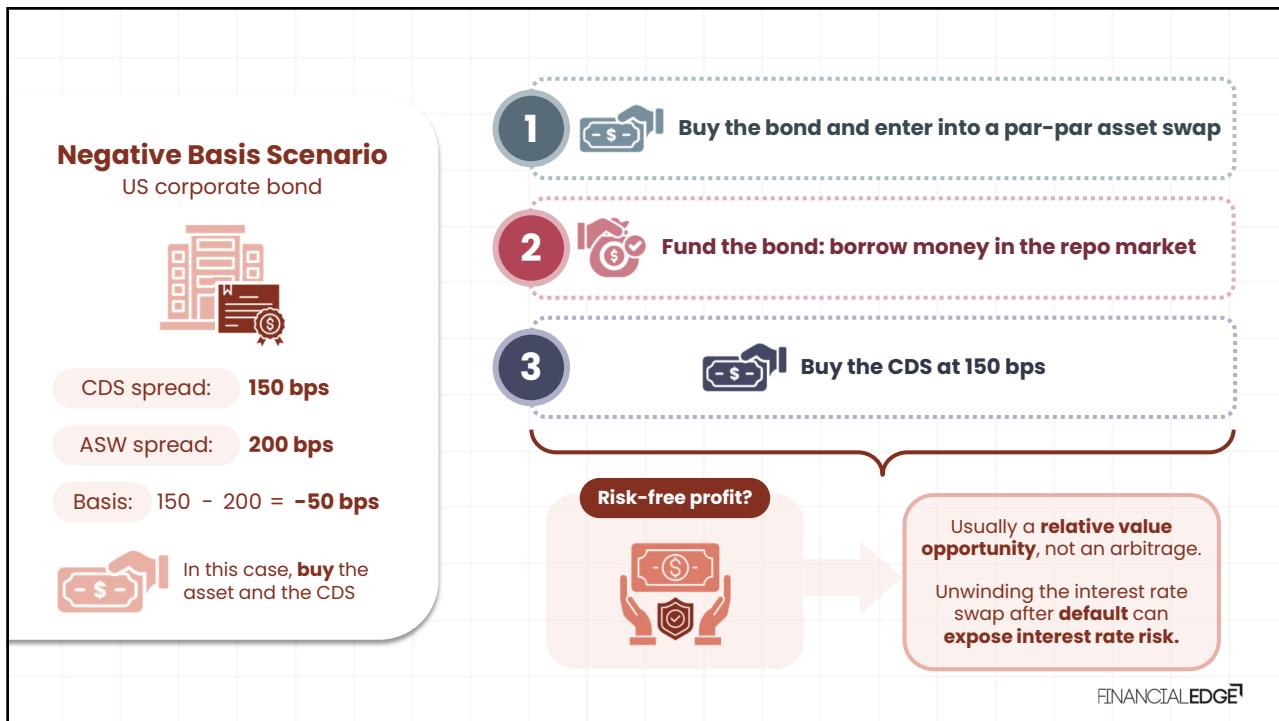
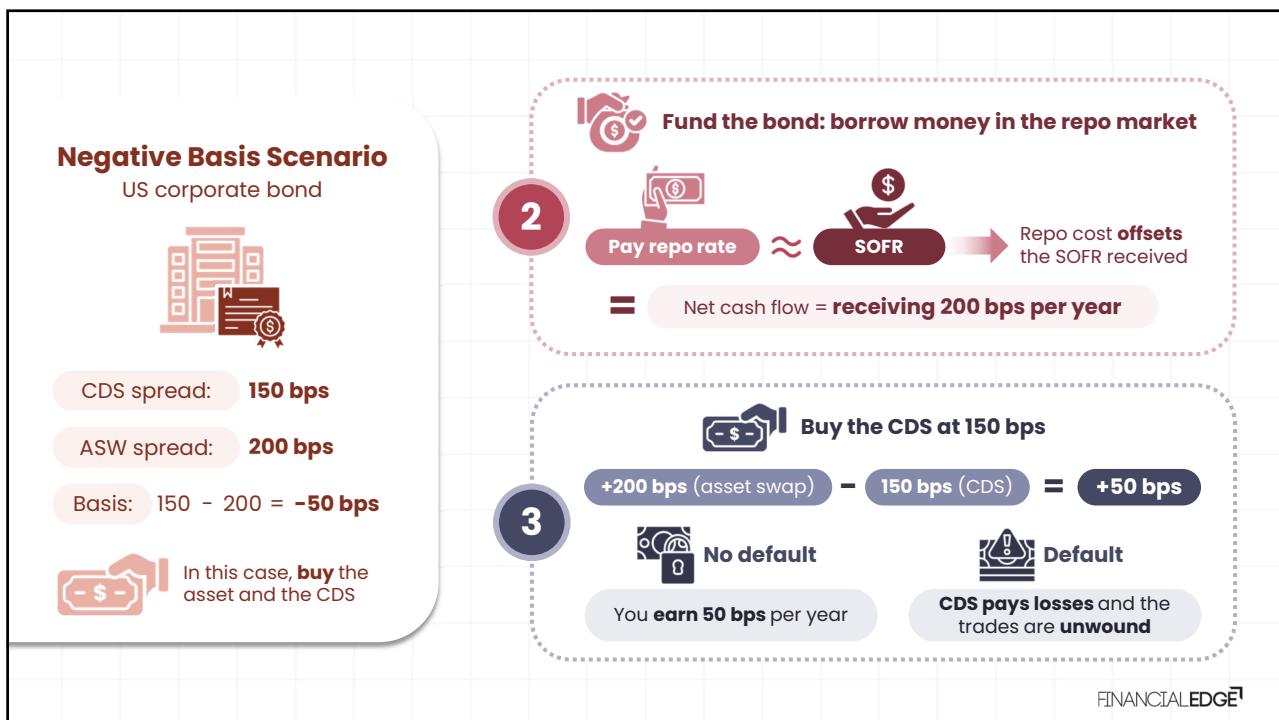
CS01
=
DV01

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CDS-Cash Basis





CDS-Cash Basis Drivers

Why the CDS-Cash Basis does not trade at zero



Why the CDS-Cash Basis does not trade at zero



Positive Basis (CDS > ASW)



The choice of asset swap benchmark.
EUR government bonds can asset swap to negative spreads vs. EURIBOR. A CDS spread cannot go negative.



CDS as an efficient shorting mechanism.
Buying a CDS is a much cleaner way to express the trade than shorting cash bonds.



Convertible bond hedging.
Relative value traders hedge convertible bonds by buying CDS, creating excess demand that pushes CDS prices up.



The price of the bond.
A bond trading below par can result in a positive basis.



Negative Basis (CDS < ASW)

Why the CDS-Cash Basis does not trade at zero



Positive Basis (CDS > ASW)



The price of the bond.
A bond trading below par can result in a positive basis.

Basis = **zero**
Bond price = **below par**

 **Buy the CDS and asset swap**

 **No default = flat position**



Default = over-hedged

Over-hedged \equiv **windfall gain**

 Traders may **buy the basis above zero**, paying a small ongoing cost in return for a **possible windfall gain** on default



Negative Basis (CDS < ASW)

Why the CDS–Cash Basis does not trade at zero

Positive Basis
(CDS > ASW)



The choice of asset swap benchmark.
EUR government bonds can asset swap to negative spreads vs. EURIBOR. A CDS spread cannot go negative.

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The price of the bond.
A bond trading below par can result in a positive basis.

Negative Basis
(CDS < ASW)



Funding costs.
If you could not fund the bond at the benchmark rate, selling the CDS at a negative basis may be cheaper.

CLN and synthetic CDO issuance.
These structures require issuers to sell CDS protection, putting downward pressure on CDS prices.

The price of the bond.
A bond trading above par can result in a negative basis (windfall gain effect).

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Why the CDS–Cash Basis does not trade at zero

Positive Basis
(CDS > ASW)



The choice of asset swap benchmark.
EUR government bonds can asset swap to negative spreads vs. EURIBOR. A CDS spread cannot go negative.

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The price of the bond.
A bond trading below par can result in a positive basis.

Negative Basis
(CDS < ASW)



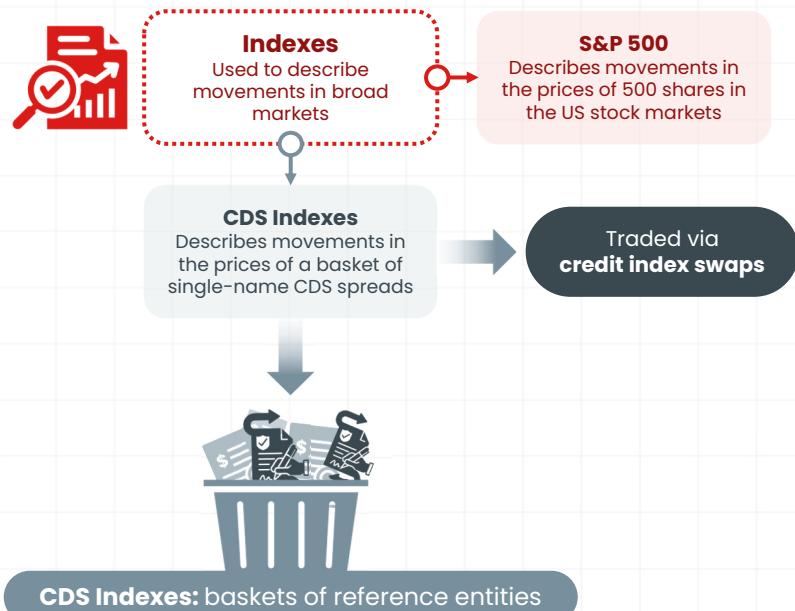
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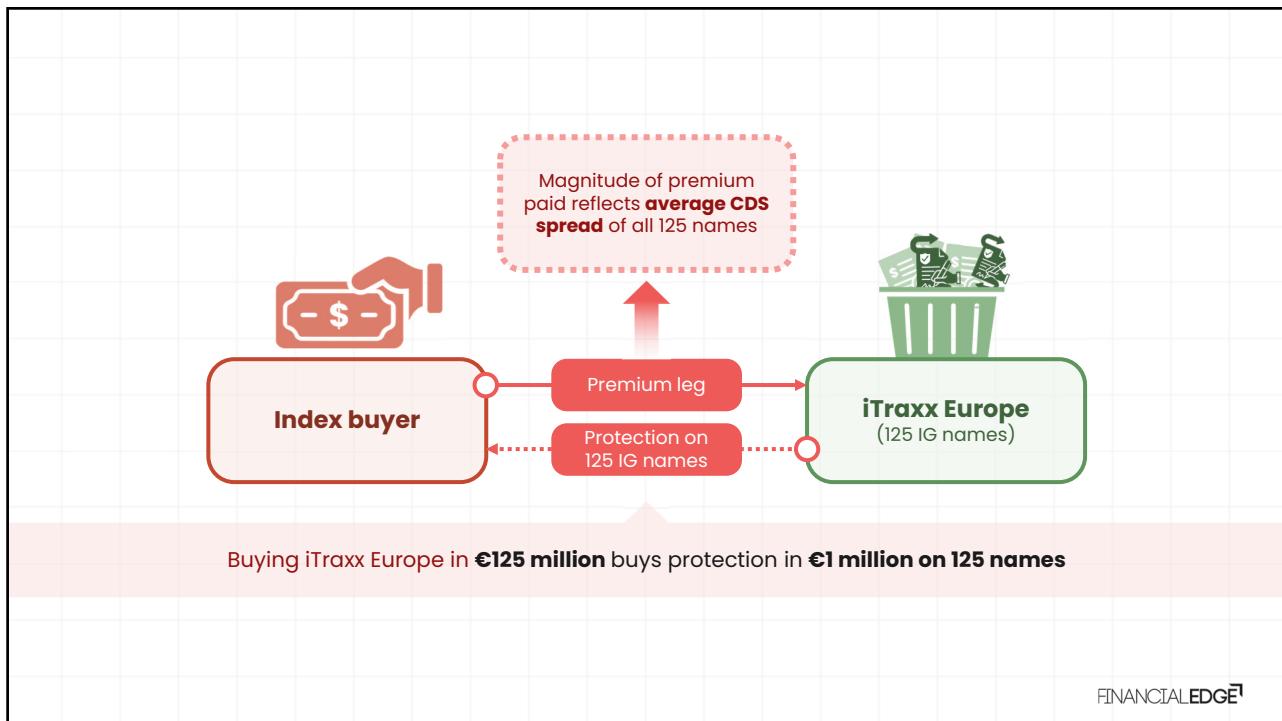
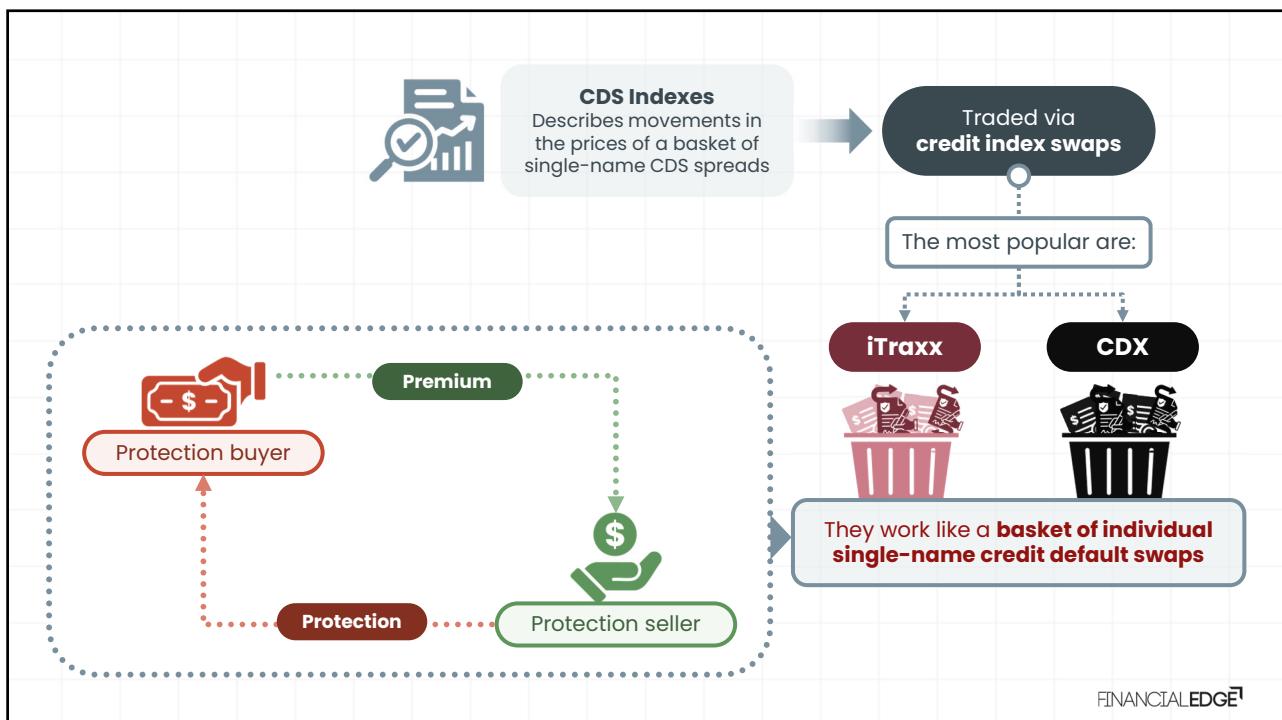
CLN and synthetic CDO issuance.
These structures require issuers to sell CDS protection, putting downward pressure on CDS prices.

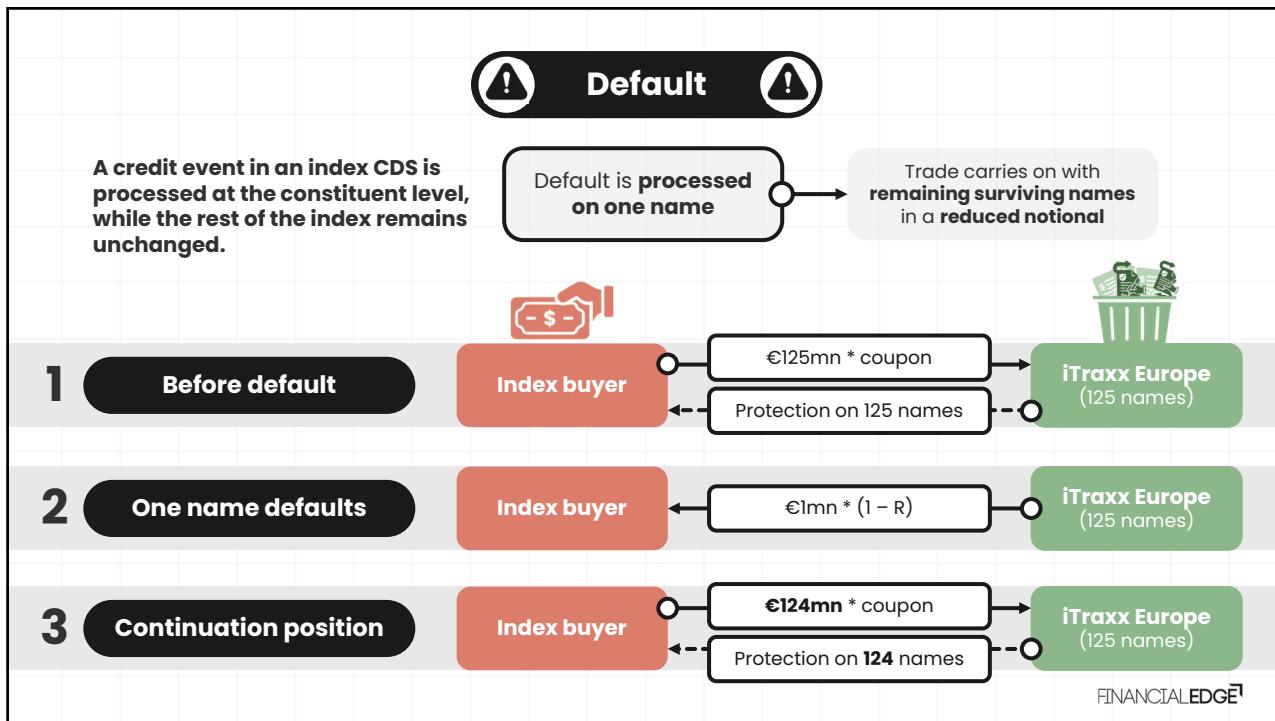
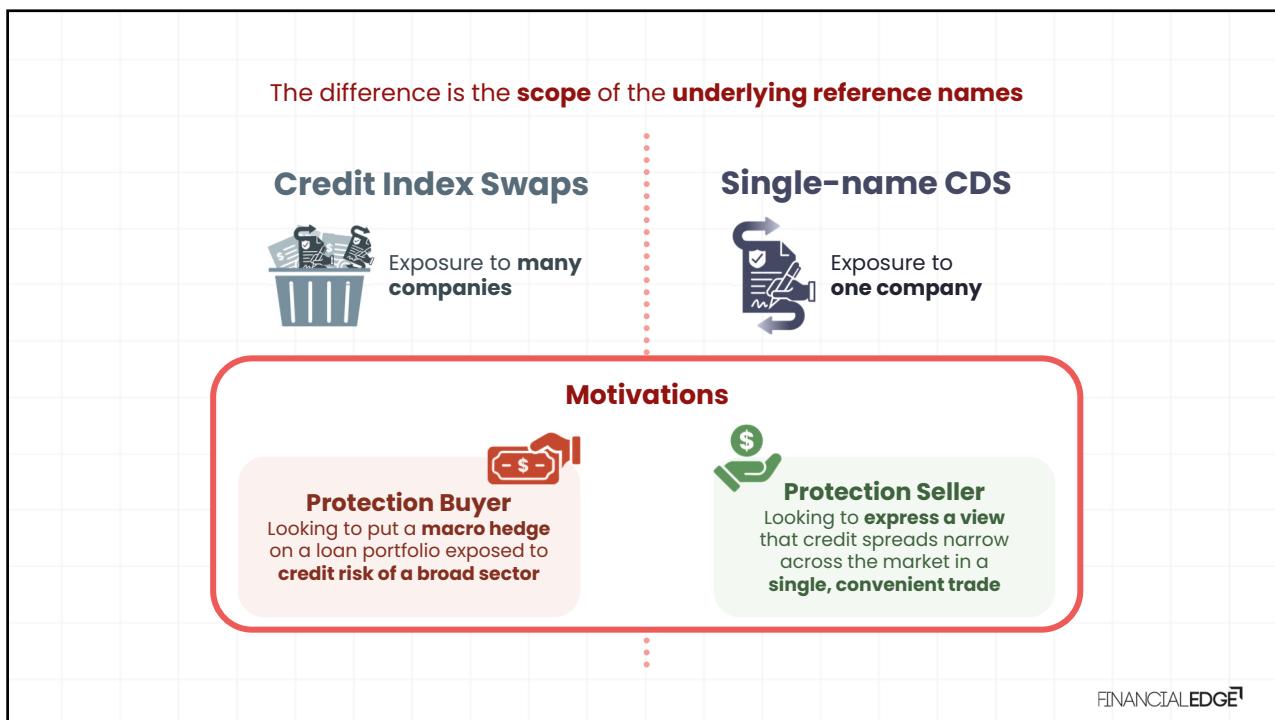
The price of the bond.
A bond trading above par can result in a negative basis (windfall gain effect).

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CDS Indexes







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